

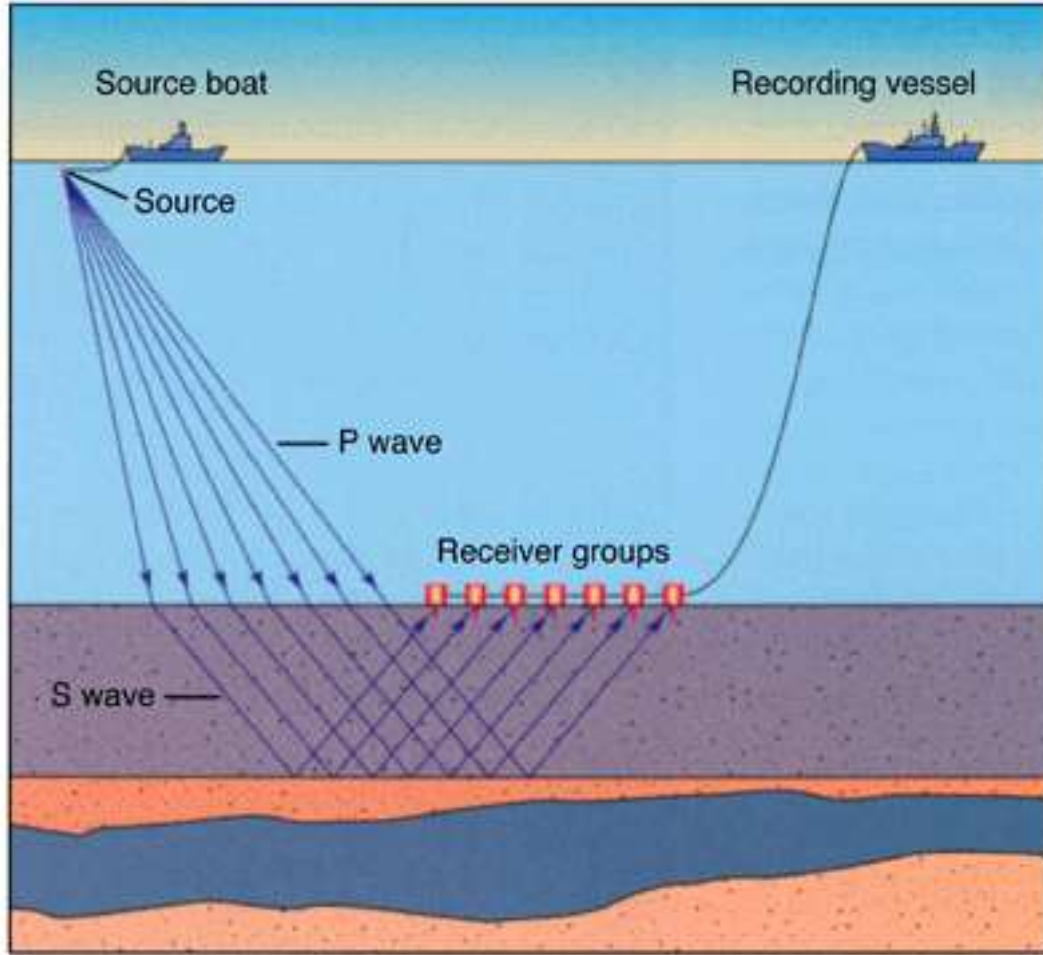


RESERVOIR CHARACTERIZATION PROJECT

# Seismic Deblending: an Experiment with an Offshore Seismic Acquisition

*Max Velasques*

# Motivation

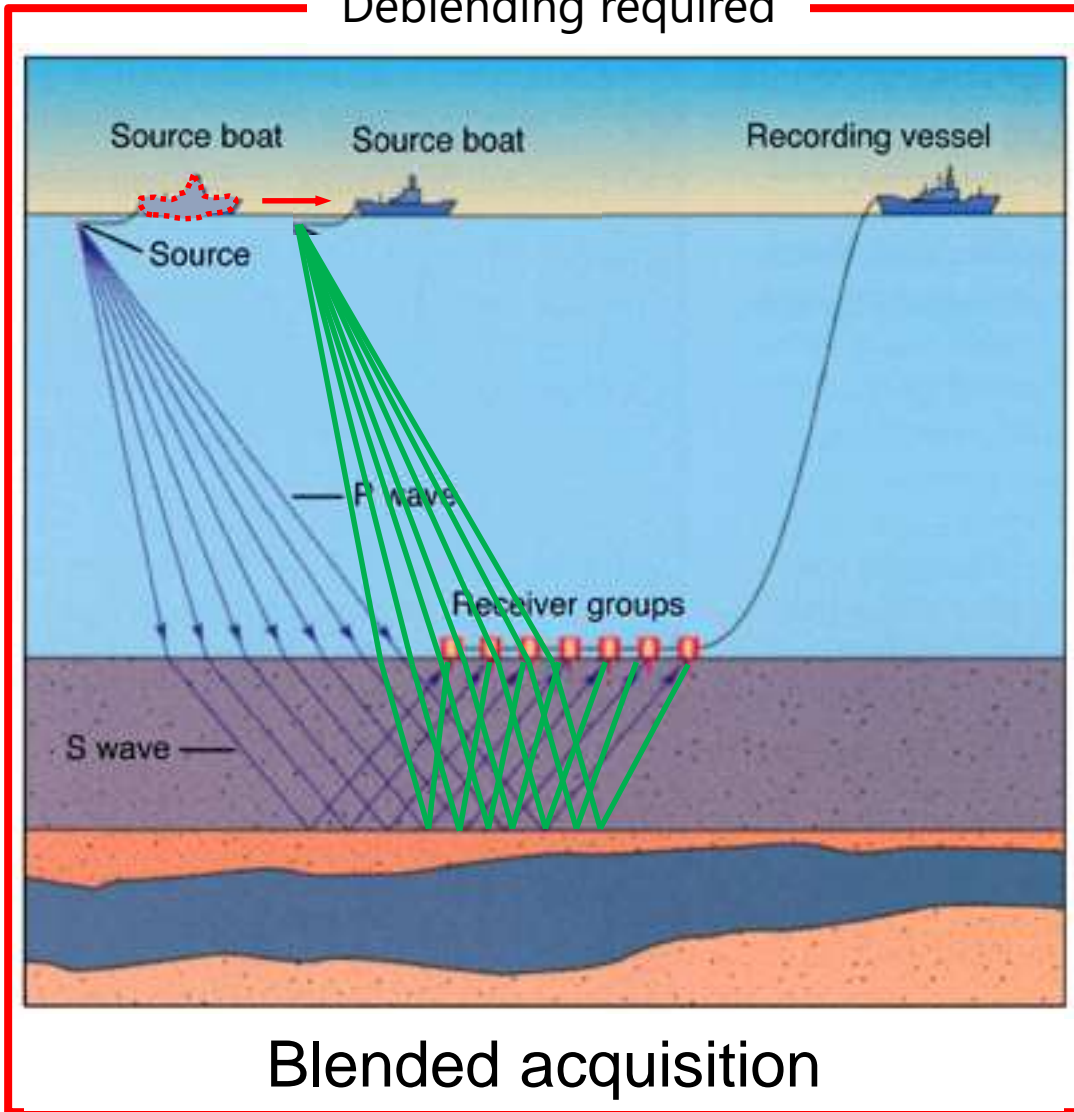


Conventional OBS

- The cost of a seismic acquisition is proportional to the time required to acquire the data;

# Motivation

Deblending required



Adapted from <http://www.peakseismic.com/images/OBSgraphic1.gif>

• The cost of a seismic acquisition is proportional to the time required to acquire the data;



• Acquire data faster has the potential to decrease the costs

How will blending noise and deblending procedures affect 4D analysis?

# Outline

## Objective

## Theoretical background

- Blending
- Deblending

## Results

- Synthetic data
- Field data

## Final remarks

## Next steps

# Outline

## Objective

## Theoretical background

- Blending
- Deblending

## Results

- Synthetic data
- Field data

## Final remarks

## Next steps

# Objective

- Simulate an 4D offshore blended PRM seismic acquisition (using synthetic and Field data);
- Implement, apply and compare different deblending techniques on those datasets;
- Analyze how blending noise affects the 4D signal.

# Outline

 Objective

 Theoretical background

- Blending
- Deblending

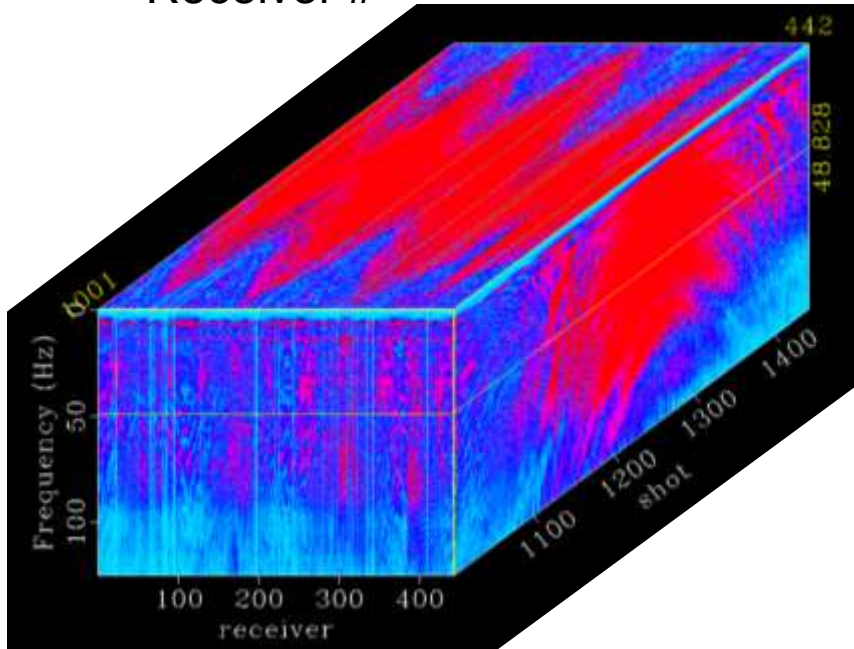
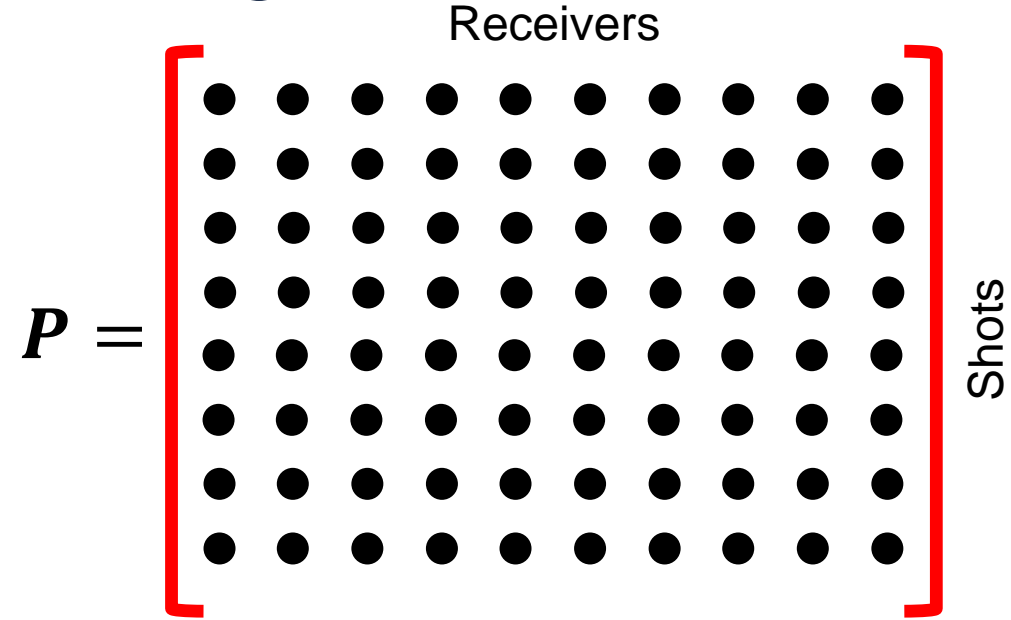
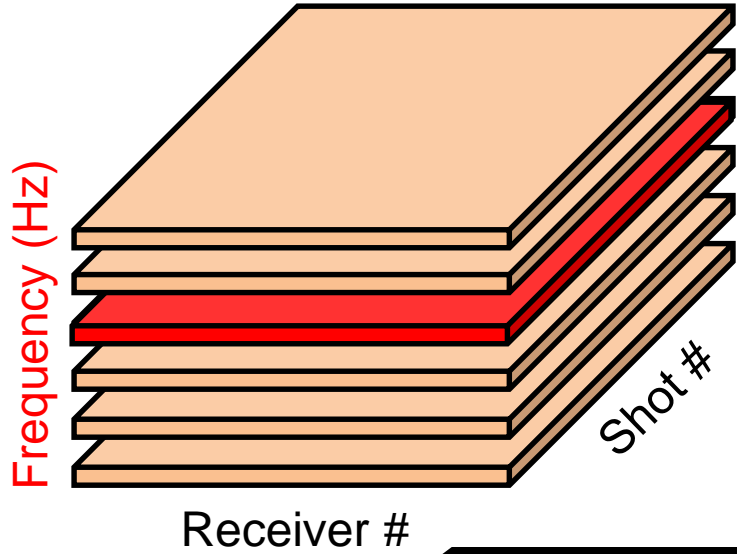
 Results

- Synthetic data
- Field data

 Final remarks

 Next steps

# Theoretical background – Blending



In this representation, a blending acquisition ( $P'$ ) can be described as a matrix multiplication:

$$P' = \Gamma P$$

Where  $\Gamma$  is the Blending operator

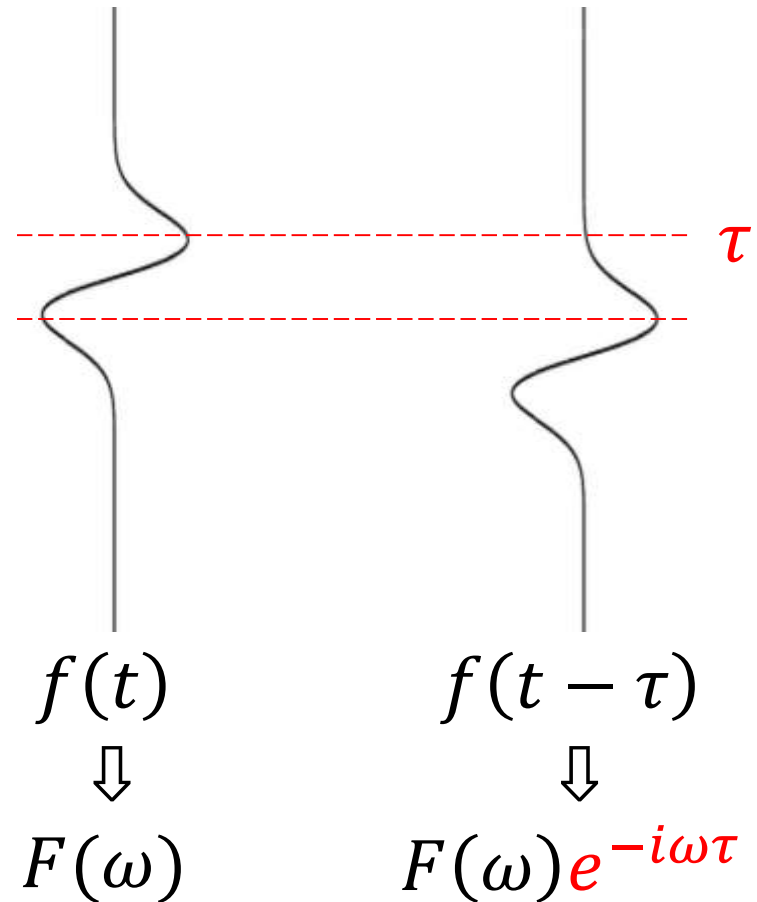


# Theoretical background – Blending

## How does it work?

$$P' = \Gamma P$$

In off-shore acquisitions the most common blending approach is the “**linear phase**” encoding, which is described as random time shifts between shots.



