



UNCONVENTIONAL RESERVOIR ENGINEERING PROJECT  
COLORADO SCHOOL OF MINES



## Sensitivities of Fractured Horizontal Wells in Shale Gas Plays to Technical and Economic Parameters

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### Outline

- Background
- Trilinear flow model
- Productivity Index
- Rate of Change of Productivity
- Sensitivity Discussion
  - Technical approach
  - Economic approach
- Results
- Conclusions



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## Background

Understanding of parameters that affect recovery from shale-gas plays.

- Horizontal well
  - Well length
- Hydraulic fracture
  - Hydraulic fracture permeability, distance between and fracture half length
- Naturally fractured Reservoir
  - Matrix permeability, natural fracture permeability and natural fracture density

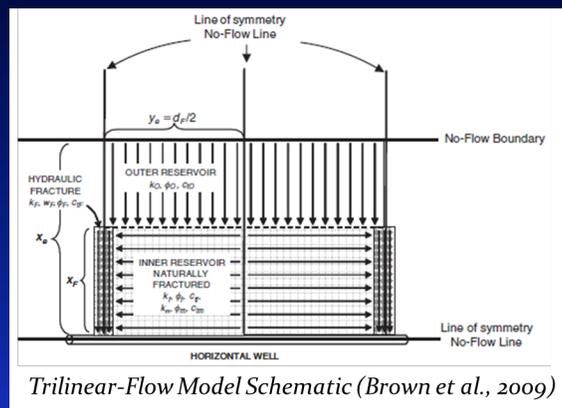
Understanding of parameters that affect economic performance

- Net present value
- Internal rate of return
- Break-even prices



## Trilinear Flow Model

Physical Definition and the Assumptions of the Trilinear-Flow Model



## Productivity Index

$$J = \begin{cases} \frac{q_t}{\bar{p} - p_{wf}} & \text{for oil} \\ \frac{q_t}{m(\bar{p}) - m(p_{wf})} & \text{for gas} \end{cases}$$

$$J = \frac{q_t}{\bar{p} - p_{wf}} = \frac{q_t}{(P_i - p_{wf}) - (P_i - \bar{p})} = \frac{q_t}{L^{-1}\{\bar{\Delta p}_{wf}(s)\} - \Delta \bar{p}}$$

$$P_i - \bar{p} = \frac{0.234q_t B}{Ah(\phi_f c_f h_{ft})(1 + \omega)} t$$



## Rate of Change of Productivity Index

Derivative of the productivity index with respect to well, reservoir, or fracture property,  $\xi$ , developed by

$$\begin{aligned} \frac{\partial J}{\partial \xi} &= \frac{\partial}{\partial \xi} \left\{ \frac{q_t}{L^{-1}\{\bar{\Delta p}_{wf}(s)\} - \Delta \bar{p}} \right\} \\ &= - \frac{q_t}{\left[ L^{-1}\{\bar{\Delta p}_{wf}(s)\} - \Delta \bar{p} \right]^2} \frac{\partial}{\partial \xi} \left[ L^{-1}\{\bar{\Delta p}_{wf}(s)\} - \Delta \bar{p} \right] \\ \frac{\partial J}{\partial \xi} &= - \frac{1}{q_t} J^2 \left[ L^{-1} \left\{ \frac{\partial}{\partial \xi} \bar{\Delta p}_{wf}(s) \right\} - \frac{\partial}{\partial \xi} \Delta \bar{p} \right] \end{aligned}$$



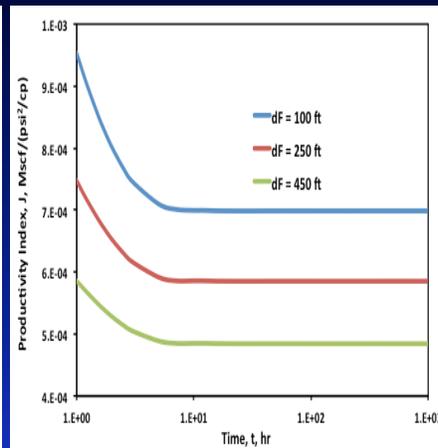
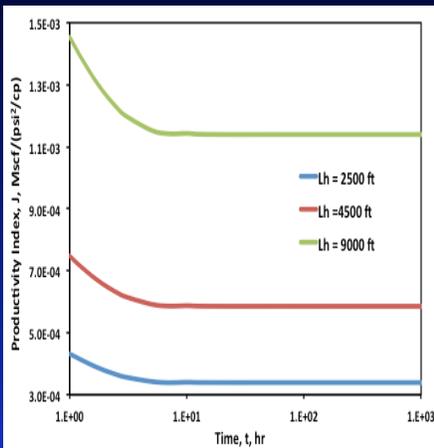
## Results Discussion-Cases

