Production Performance of Permian Basin Wells & Potential for Improving Oil Recovery Ozan Uzun PhD Candidate, Petroleum Engineering 2023



Drivers and Motivation



- **Permian Basin** is the most prolific oil and gas producing geologic basins in the United Sates—spanning West Texas and Southeastern New Mexico. It has produced more than 33.4 Bbbl of oil and 118 Tcf of natural gas during a 100-year period (EIA 2018).
- The decline in oil recovery and ever-increasing water production require new solutions.
- Classical waterflooding in unconventional reservoirs is not plausible because of the small pore throat dimension casing very low permeabilities of the mudstone matrix. Two practical alternative are: (1) cyclic gas injection and (2) cyclic injection of special surface-active aqueous solutions which have shown great promise.
- Plan is to provide background material and two procedures to improve oil recovery in the Permian Basin tight formations such as the Wolfcamp.

Project Plan



Phase 1:	Phase 2:	Phase 3:	
 Determine production characteristics of Delaware Basin wells Plan for several innovative EOR experiments 	 Build an appropriate numerical model to forecast future performance Prepare for the EOR experiments 	 Conduct EOR experiments Characterize field performance using numerical model (history match production data) 	
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Permian Geology





(Saller and Stueber, 2018)

(Ruppel 2019)

Production Trends

Performance of Oil Wells

12 Months



12 Months

Doña Ar

Hudspeth

Gaines

Ector

Color

Size

● ≥ 385 M BOE

 $\leq 0 \text{ BOE}$

500 M BOE

150 M BOE

25 M BOE

Minimum (0)





Performance of Gas Wells

GAS

12 Months



12 Months



12 Months



(Source: Enverus 2022)

Samples Used for Experiments



Experimental Procedure

- Measuring contact angle of unaged samples in ambient conditions and reservoir conditions (240°F & 2500 psi).
- Measuring contact angle of aged samples in ambient conditions and reservoir conditions (240°F & 2500 psi).
- 3) Injecting **CO2** to the cell above supercritical conditions.



(Modified from Budisa and Schulze-Makuch 2014)

Experiment Results



Experiment Results



Effect of Temperature & Pressure



- Rapid increase (<3 hrs)
- Permanent
- Change varies (5-54 °)

Pressure



- Immediate increase
- Temporary
- Change is same on all samples (~4.5°)

Effect of Mineralogy on Contact Angle Changes (Unaged Cores)







Effect of Mineralogy on Contact Angle Changes (Aged Cores)







Effect of Mineralogy on Contact Angle Changes (Aged Cores with CO2)





CMG-GEM Numerical Model Reservoir Properties & Numerical Grid Structure

- Gross thickness: 600 ft
- Initial res pressure: 8175 psia
- Reservoir temp:181.5 °F

- Porosity: 0.06
- Matrix permeability: 0.0003 mD
- Matrix pore compressibility: 1 x 10⁻⁵ psia⁻¹





GOHFER Hydraulic Fracture Model

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Hydrocarbon Fluid Model



CMG-GEM Numerical Model History Match Results







CMG-GEM Numerical Model History Match Results







Tuning the numerical model & history matching

Matrix Refinement Numerical Model



Fracture:

$$\nabla \cdot \frac{k_{f,eff}}{\mu} \nabla p_f - \tau + \hat{q} = (\phi c_t)_f \frac{\partial p_f}{\partial t}$$
$$\tau = \sigma_1 \frac{k_m}{\mu} (p_f - p_m)$$
$$\sigma_1 = \frac{4}{d^2}$$

Matrix*:

$$\frac{k_{m^*}}{\mu} \left[\sigma_1(p_f - p_{m^*}) - \sigma_2(p_{m^{**}} - p_{m^*}) \right] = (\phi c_t)_m \frac{\partial p}{\partial t}$$
$$\sigma_1 = \frac{4}{d^2}$$
$$\sigma_2 = \frac{2}{d} \left(\frac{1}{L_x - d} + \frac{1}{L_y - d} \right)$$

Matrix**:

$$\frac{k_{m^{**}}}{\mu} \Big[\sigma_3(p_{m^{*}} - p_{m^{**}}) \Big] = (\phi c_t)_m \frac{\partial p_{m^{**}}}{\partial t}$$
$$\sigma_3 = \frac{4}{(L_x - 2d)(L_x - d)} + \frac{4}{(L_y - 2d)(L_y - d)}$$

where;

 c_t =total compressibility(psi⁻¹) d=distance between matrix blocks(ft) $k_{f,eff}$ =effective permeability(mD) L_x, L_y, L_z =matrixblock size(ft) q=flow rate(ft³/d) f=porosity p_f =fracture pressure(psi) p_m =matrix pressure(psi)

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