“linear phase” encoding

# Theoretical background – Blending

## How does it work?

$$P' = \Gamma P$$

And the matrix “ $\Gamma$ ” takes the form:

$$\Gamma_{kl} = e^{-i\omega\tau_{kl}}, \quad \text{where } \tau_{kl} \text{ is the firing time.}$$

For example: An acquisition with 8 shots and 8 receivers, where **2 sequential shots were acquired together**:

$$\Gamma_{S2} = \begin{pmatrix} e^{-i\omega\tau_1} & e^{-i\omega\tau_2} & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & e^{-i\omega\tau_3} & e^{-i\omega\tau_4} & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & e^{-i\omega\tau_5} & e^{-i\omega\tau_6} & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & e^{-i\omega\tau_7} & e^{-i\omega\tau_8} \end{pmatrix}$$

$4 \times 8$

# Theoretical background – Blending

## How does it work?

$$P' = \Gamma P$$

And the matrix “ $\Gamma$ ” takes the form:

$$\Gamma_{kl} = e^{-i\omega\tau_{kl}}, \quad \text{where } \tau_{kl} \text{ is the firing time.}$$

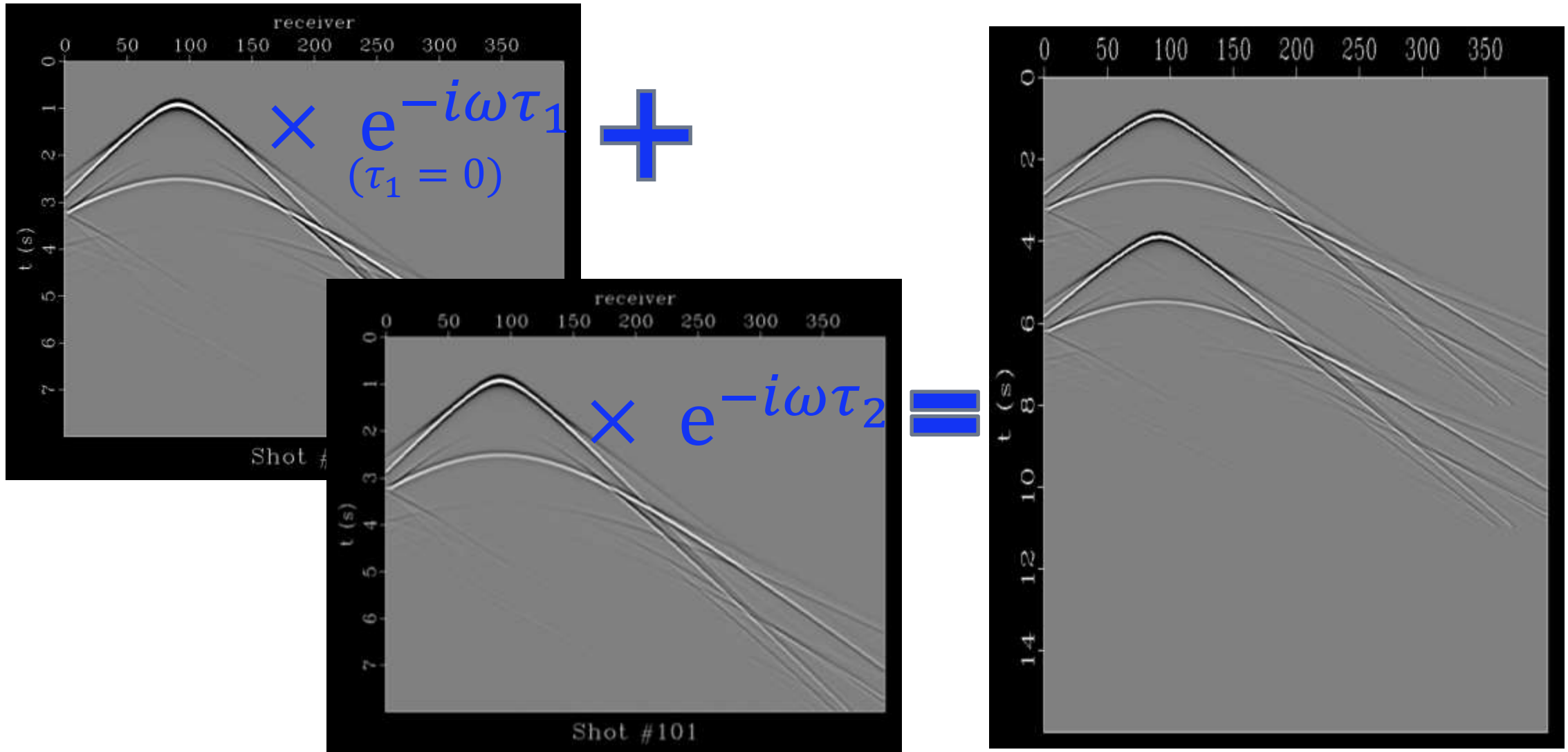
For example: An acquisition with 8 shots and 8 receivers, where **4 sequential shots were acquired together**:

$$\Gamma_{S4} = \begin{pmatrix} e^{-i\omega\tau_1} & e^{-i\omega\tau_2} & e^{-i\omega\tau_3} & e^{-i\omega\tau_4} & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & e^{-i\omega\tau_5} & e^{-i\omega\tau_6} & e^{-i\omega\tau_7} & e^{-i\omega\tau_8} \end{pmatrix}$$

2 × 8

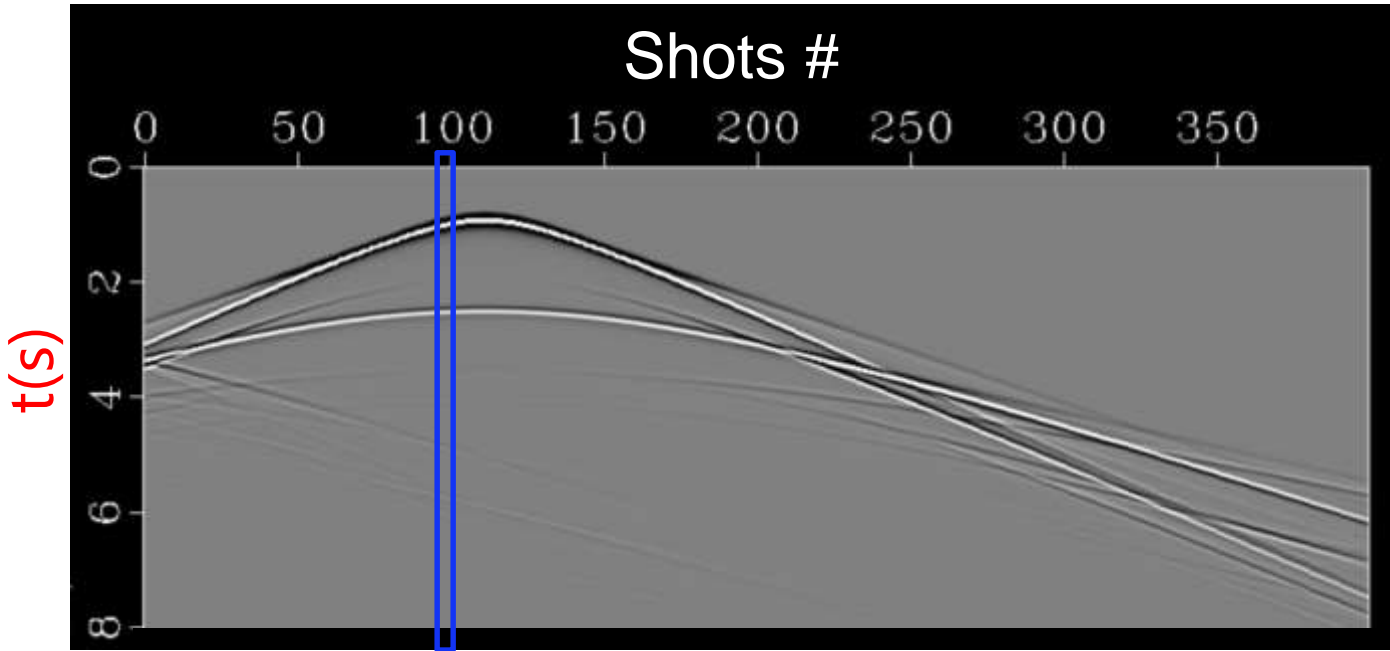
# Theoretical background – Blending

## Example – 2 sources (Shot domain)



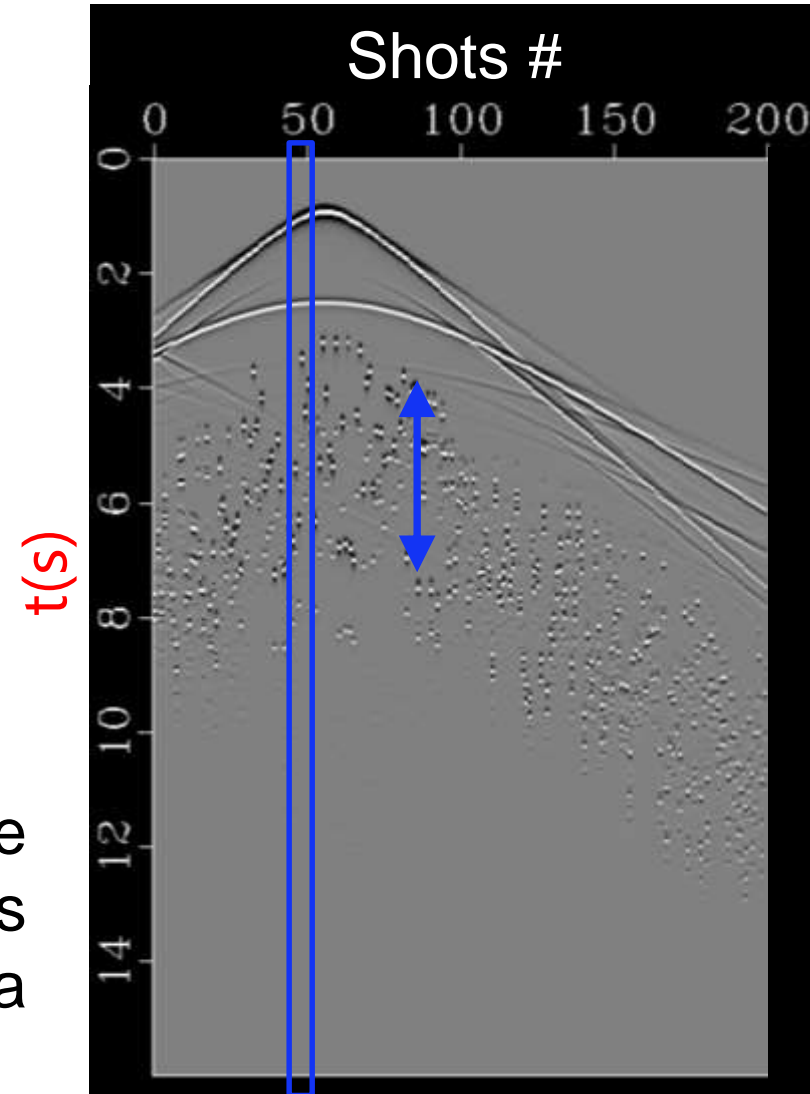
# Theoretical background – Blending

## Example – 2 sources (Receiver domain)



Unblended data

The **firing times** ( $\tau_{kl}$ ) should be **random** at some level/interval to make the deblending process achievable in a domain where the blended data becomes random.



Blended data

# Outline

## Objective

## Theoretical background

- Blending
- Deblending
  - Methods
  - Iterative estimation and subtraction of blending noise

## Results

- Synthetic data
- Field data

## Final remarks



## Next steps

# Theoretical background – Deblending

## Filtering

- Pure denoise methods

## Inversion (based on sparse solutions)

- Iterative estimation and subtraction of blending noise 
- The compressive sensing approach 

# Outline

 Motivation

 Objective

 **Theoretical background**

- Blending
- **Deblending**
  - Methods
  - **Iterative estimation and subtraction of blending noise**

 Results

- Synthetic data
- Field data

 Final remarks

 Next steps



# Deblending - Iterative Estimation And Subtraction

Considering the matrix representation for a blending acquisition ( $P'$ ) as:

$$P' = \Gamma P$$

The deblending procedure would be represented by a matrix inversion:

$P = \Gamma^{-1} P'$  ← Underdetermined problem.  $\Gamma$  is not invertible  
( $\Gamma$  is not even a squared matrix)

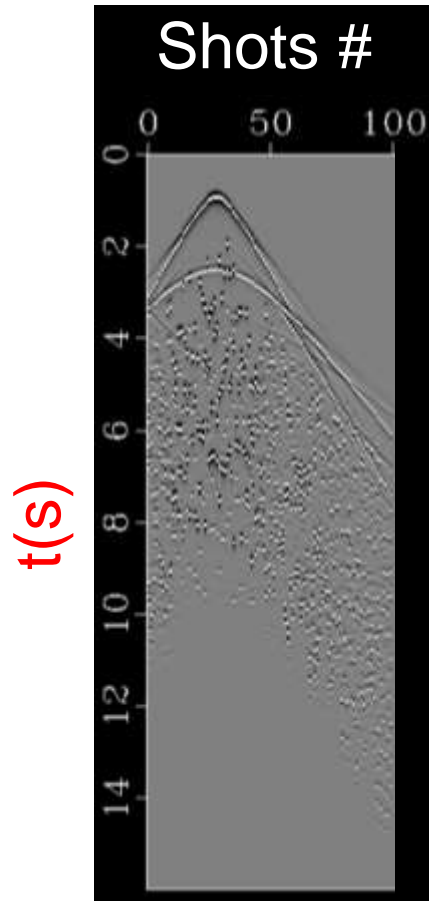
In this case, we will look for the least-squares solution:

$minimize J = \|P' - \Gamma P\|_2^2 \longrightarrow P \cong (\Gamma^\dagger \Gamma)^{-1} \Gamma^\dagger P' \cong \Gamma^\dagger P'$   
↑ Pseudo-deblending  
(contain “blending noise”)

# Deblending - Iterative Estimation And Subtraction

BLENDING NOISE – 100 shot records with 4 sources (Receiver domain)

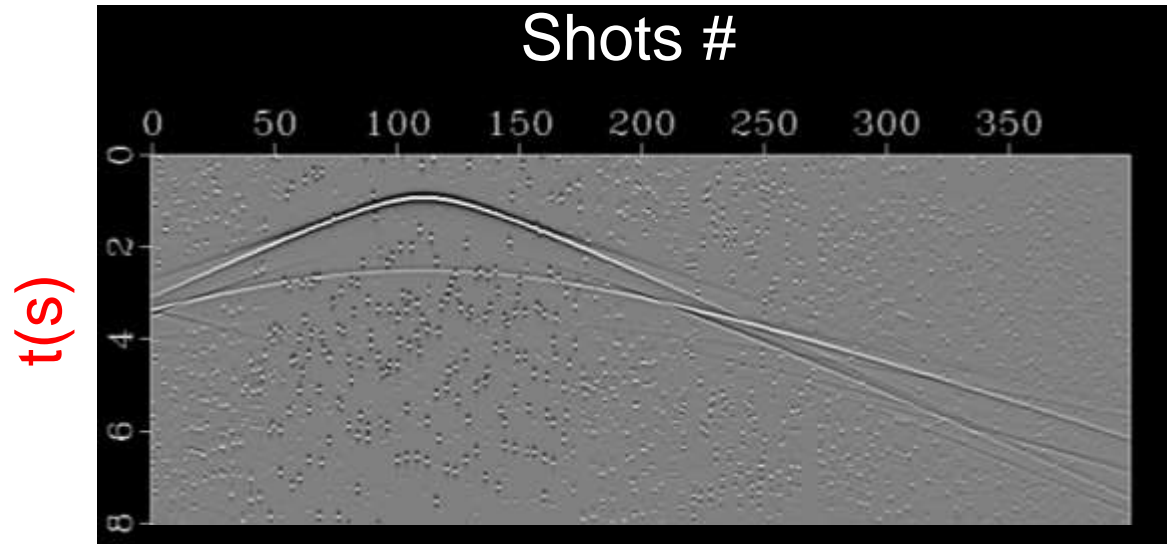
Blended receiver gather



$P'$



Receiver gather after LS solution



$\Gamma^{\dagger}P'$

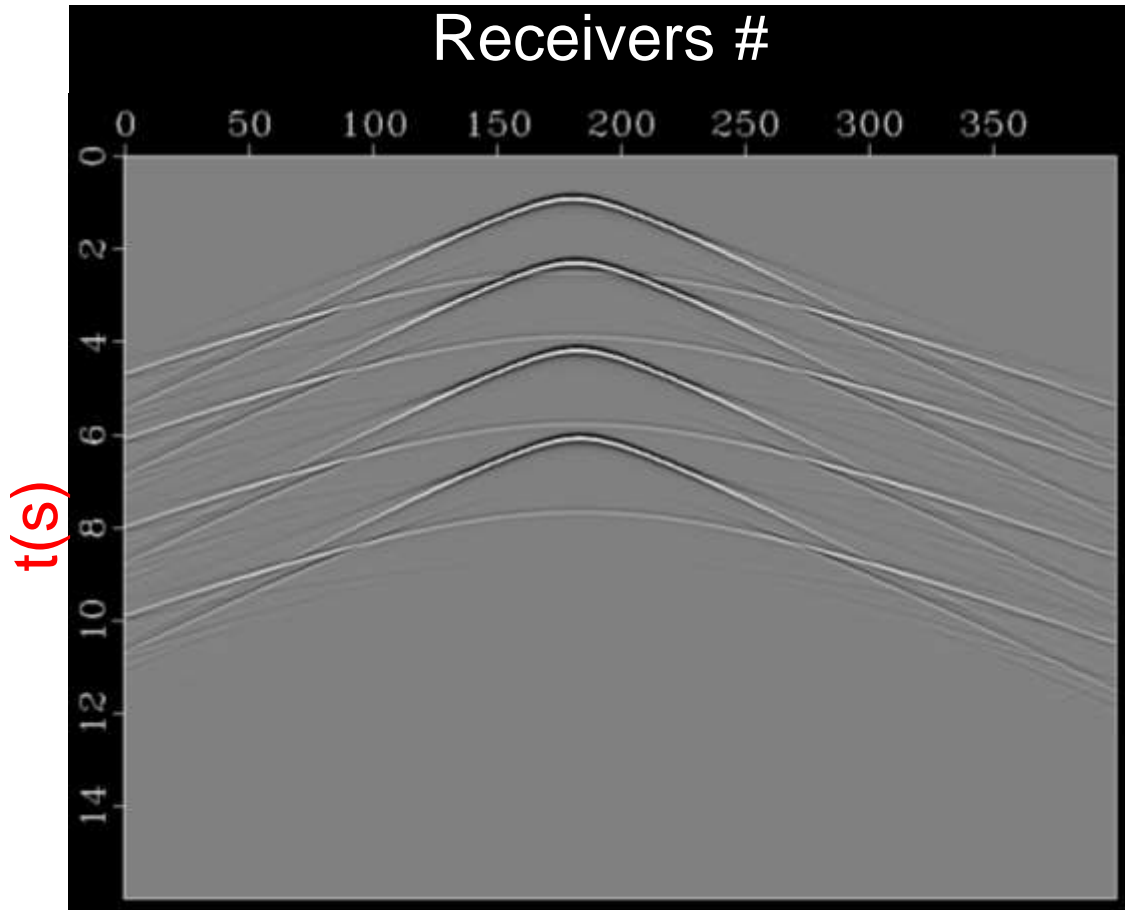
Decompression

100 records (with 4 sources by record) to 400 shots

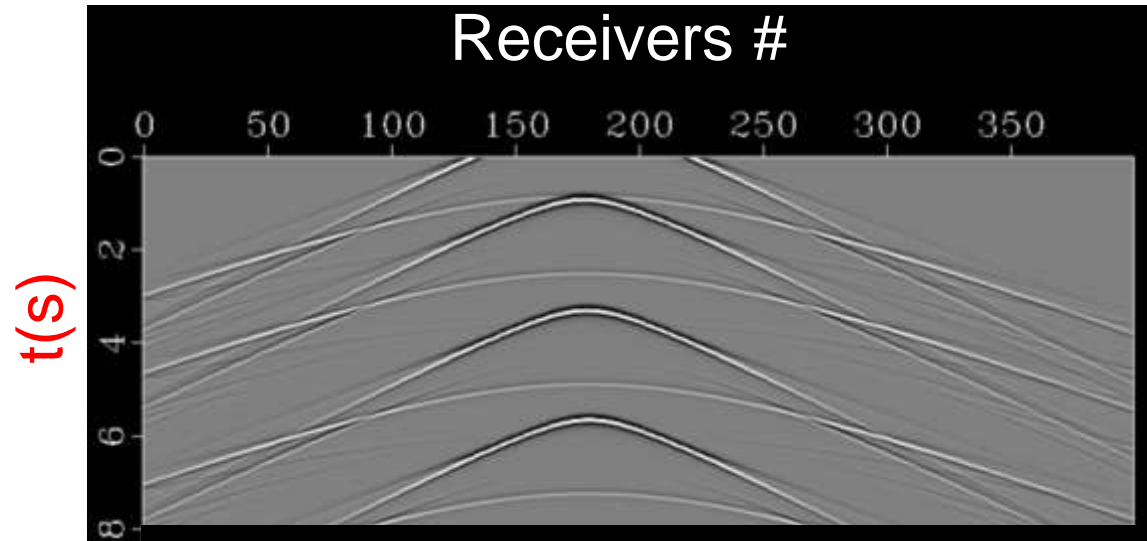
# Deblending - Iterative Estimation And Subtraction