Parameter	Low	Base	High
Formation thickness, $h$ , ft	Base	250	Base
Wellbore radius, $r_w$ , ft	Base	0.25	Base
<b>Horizontal well length, <math>L_h</math>, ft</b>	<b>2500</b>	<b>4500</b>	<b>9000</b>
Viscosity, $\mu$ , cp	Base	0.0184	Base
<b>Matrix Permeability, <math>k_m</math>, md</b>	<b>1.00E-08</b>	<b>1.00E-06</b>	<b>1.00E-04</b>
Matrix Porosity, $\phi_m$	Base	0.05	Base
Matrix Total Compressibility, $c_{tm}$ , psi-1	Base	1.00E-05	Base
<b>Natural fracture Permeability, <math>k_f</math>, md</b>	<b>1.00E+03</b>	<b>5.00E+03</b>	<b>1.00E+04</b>
Natural fracture Porosity, $\phi_f$	Base	4.50E-01	Base
Natural fracture Total Compressibility, $c_{tf}$ , psi-1	Base	1.00E-05	1.00E-05
Natural fracture thickness, $h_f$ , ft	Base	1.00E-03	1.00E-03
<b>Natural fracture density, <math>\rho_f</math>, number of fractures/ft</b>	<b>0.2</b>	<b>0.8</b>	<b>1.2</b>
<b>Distance between hydraulic fractures, <math>dF</math>, ft</b>	<b>100</b>	<b>250</b>	<b>450</b>
Hydraulic fracture porosity, $\phi_f$	Base	0.38	0.38
<b>Hydraulic fracture permeability, <math>k_f</math>, md</b>	<b>1.00E+04</b>	<b>5.00E+04</b>	<b>1.00E+05</b>
Hydraulic fracture Total Compressibility, $c_{tf}$ , psi-1	Base	1.00E-05	1.00E-05
<b>Hydraulic fracture half-length, <math>x_f</math>, ft</b>	<b>150</b>	<b>250</b>	<b>350</b>
Hydraulic fracture width, $w_f$ , ft	Base	0.01	Base
Initial Reservoir Pressure, $p_i$ , psi	Base	4500	Base
Constant flow rate, $q$ , MSCF/d	Base	1500	Base
Reservoir Temperature $T_r$ , °F	Base	150	Base
Dimensionless wellbore storage coeff, $C_D$	Base	0	Base
Mechanical skin, $s_c$	Base	0	Base



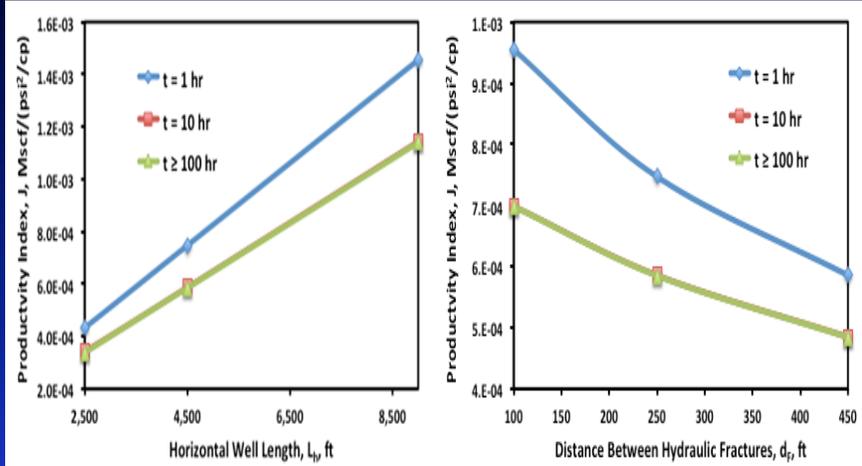
## Productivity Index as a function of time