BLENDING NOISE – 100 shot records with 4 sources (**Shot domain**)

Blended shot gather



Shot gather after LS solution



$\Gamma^\dagger P'$

# Deblending - Iterative Estimation And Subtraction

Additional constraints should be imposed:

$$\text{minimize } J = \|P' - \Gamma P\|_2^2 \quad \text{subject to } \|P\|_0 < \epsilon$$

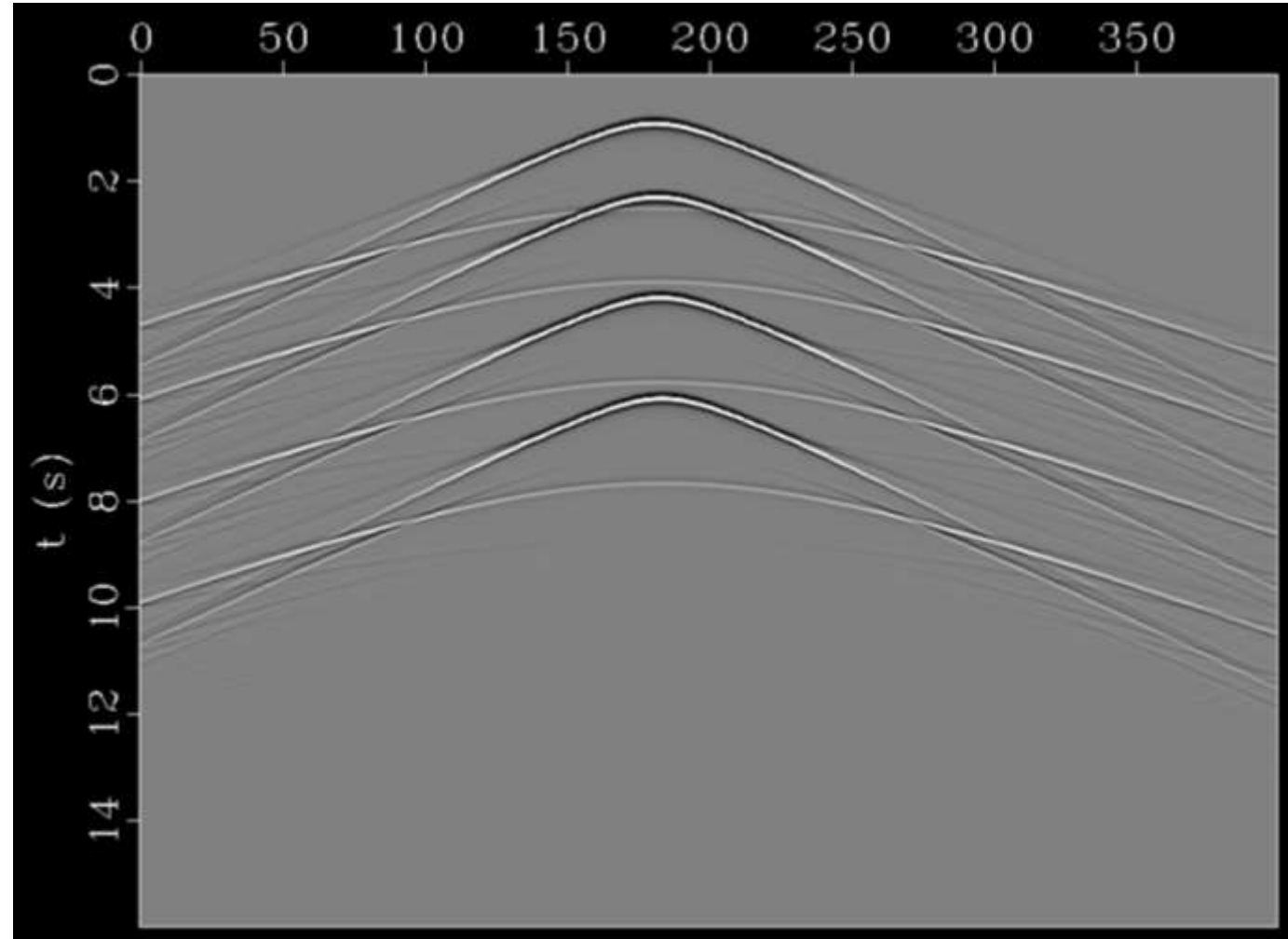
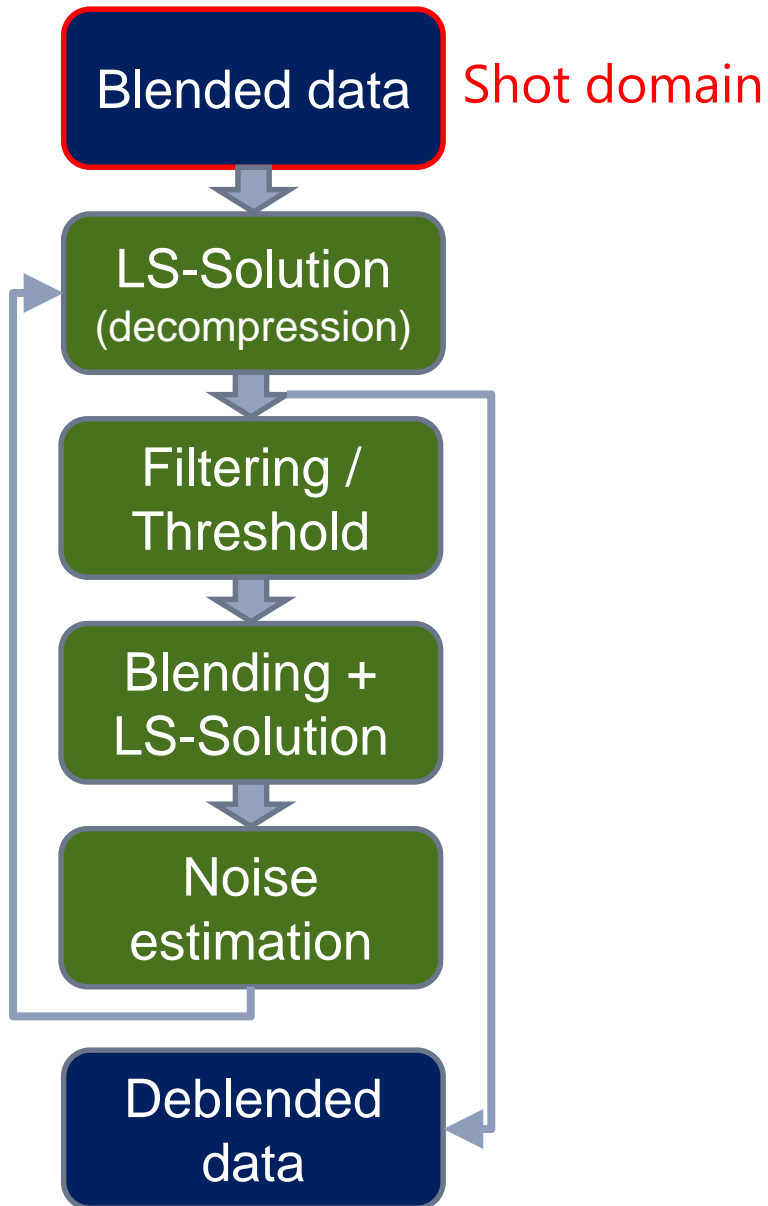
↑  
Sparsity-promoting term  
( $\ell_0$  norm)

Since this problem quickly becomes intractable, an iterative solution will be considered:

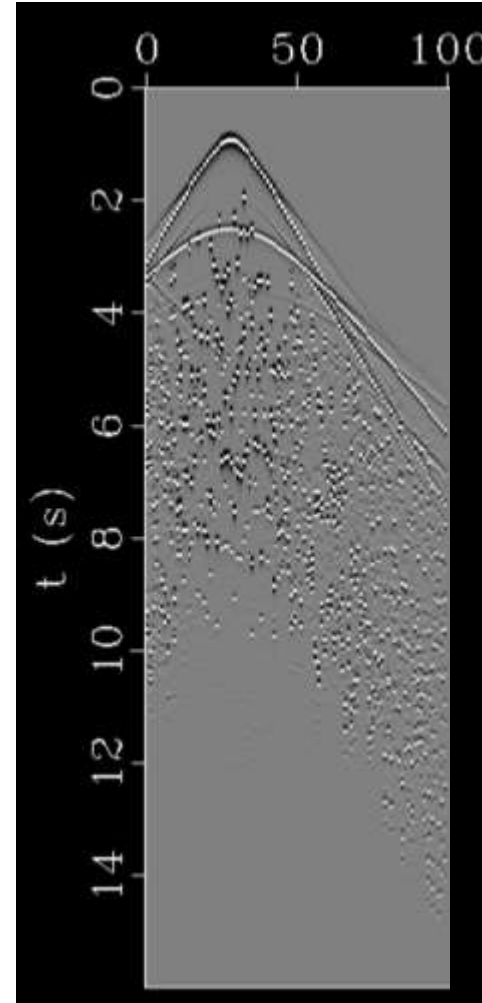
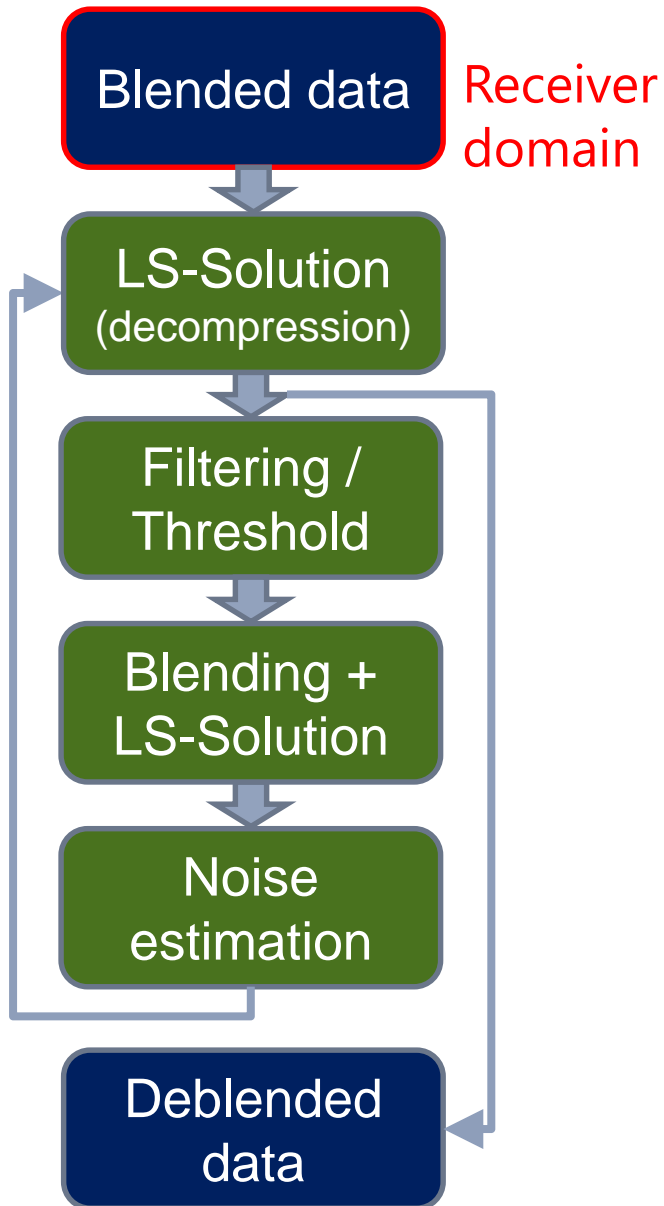
$$P_{i+1} = \Gamma^\dagger P' - \underbrace{[\Gamma^\dagger \Gamma - I] T(P_i)}_{\text{Blending noise for } i^{\text{th}} \text{ iteration}}$$

Where  $T(\cdot)$  is a sparsity-promoting operator (Threshold/Filtering)

# Deblending - Iterative Estimation And Subtraction



# Deblending - Iterative Estimation And Subtraction

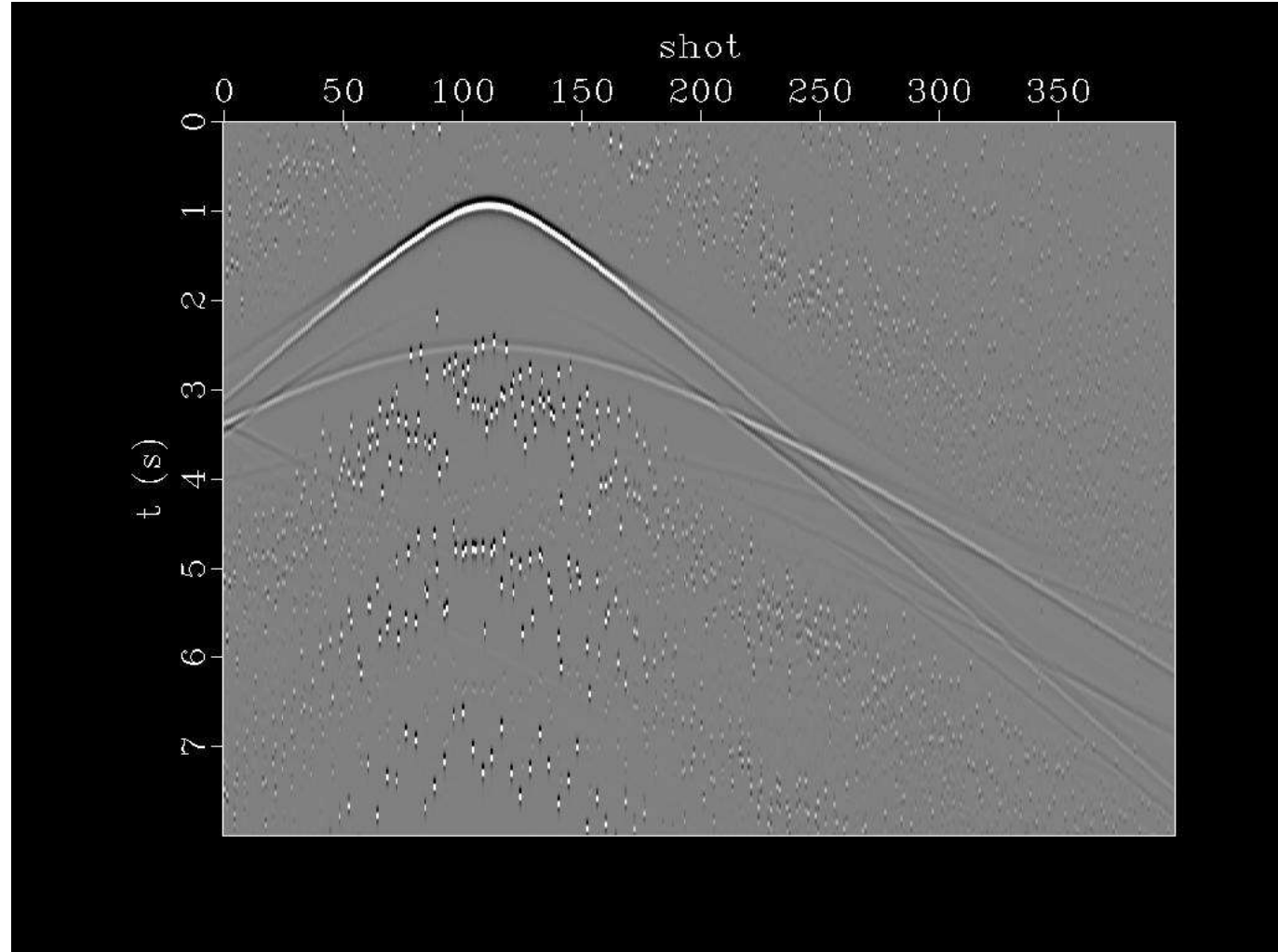
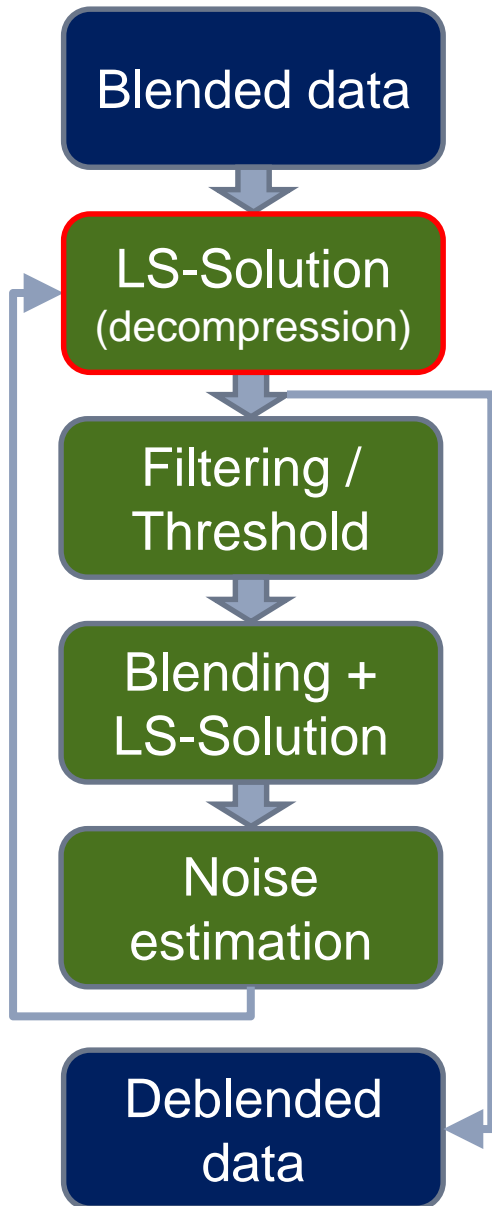


The method will be applied in the receiver domain

↓  
Each receiver independently

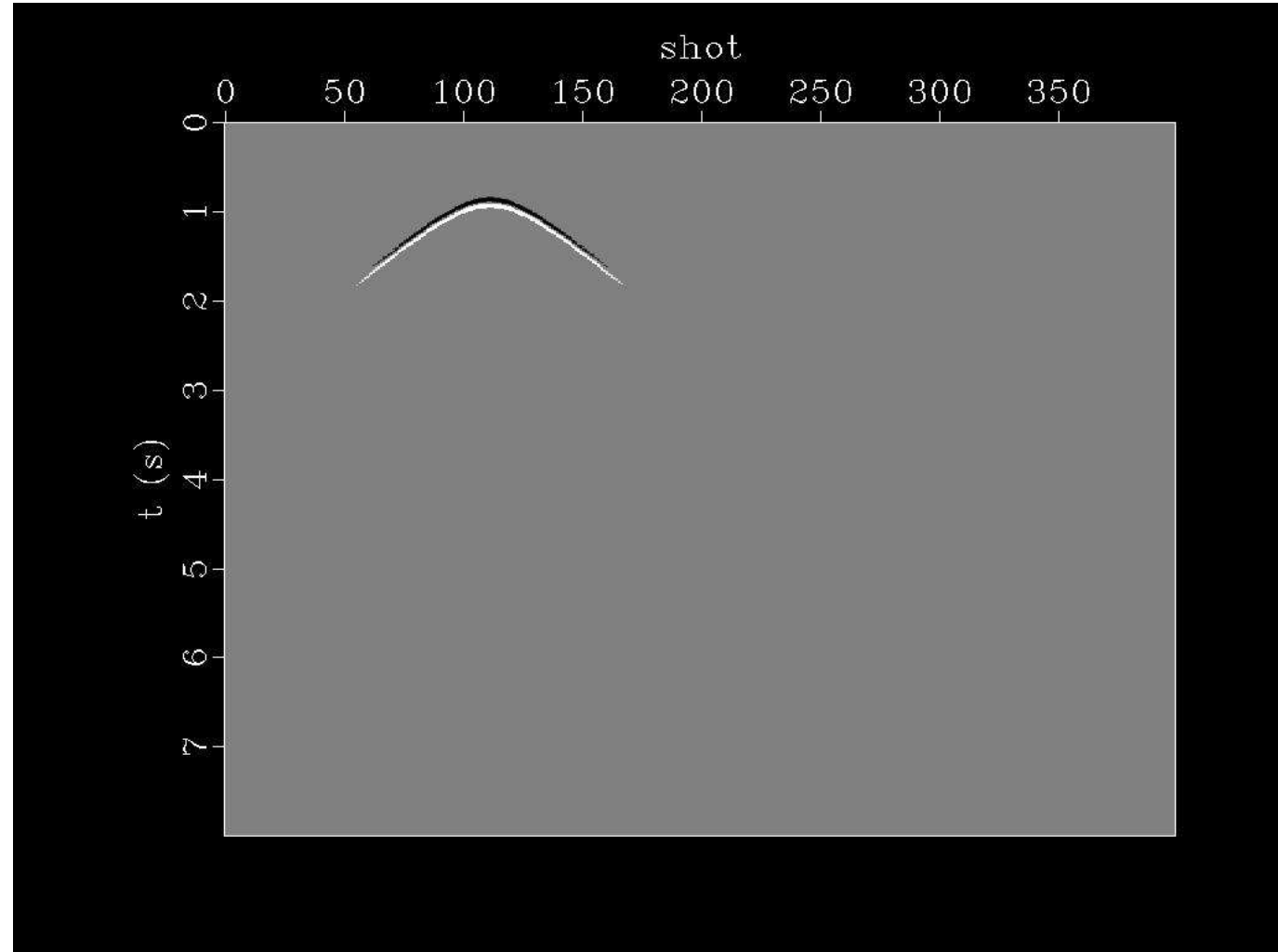
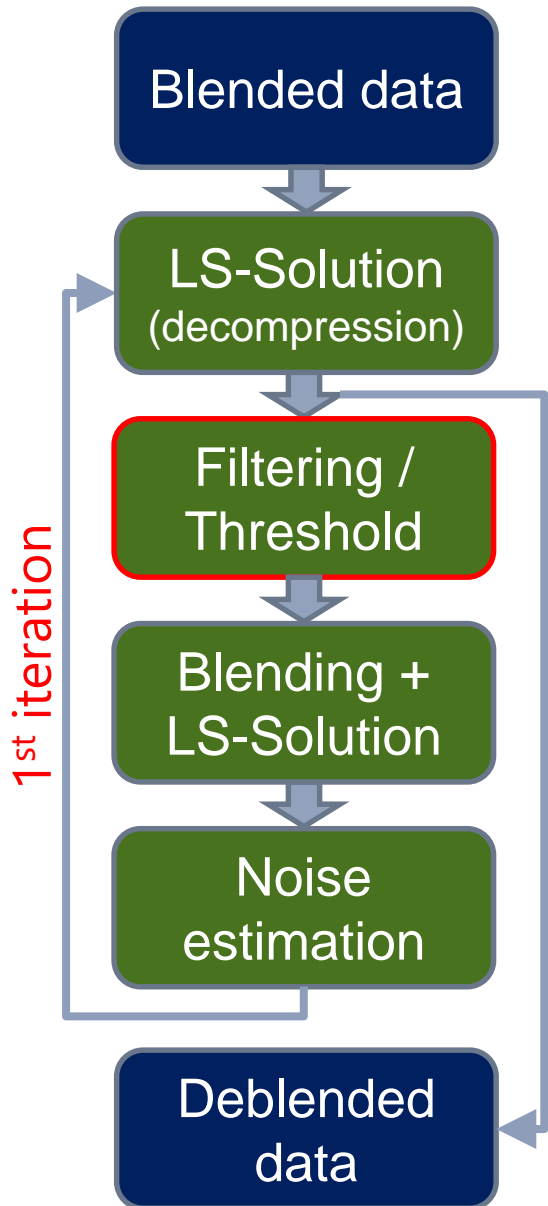
↓  
Natural domain to be parallelized

# Deblending - Iterative Estimation And Subtraction



$$P_{i+1} = \Gamma^{\dagger} P' - [\Gamma^{\dagger} \Gamma - I] T(P_i)$$

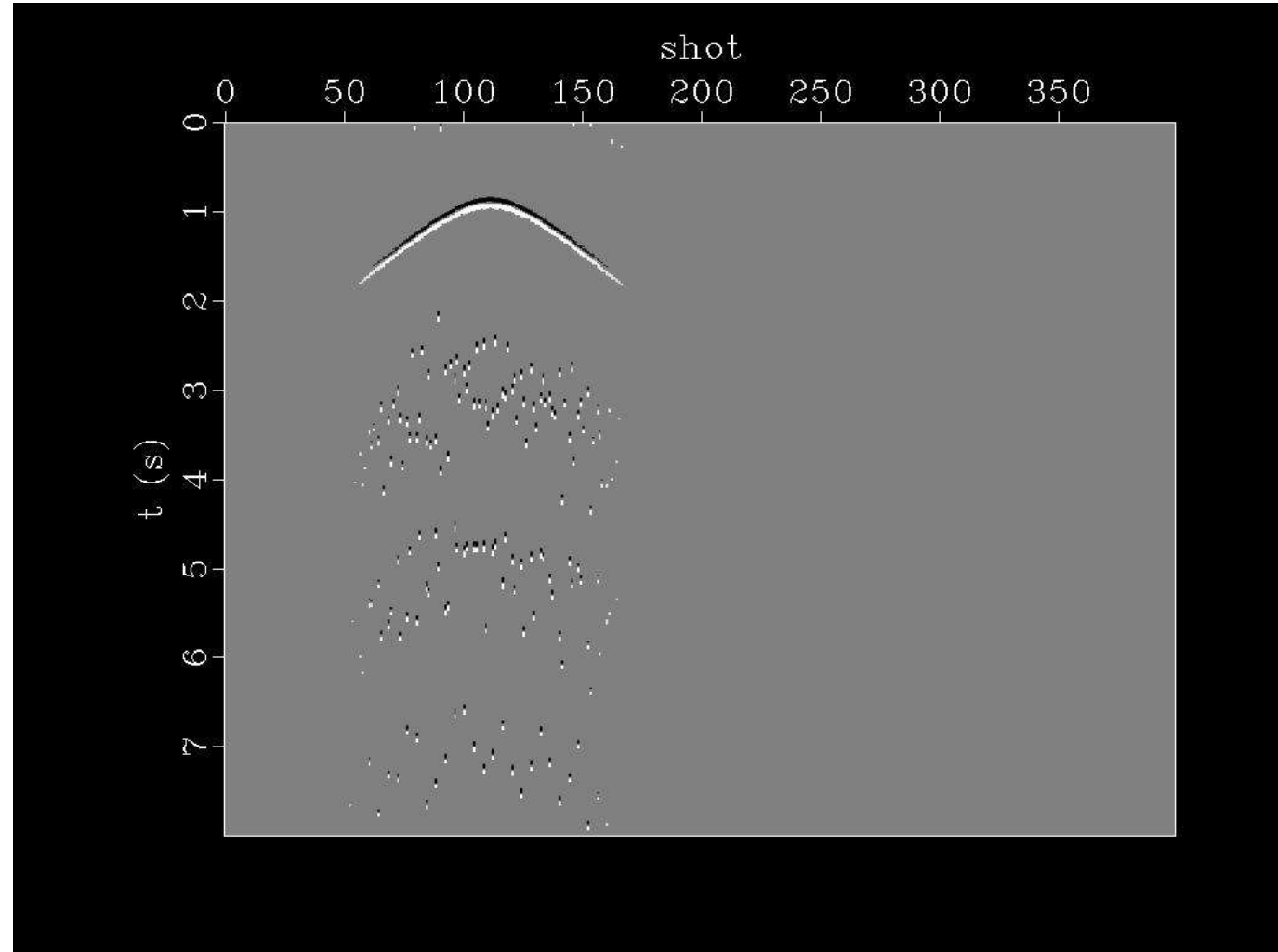
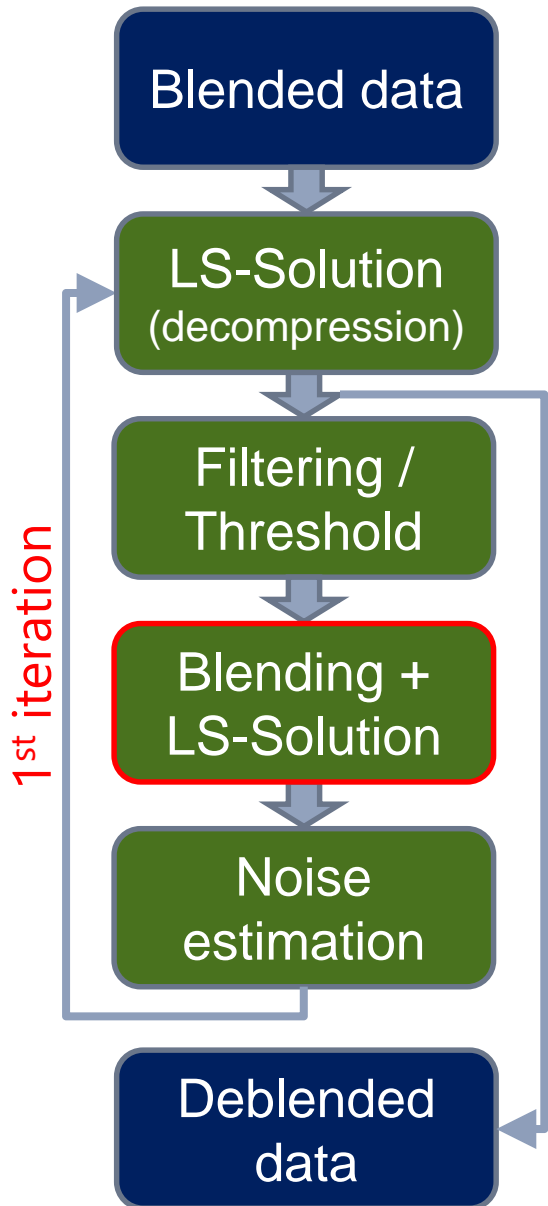
# Deblending - Iterative Estimation And Subtraction



$$P_{i+1} = \Gamma^+ P' - [\Gamma^+ \Gamma - I] T(P_i)$$

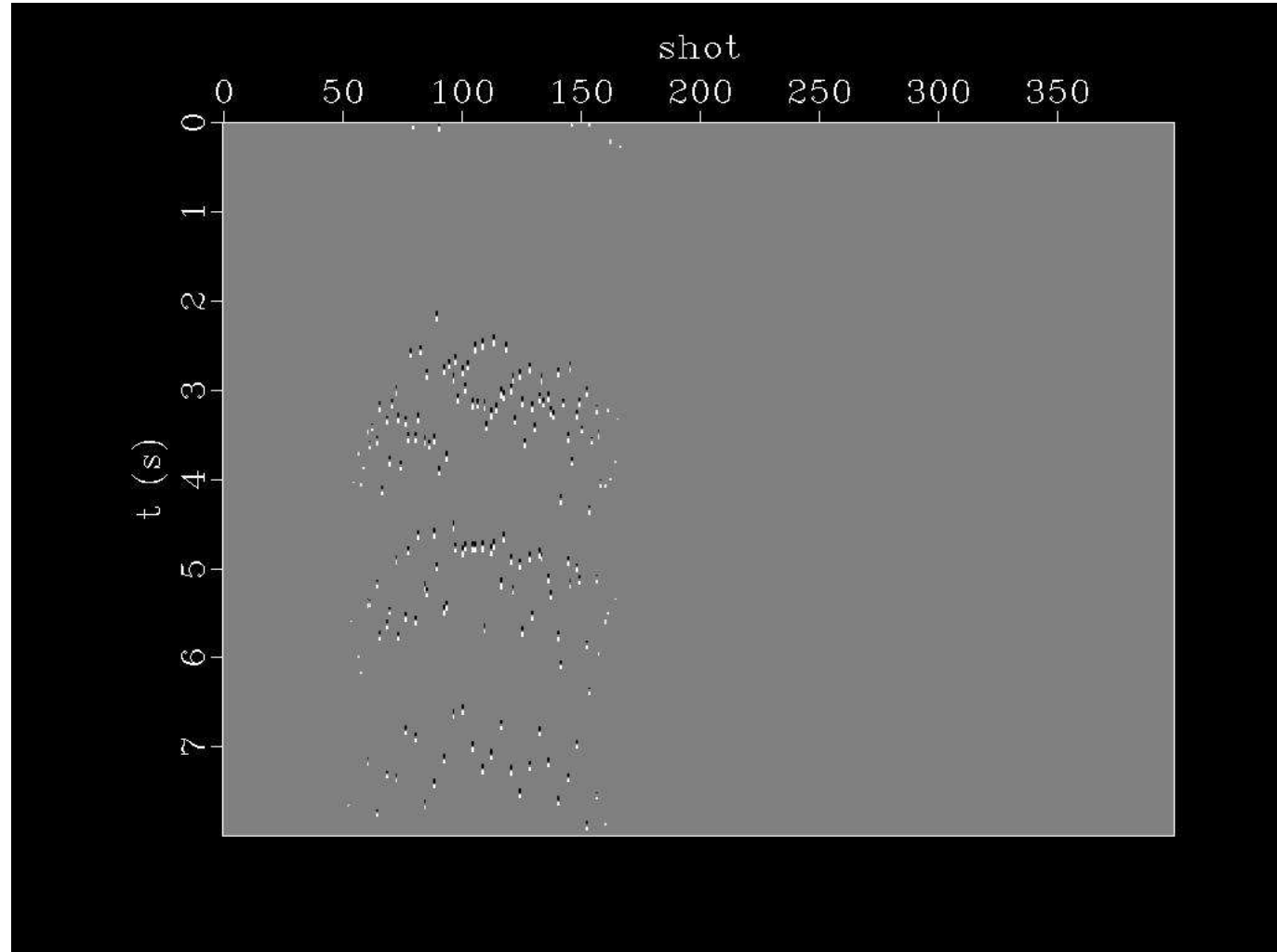
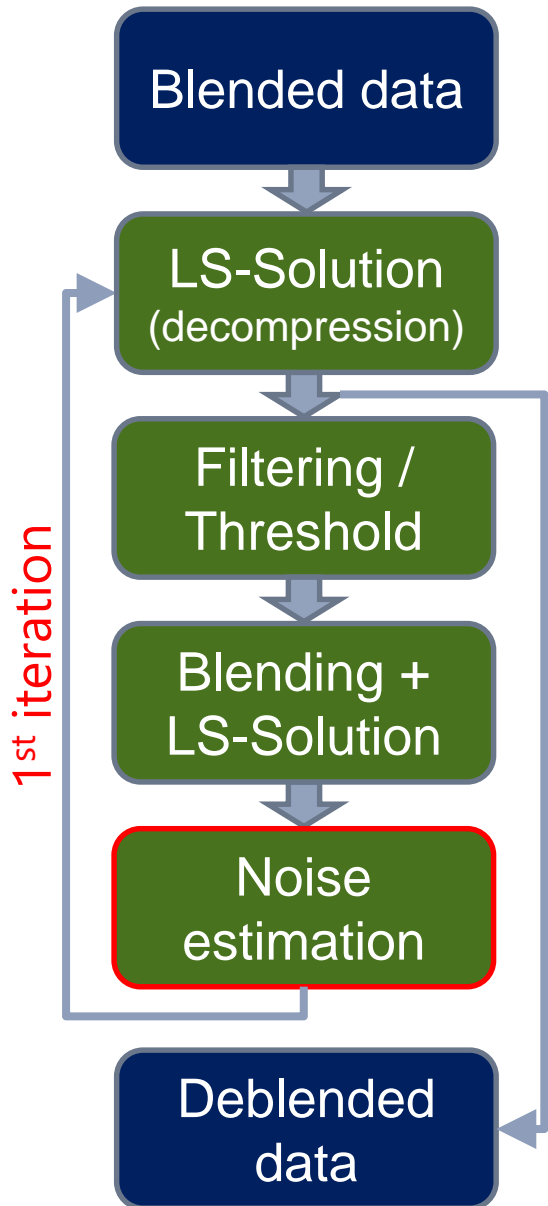