### Horizontal Well Length and Distance between hydraulic fractures



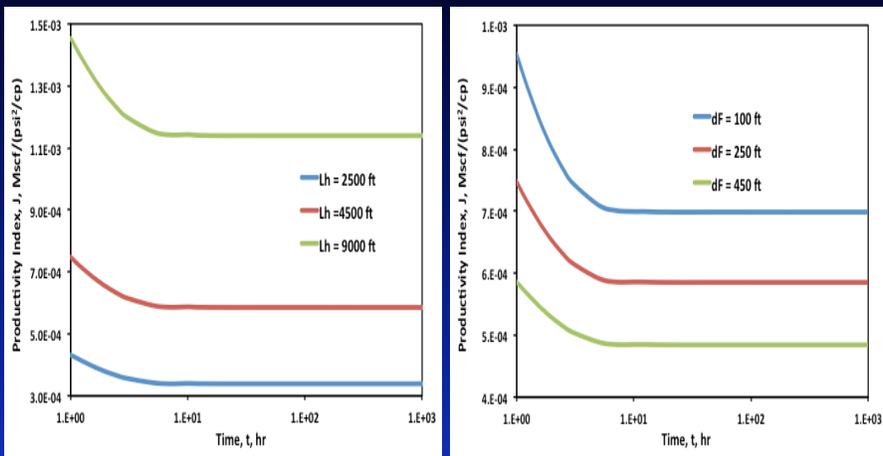
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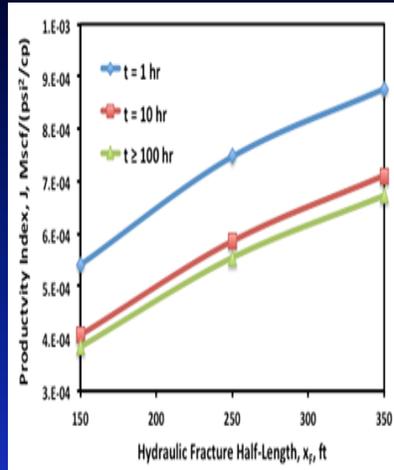
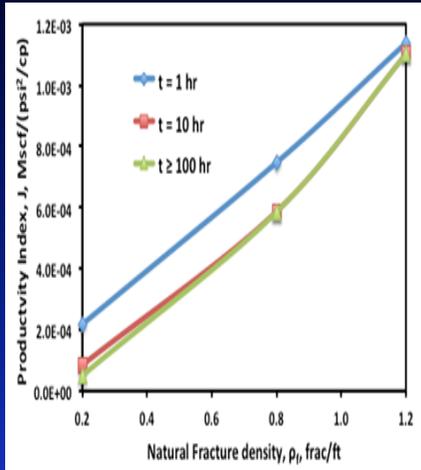
## Productivity Index as a function of time

### Natural Fracture Density and Hydraulic Fracture half-length



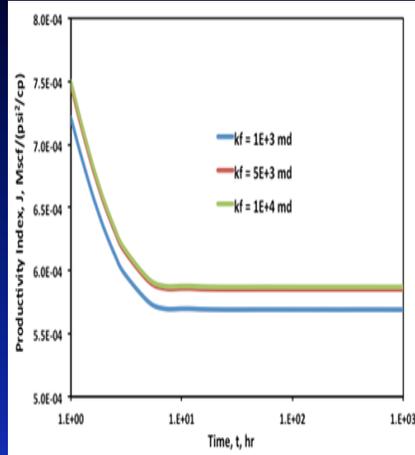
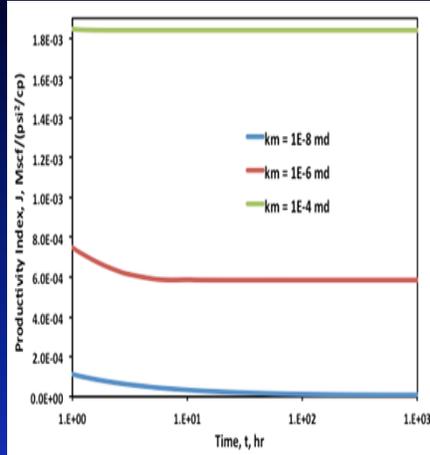
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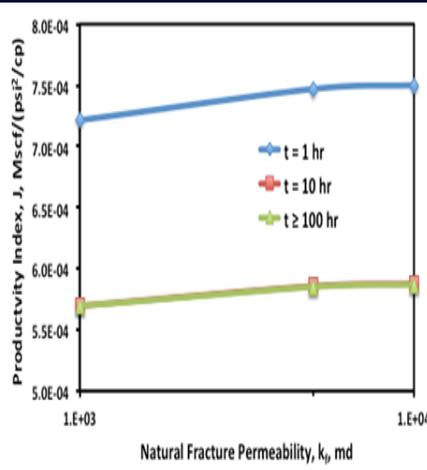
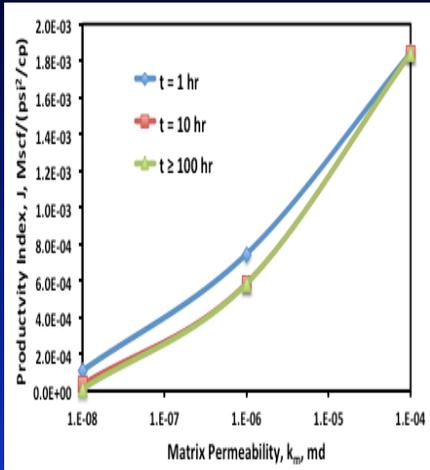
## Productivity Index as a function of time