# Deblending - Iterative Estimation And Subtraction



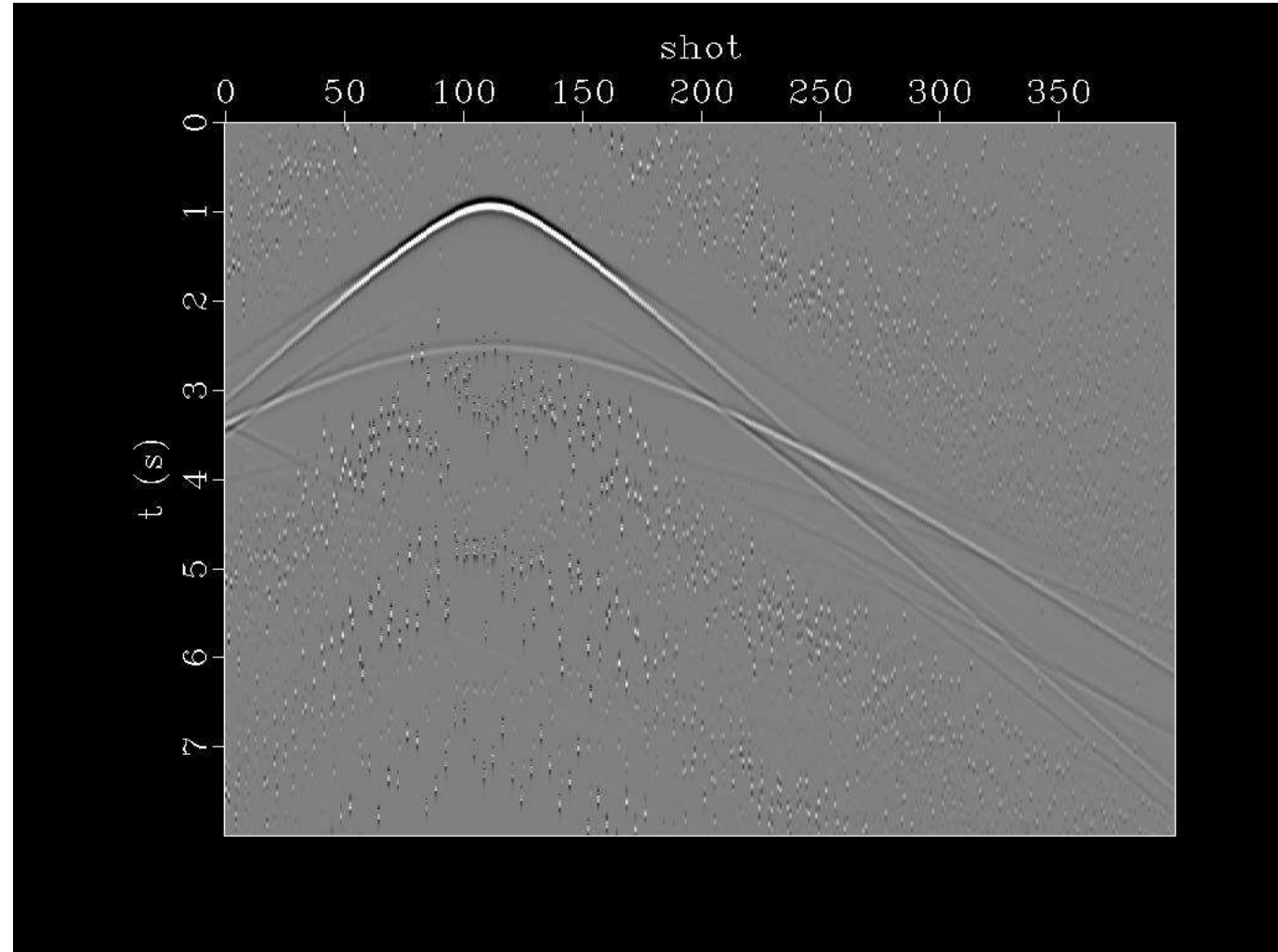
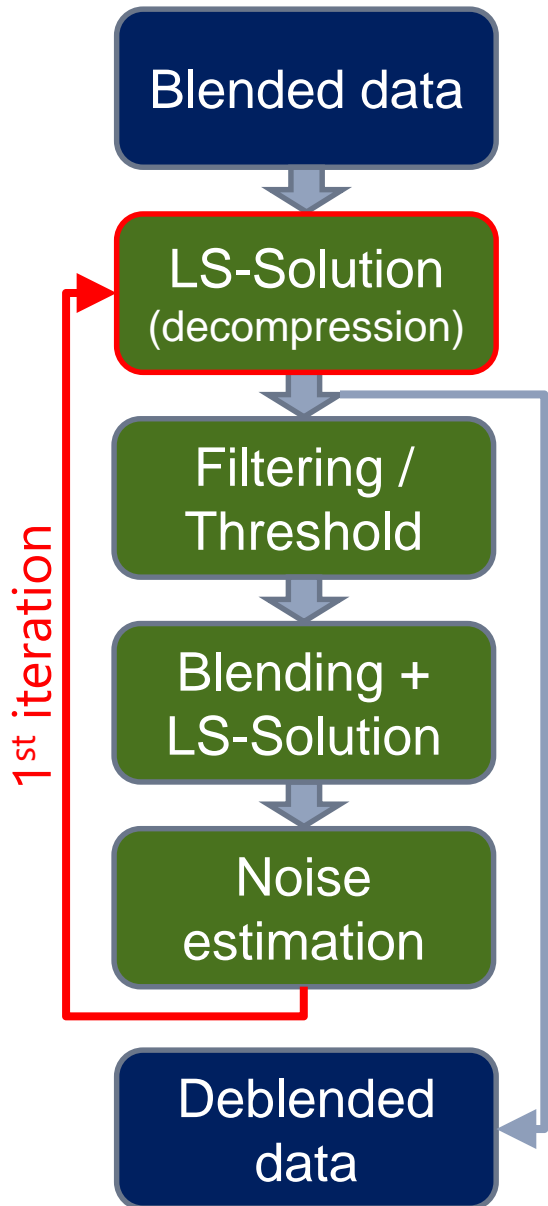
$$P_{i+1} = \Gamma^{\dagger} P' - [\Gamma^{\dagger} \Gamma - I] T(P_i)$$

# Deblending - Iterative Estimation And Subtraction



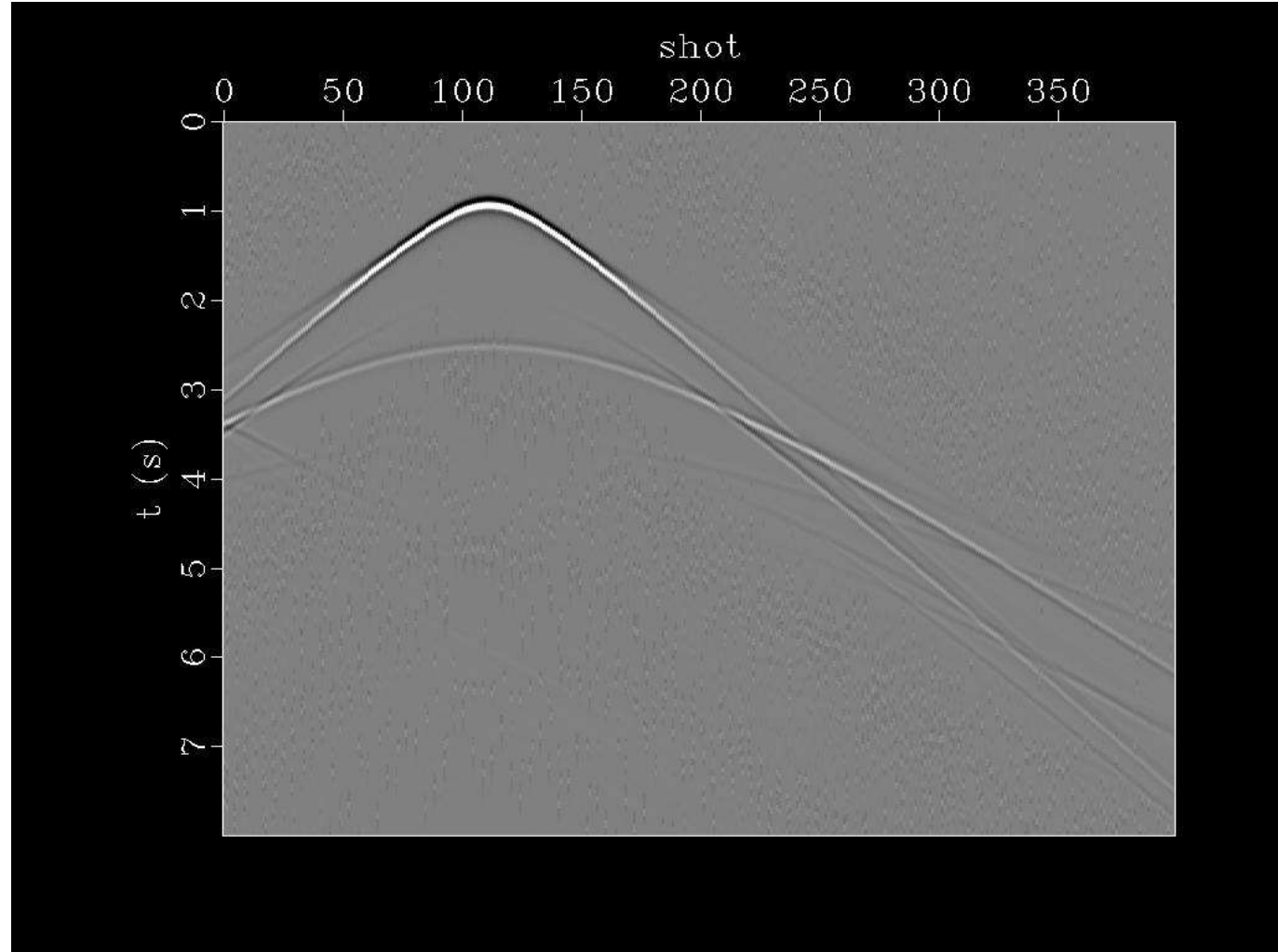
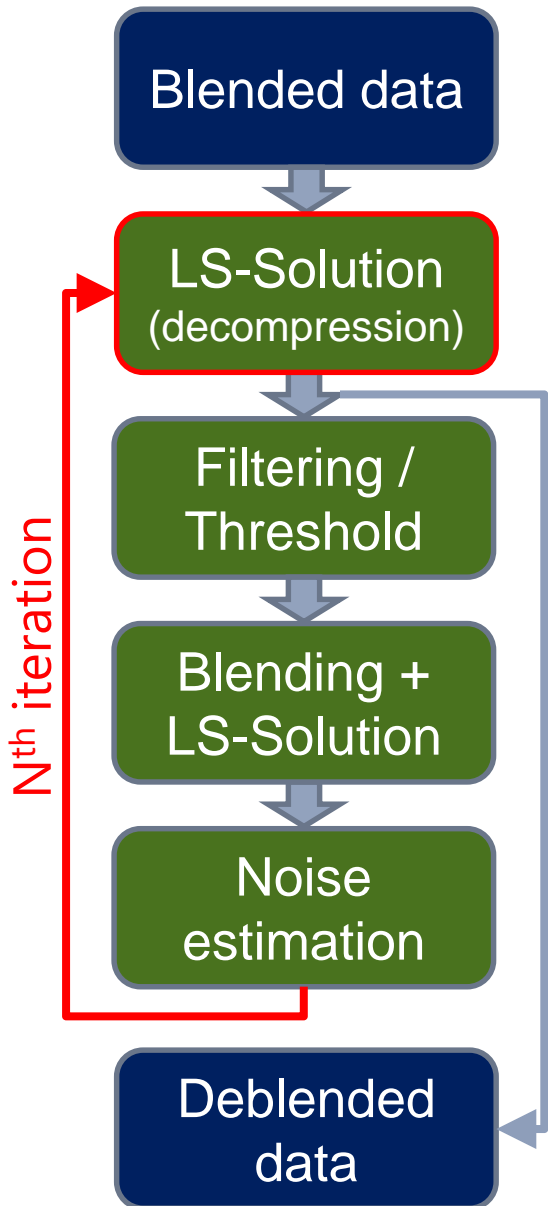
$$P_{i+1} = \Gamma^{\dagger} P' - [\Gamma^{\dagger} \Gamma - I] T(P_i)$$

# Deblending - Iterative Estimation And Subtraction



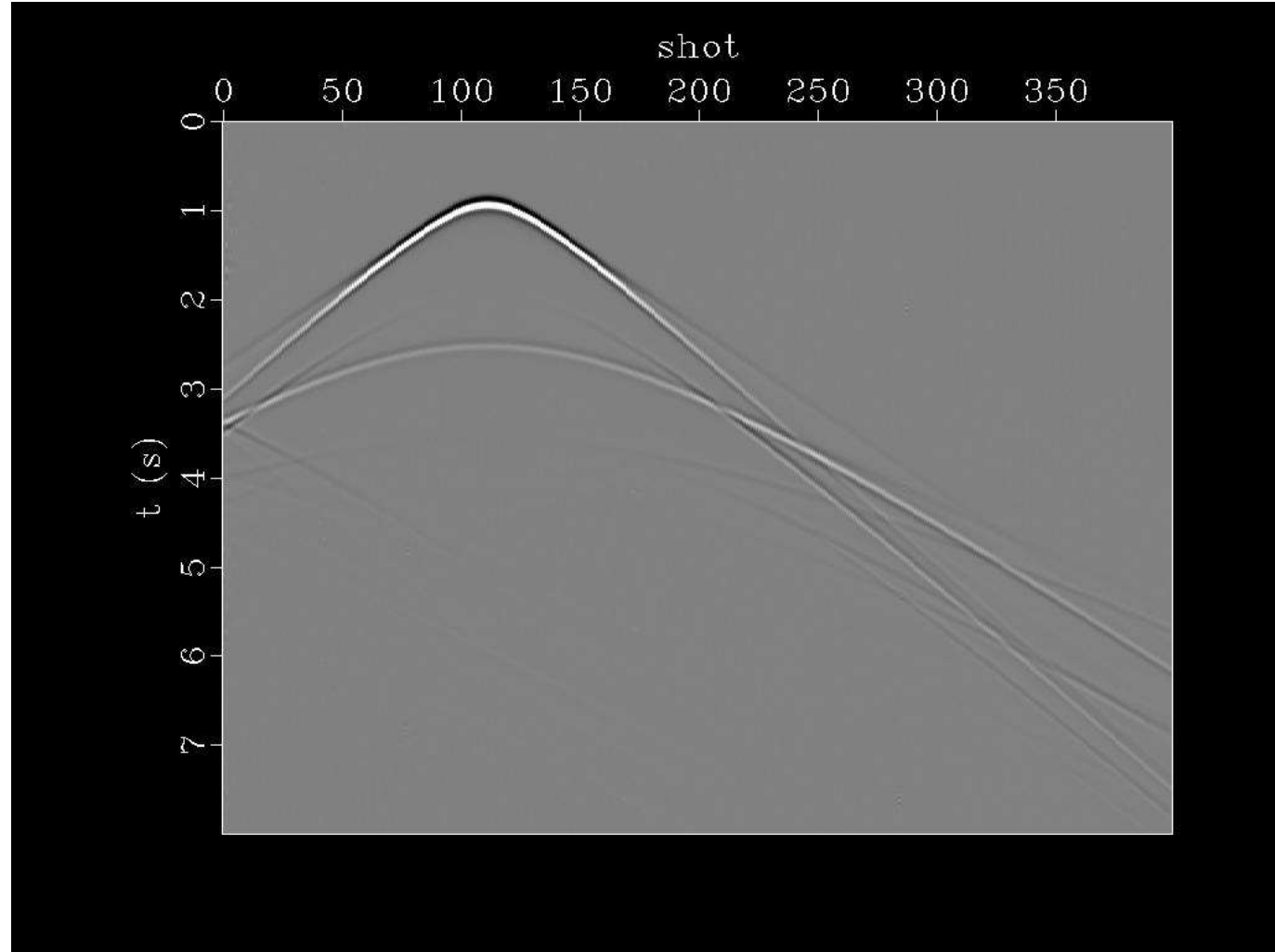
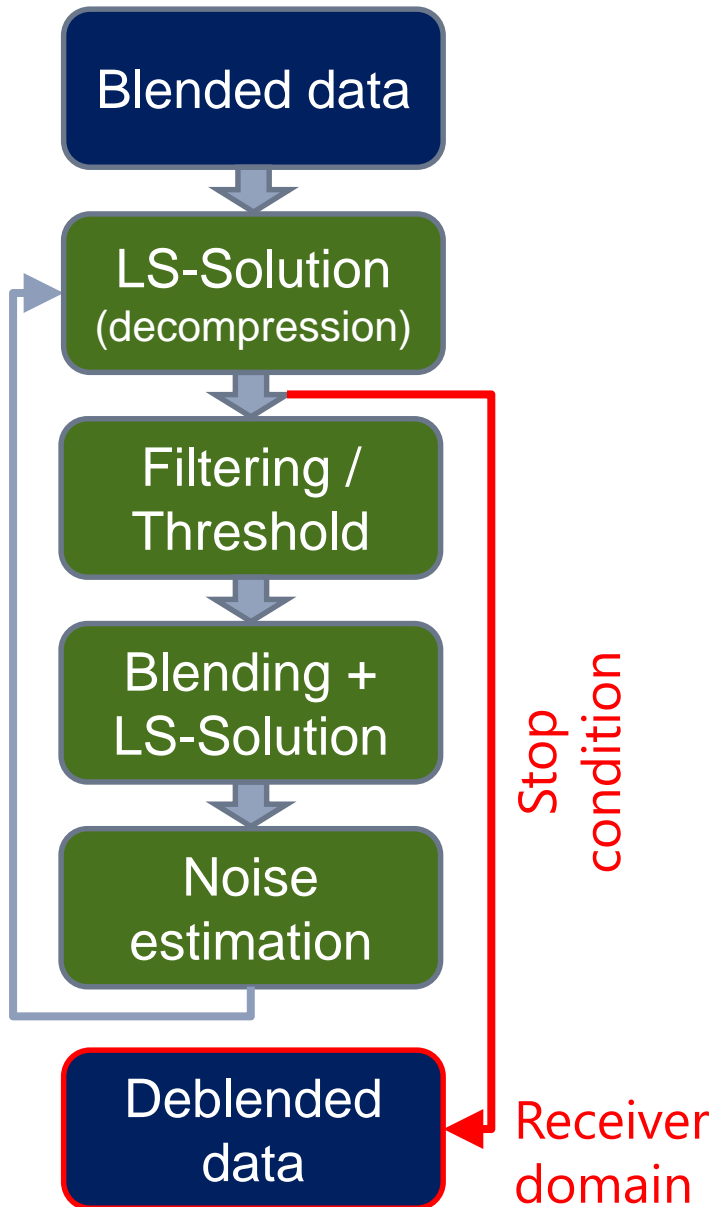
$$P_{i+1} = \Gamma^{\dagger} P' - [\Gamma^{\dagger} \Gamma - I] T(P_i)$$

# Deblending - Iterative Estimation And Subtraction

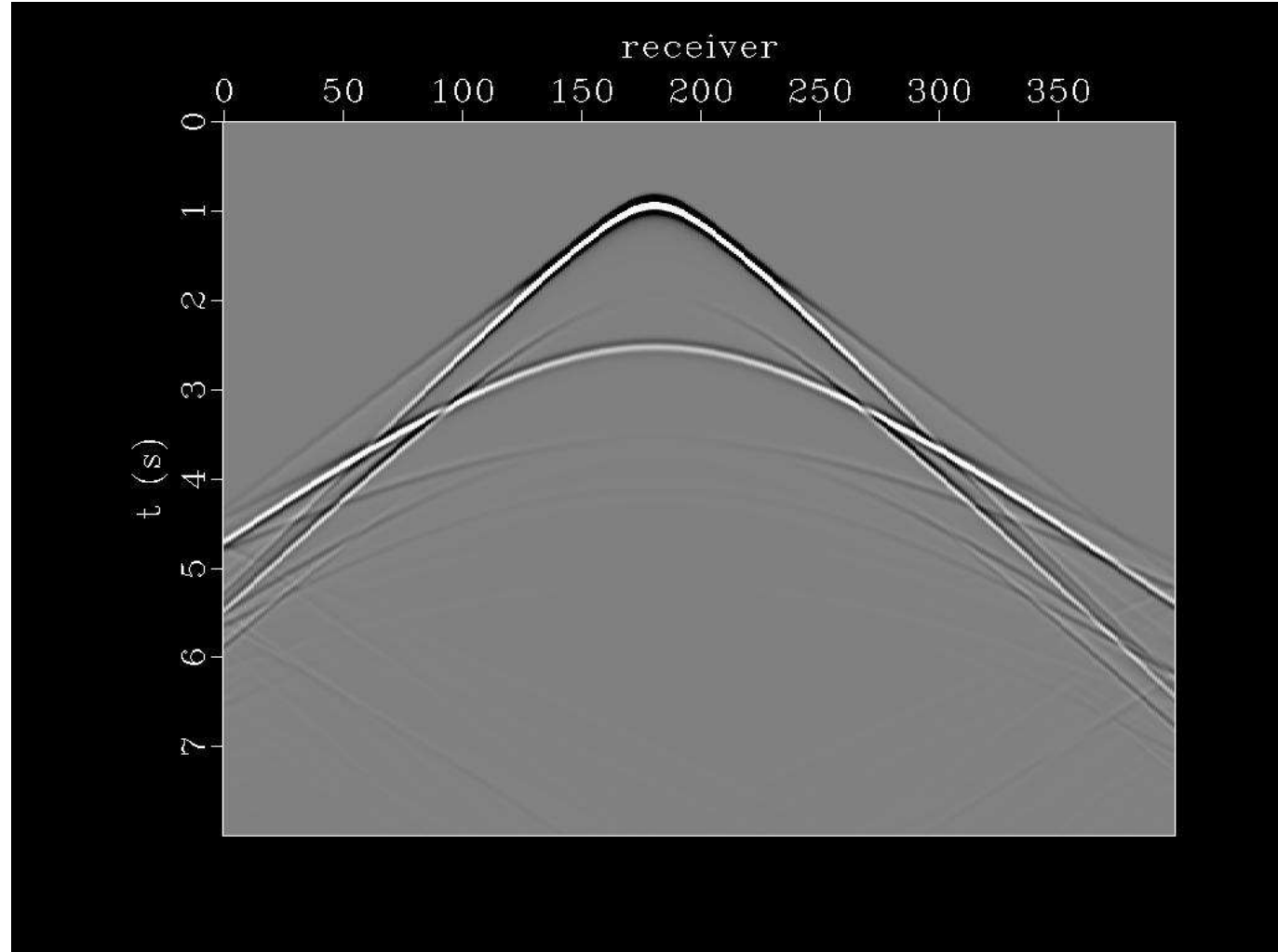
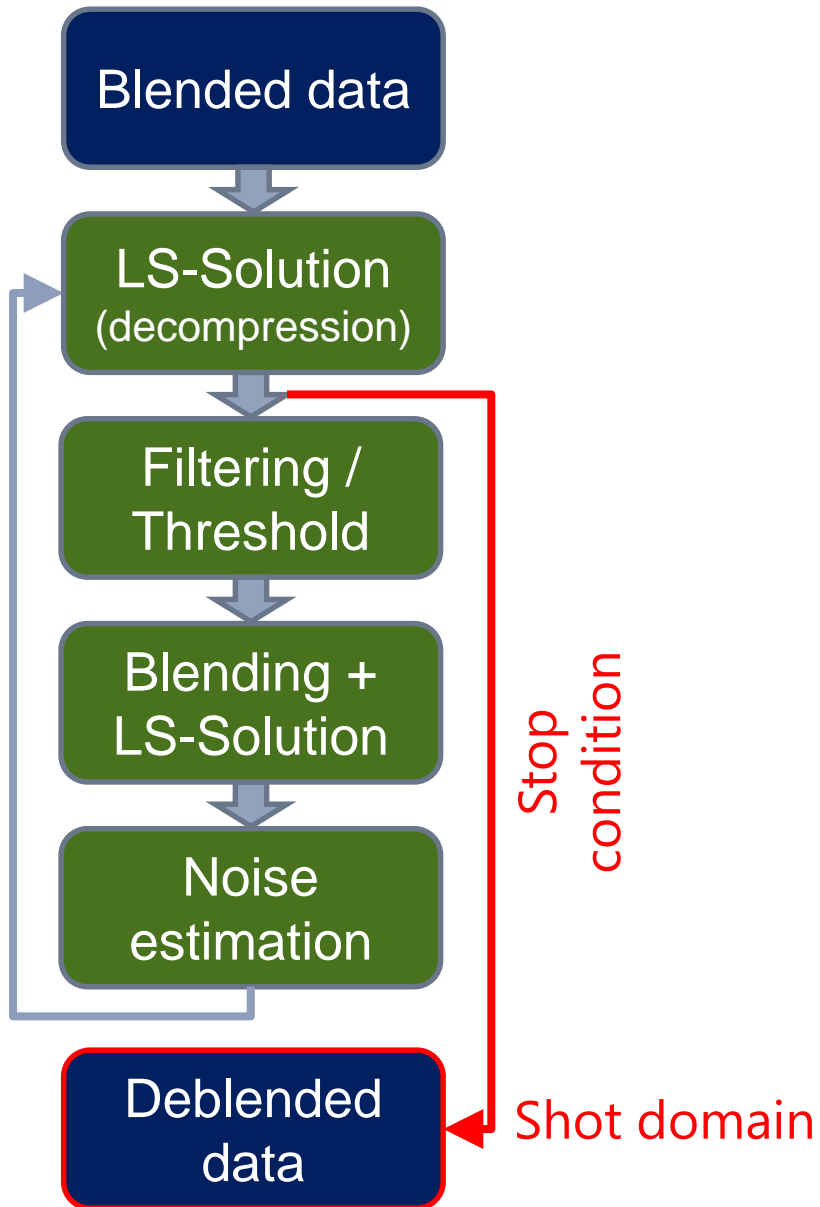


$$P_{i+1} = \Gamma^{\dagger} P' - [\Gamma^{\dagger} \Gamma - I] T(P_i)$$

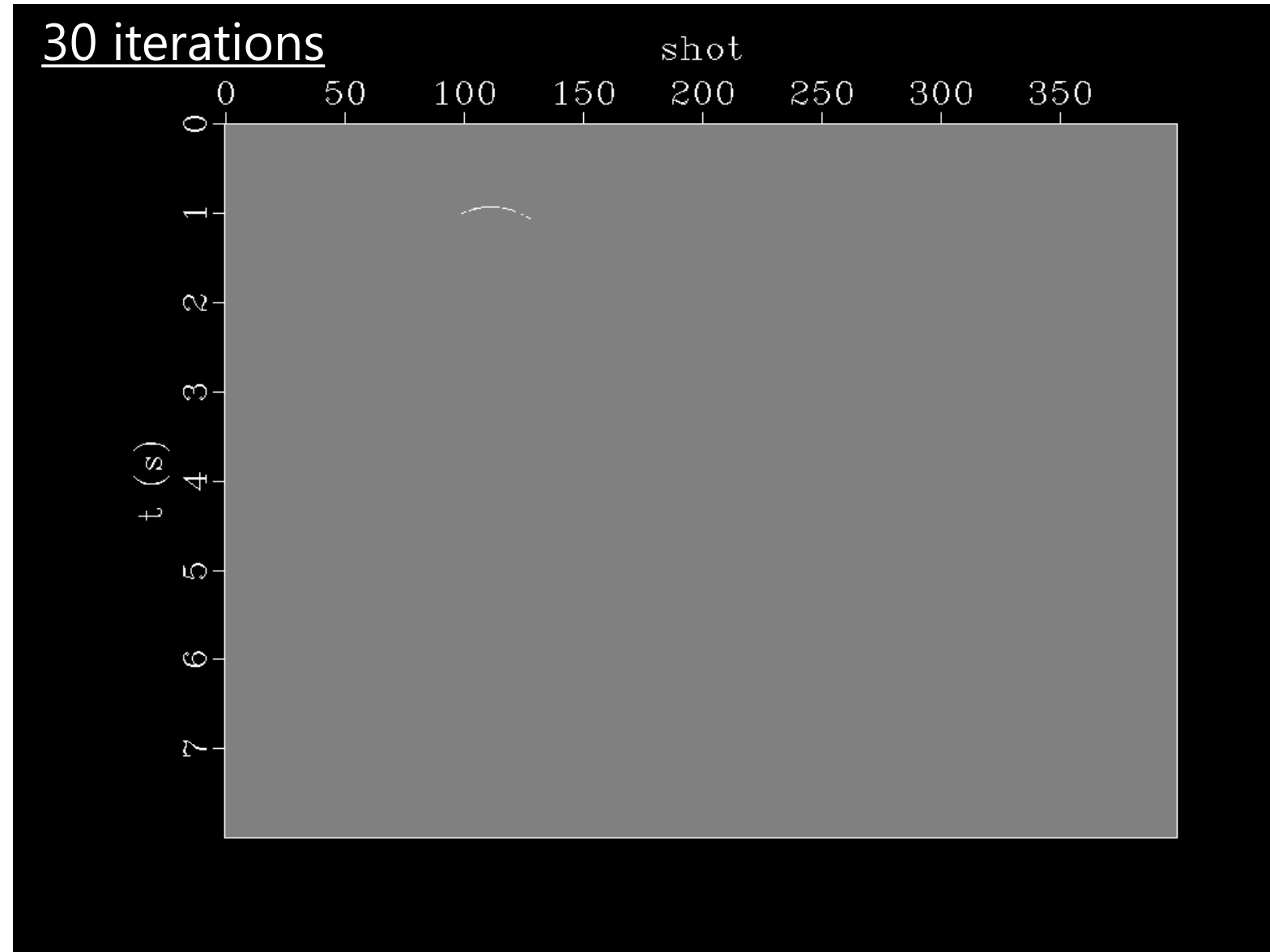
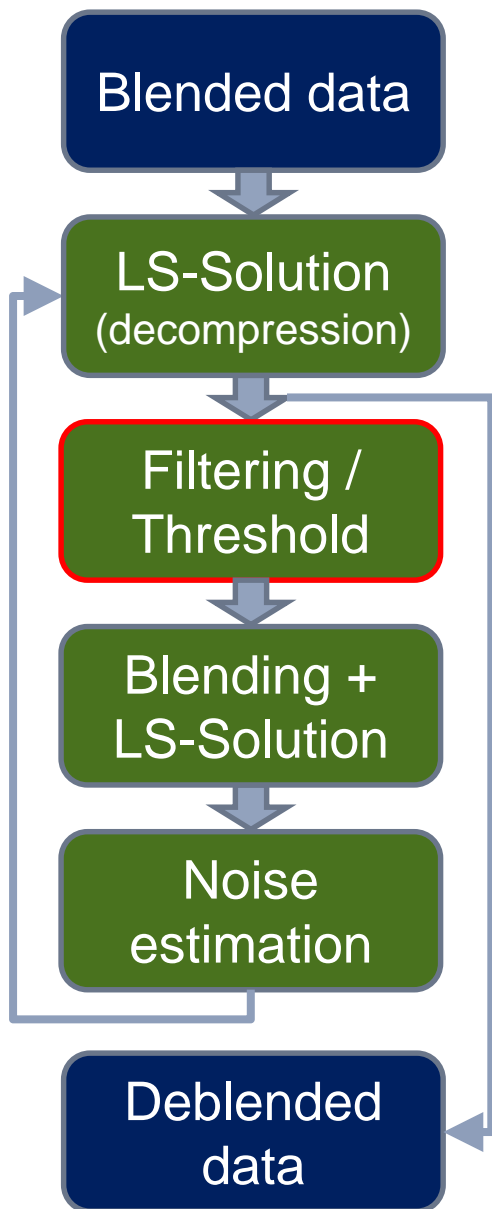
# Deblending - Iterative Estimation And Subtraction