### Matrix and Natural Fracture Permeability



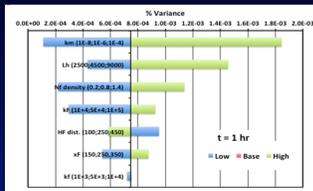
# Productivity Index as a function of time

## Matrix and Natural Fracture Permeability

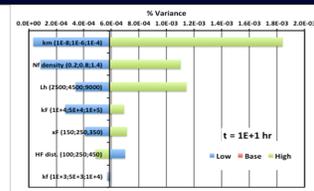


# Productivity Sensitivity

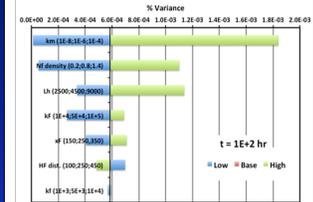
## Tornado Charts



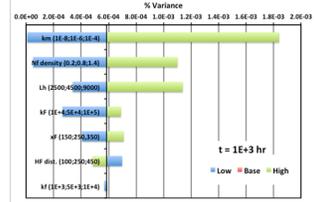
Productivity at 1 hr



Productivity at 10 hrs.



Productivity at 100 hrs.

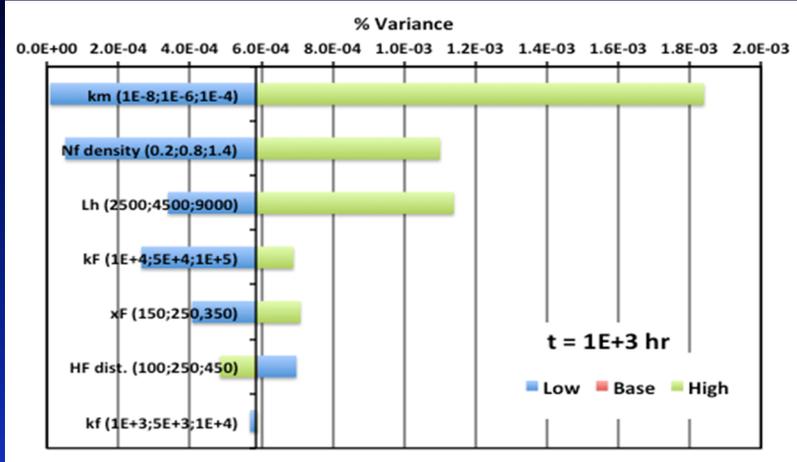


Productivity at 1000 hrs.



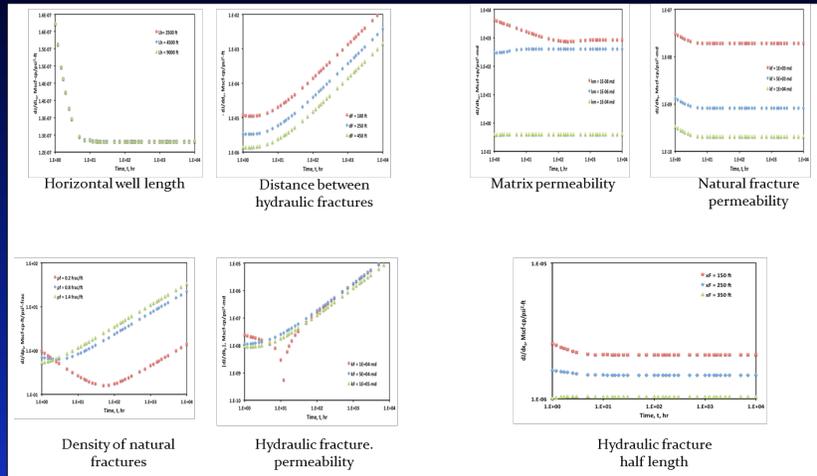
# Productivity Sensitivity

Sensitivity of productivity for  $t=1000$  hr.



# Productivity Sensitivity

Rate of Change of Productivity



## Conclusions

- Technical analysis indicates that the productivity of fractured horizontal wells in shale gas plays is most sensitive to matrix permeability and least sensitive to natural-fracture permeability.
- Sensitivity to natural fracture density is high
- Among well and hydraulic fracture properties, well length has the highest effect, hydraulic fracture permeability moderate effect and distance between fractures as well as hydraulic fracture half length an insignificant effect.
- Economic analysis indicates that NPV and IRR are flexible by improving economics on well construction and stimulation.
- Favorable reservoir properties appear to be necessary for a successful economic
- That said, reservoir properties are not enough and do not ensure economic success without well construction and stimulation optimization.