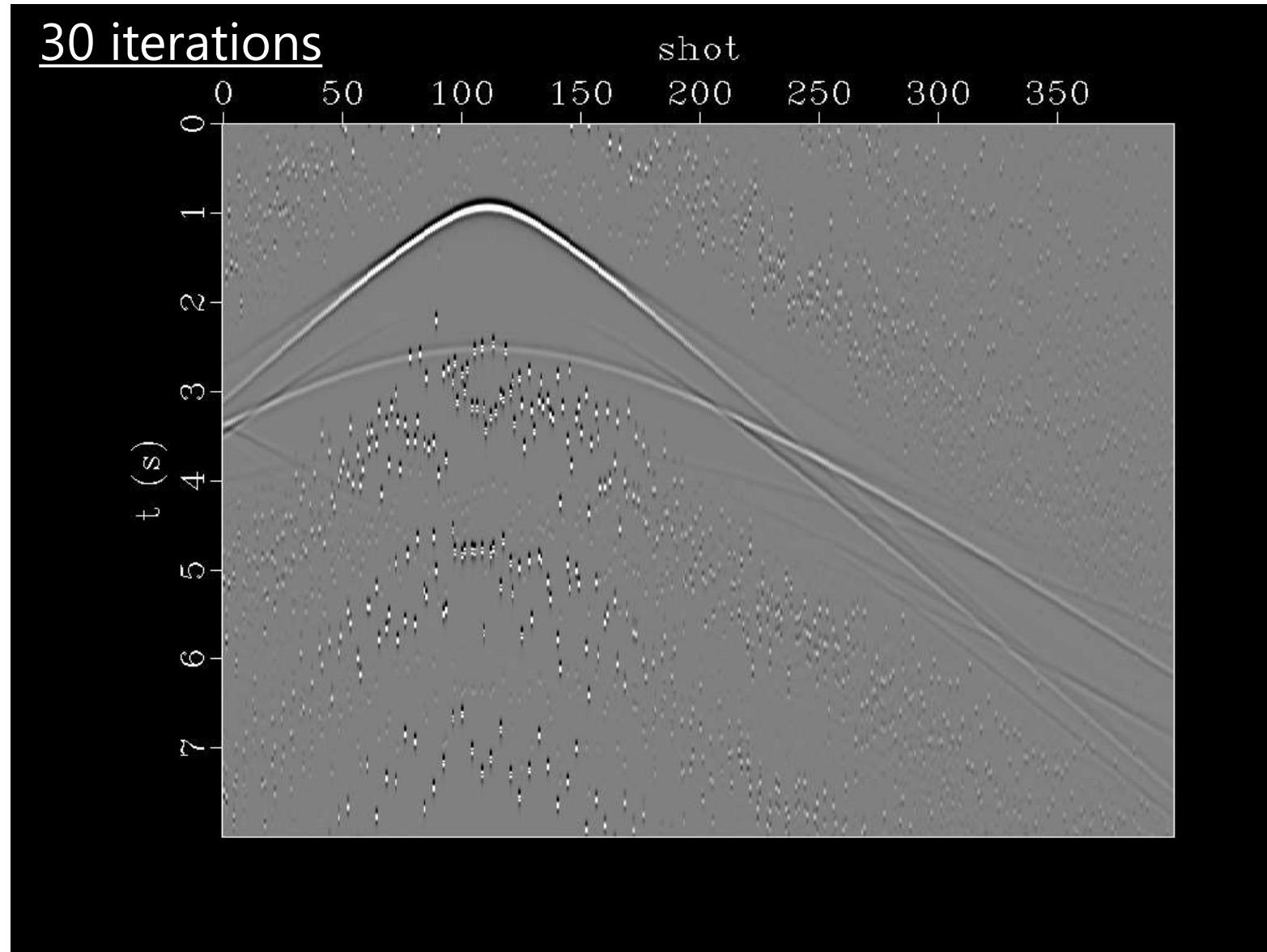
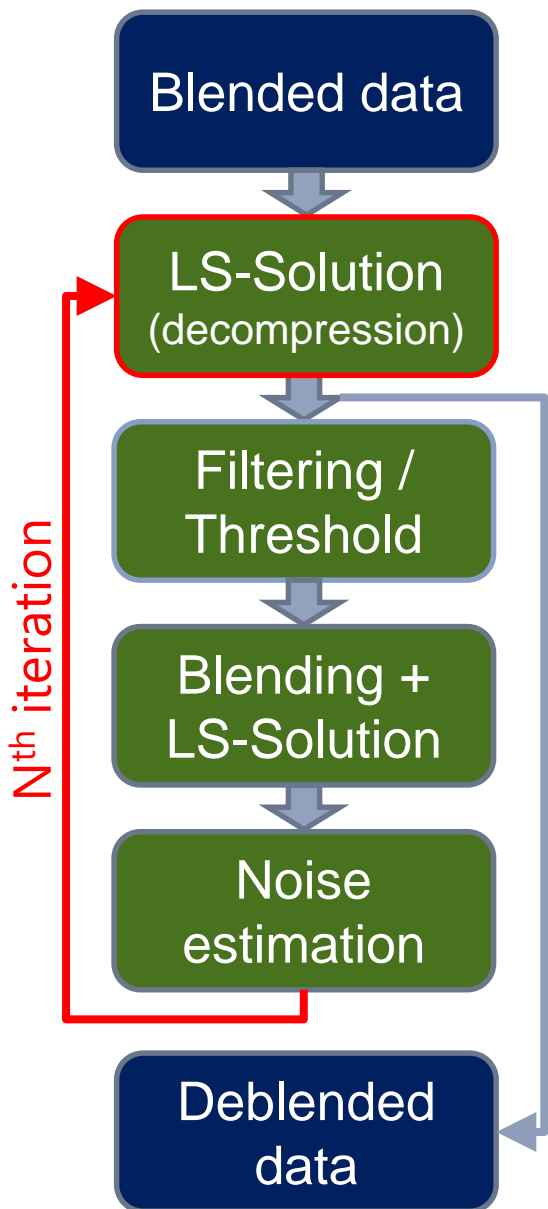
# Deblending - Iterative Estimation And Subtraction



# Deblending – Iterative estimation and subtraction



# Deblending – Iterative estimation and subtraction





# Outline

 Objective

 Theoretical background

- Blending
- Deblending

 **Results**

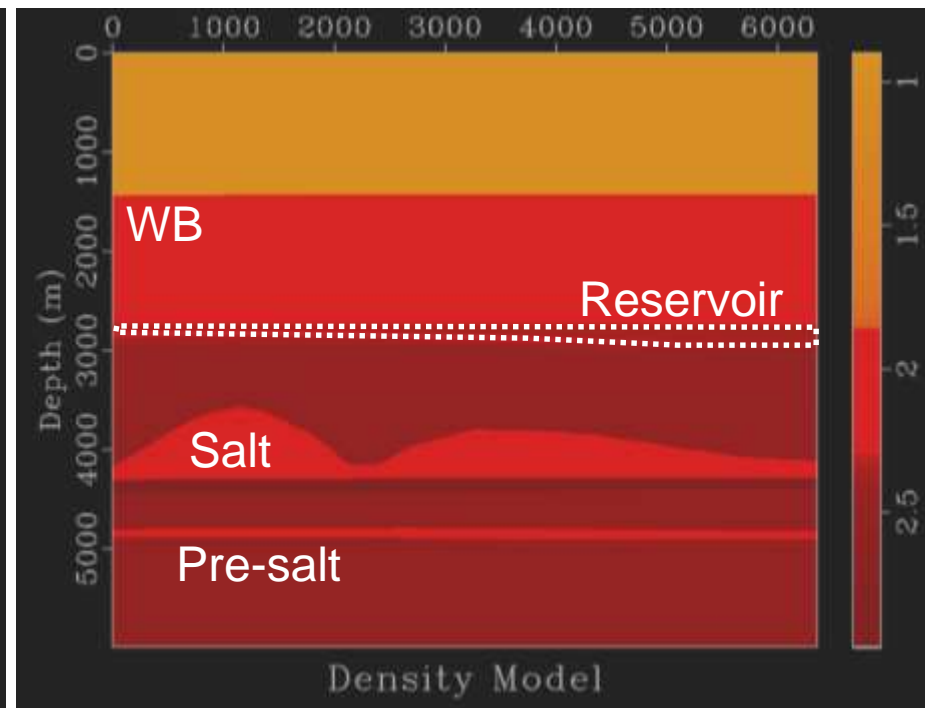
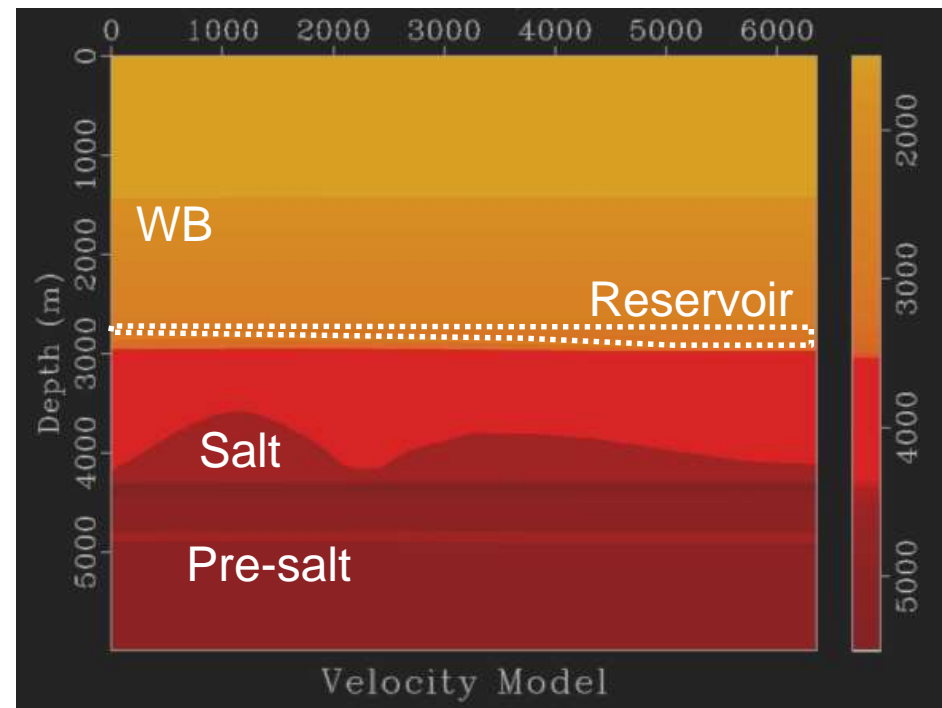
- Synthetic data
- Field data

 Final remarks

 Next steps

# Results – Synthetic data (Modeling)

## 2D Synthetic model with Jubarte field properties



### Simulation:

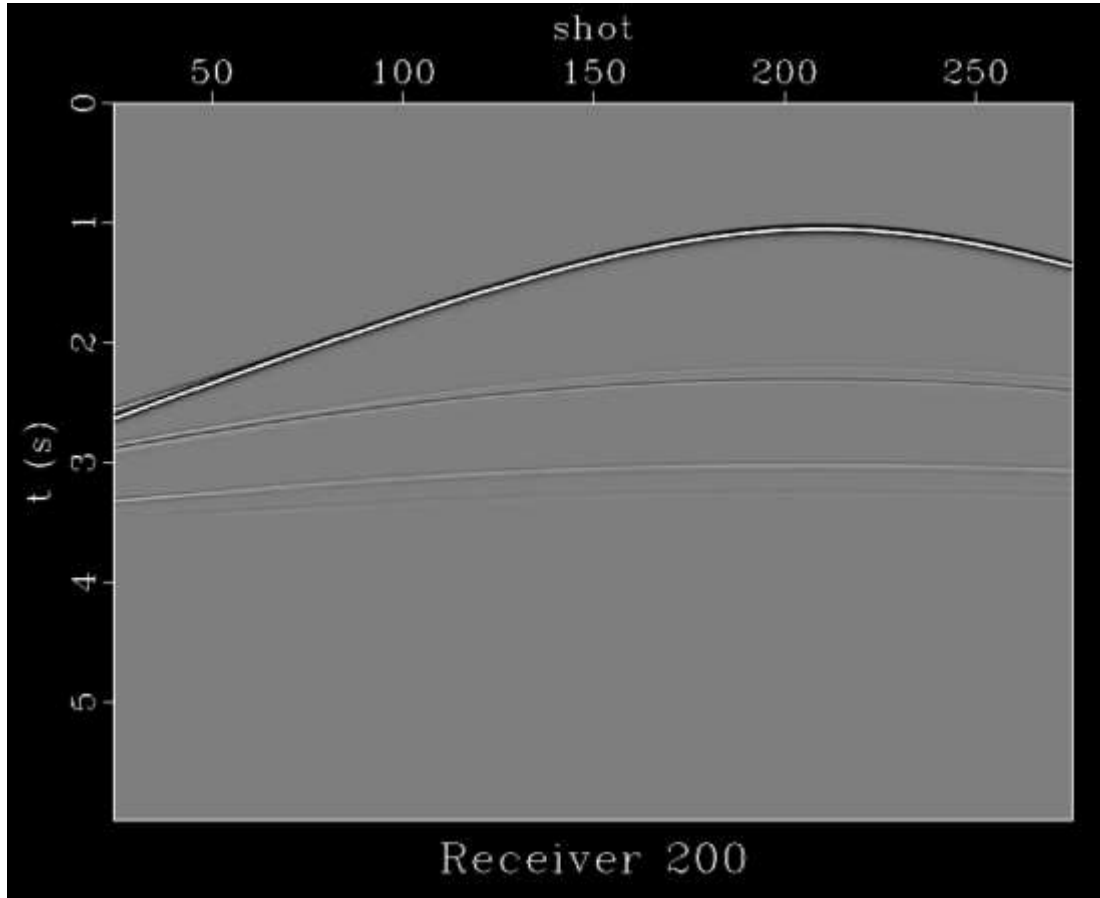
- **N° of sources/record = 4**
- **Shot int. = 25 m**
- **Source depth = 10 m**
- **Rec. depth = 1430 m**
- **Record length = 10 sec**
- **Firing int. =  $2.5 \pm 0.4$  sec**
- **Wavelet freq = 25 Hz**

### Assumptions:

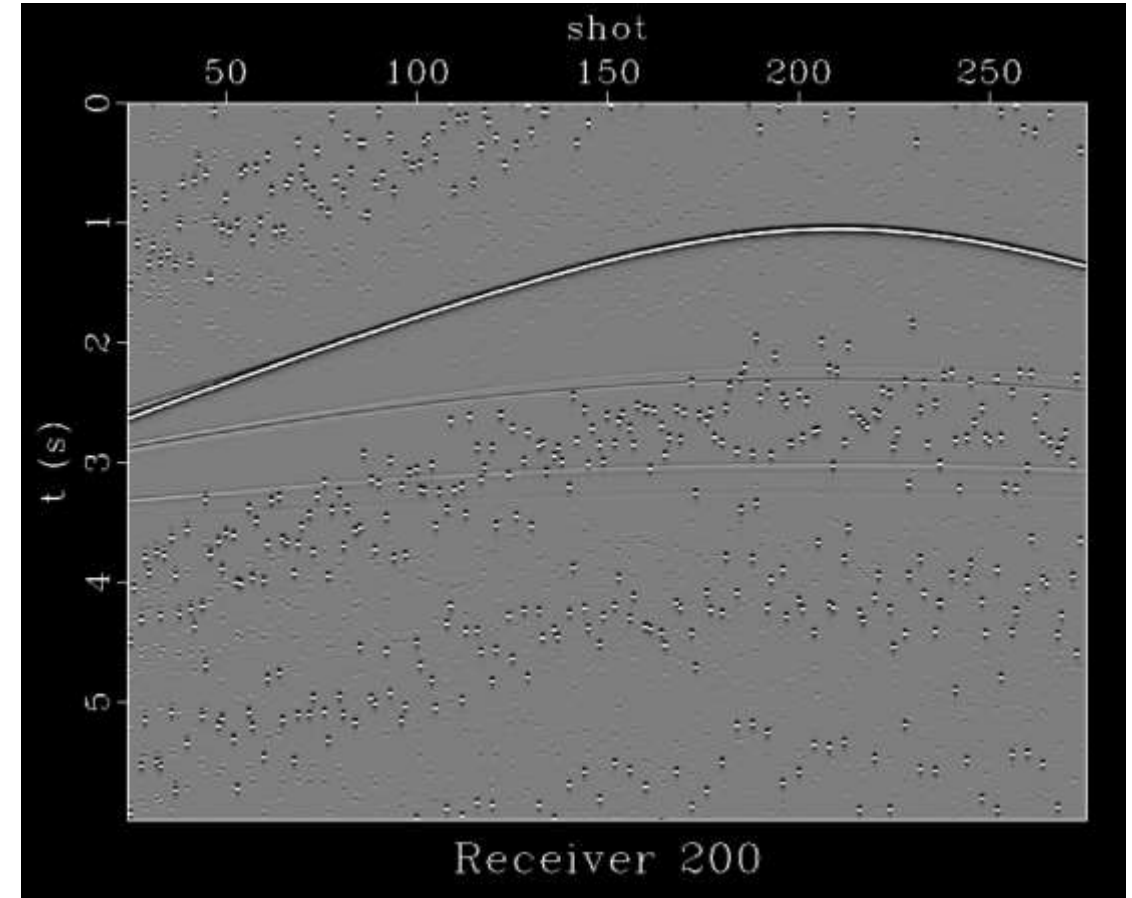
- **Noise free!**
- **Blending neighbor shots → one source ship with increased speed**

# Comparative Analysis in the Receiver Domain

# Results – Synthetic data (Receiver domain)

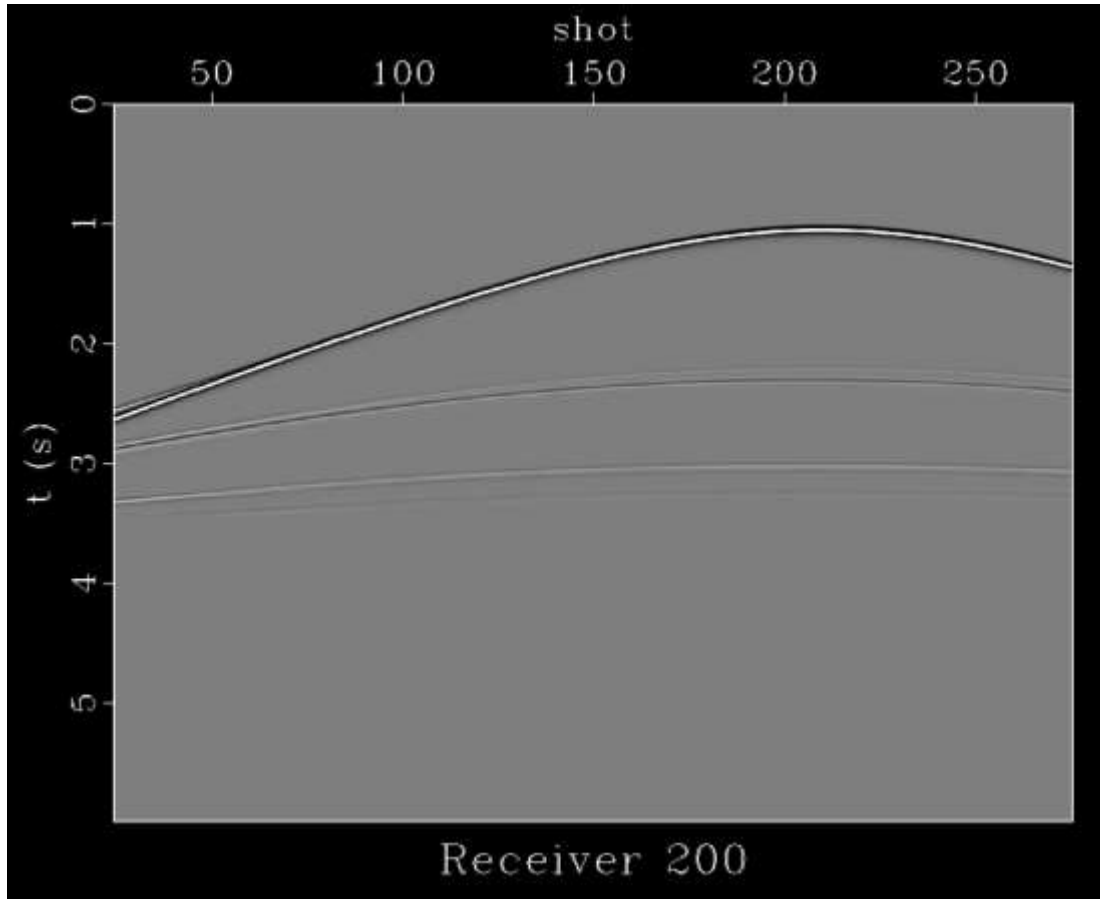


Original unblended data

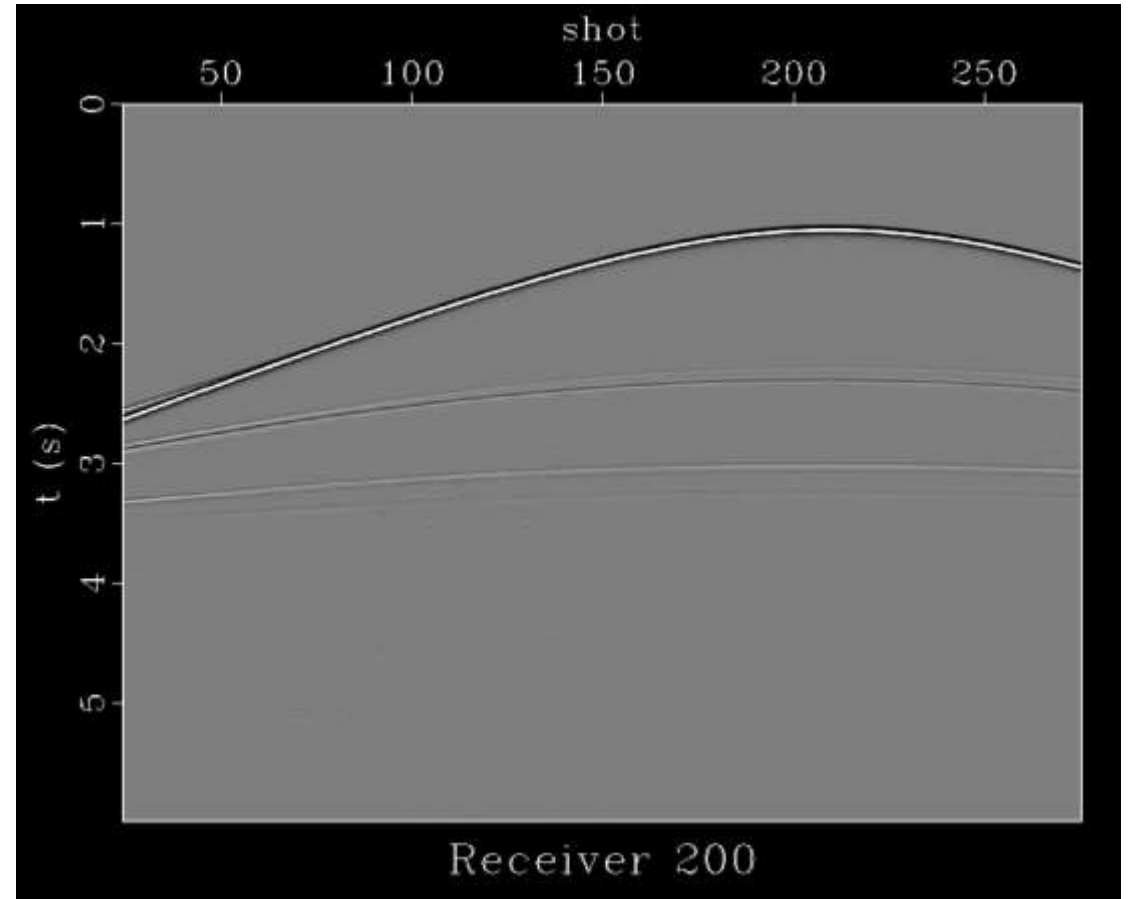


Data after LS-solution

# Results – Synthetic data (Receiver domain)

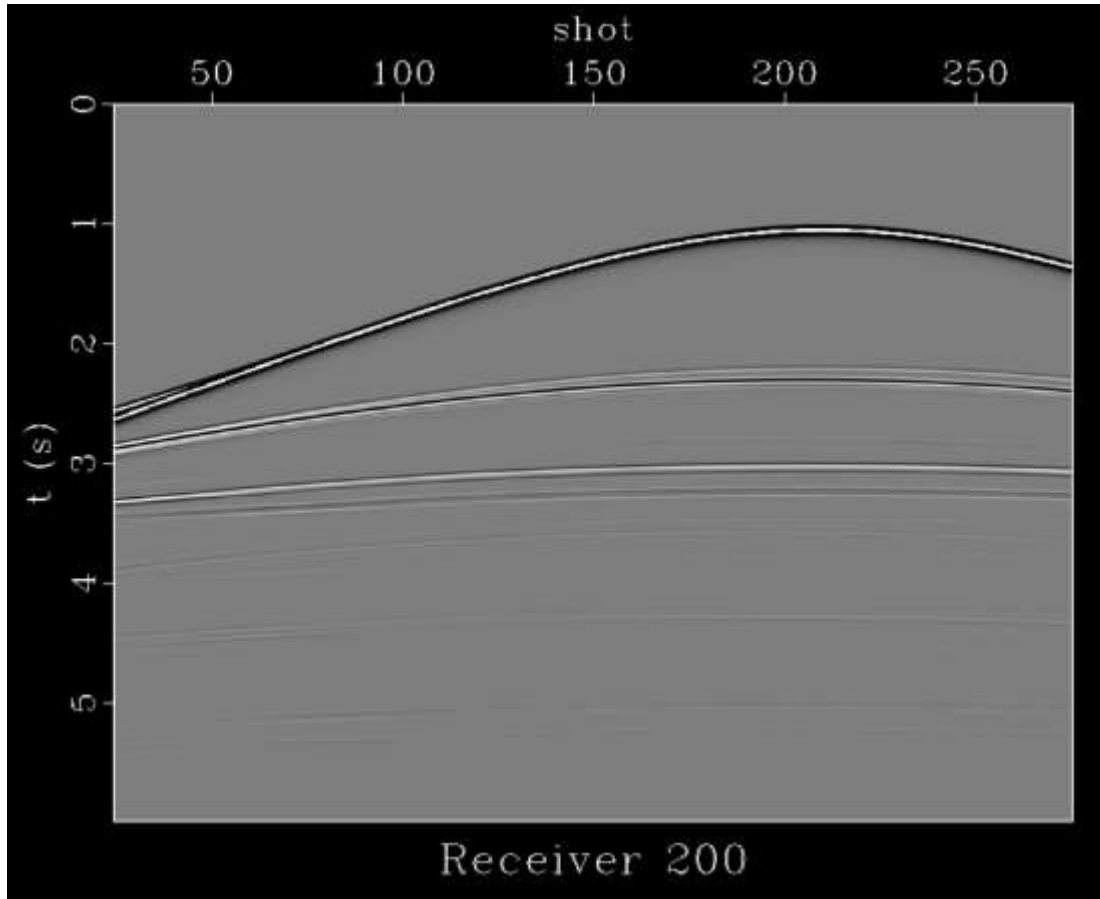


Original unblended data

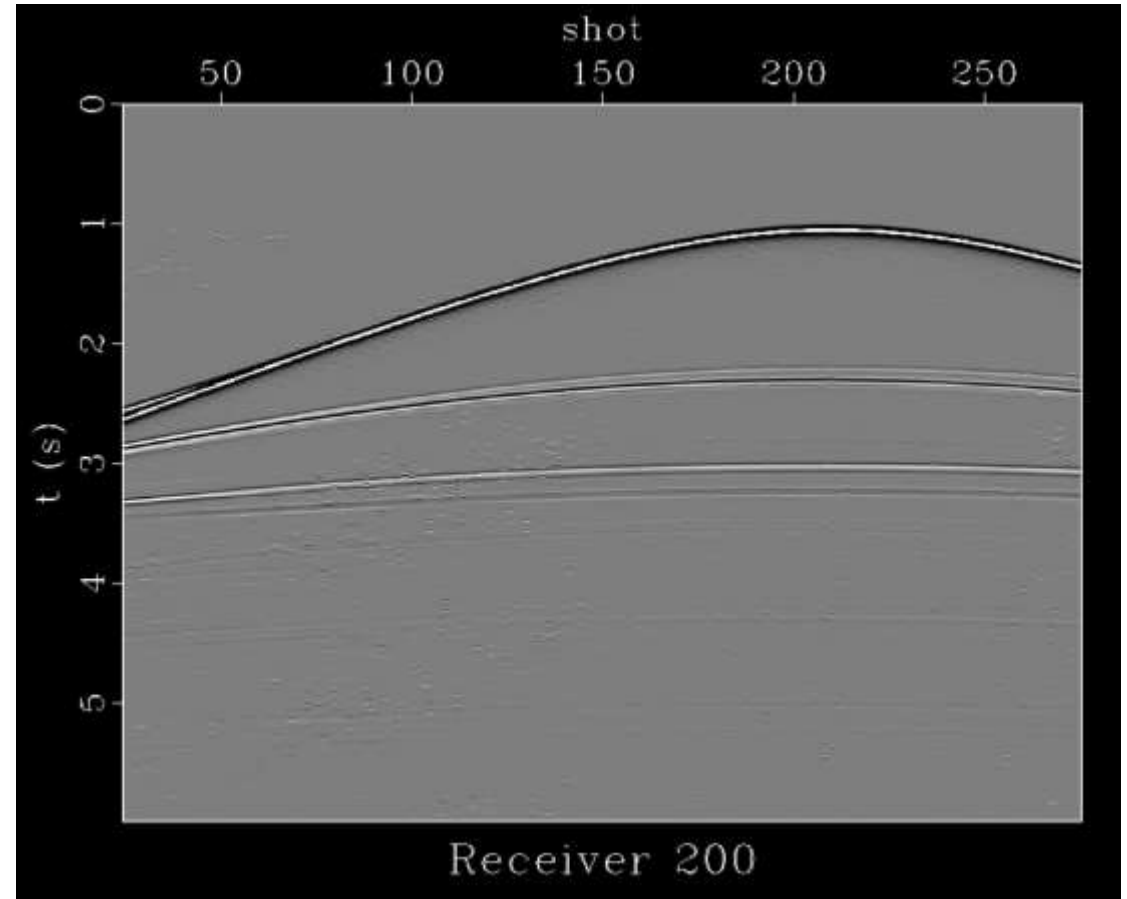


Deblended data after 30 iterations

# Results – Synthetic data (Receiver domain)

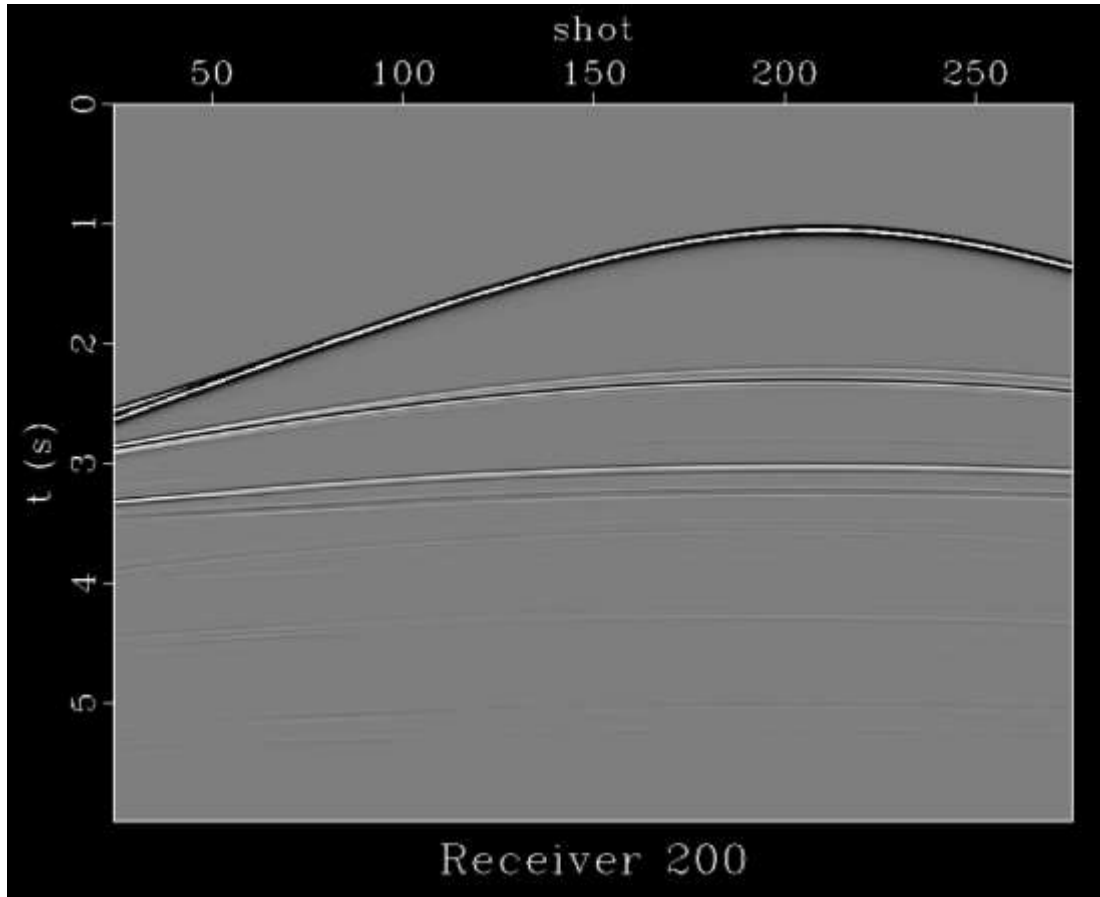


Original unblended data  
(with CLIPPING)

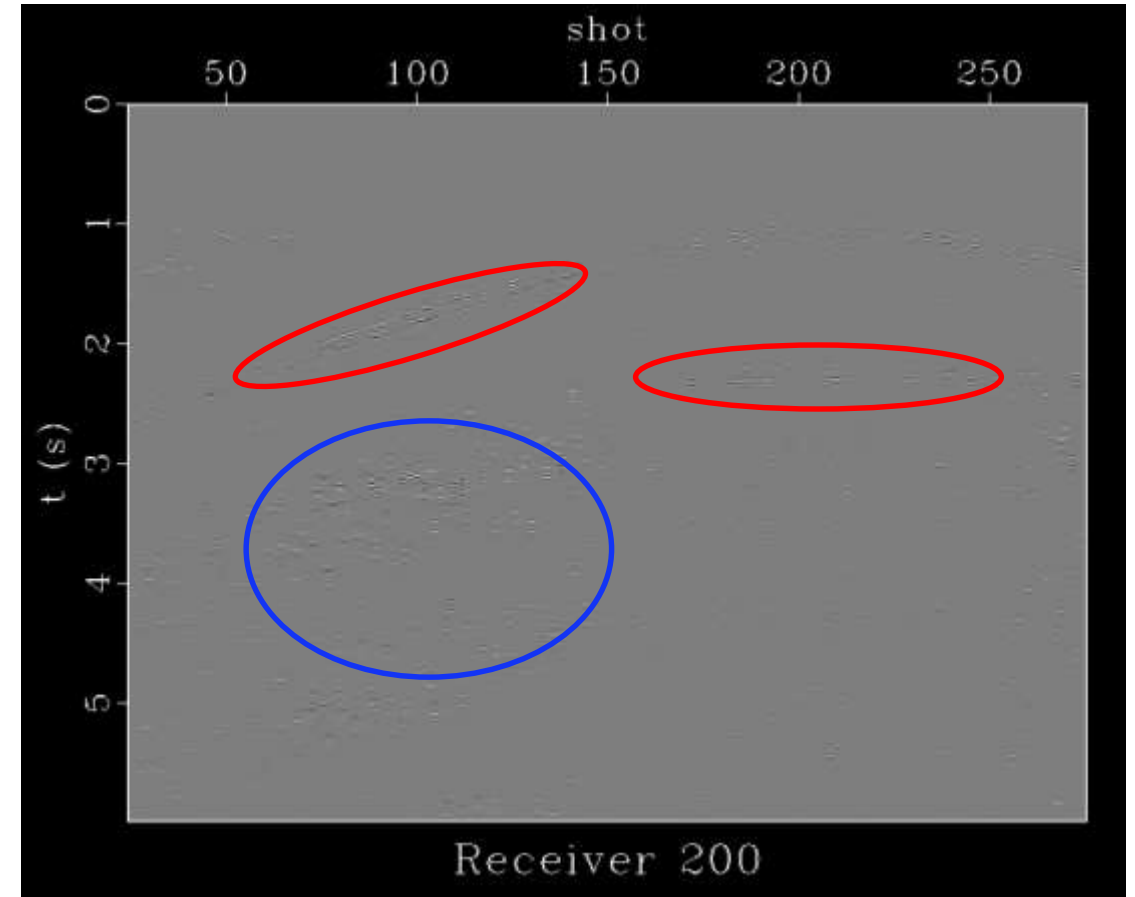


Deblended data after 30 iterations  
(with CLIPPING)

# Results – Synthetic data (Receiver domain)



Original unblended data  
(with CLIPPING)

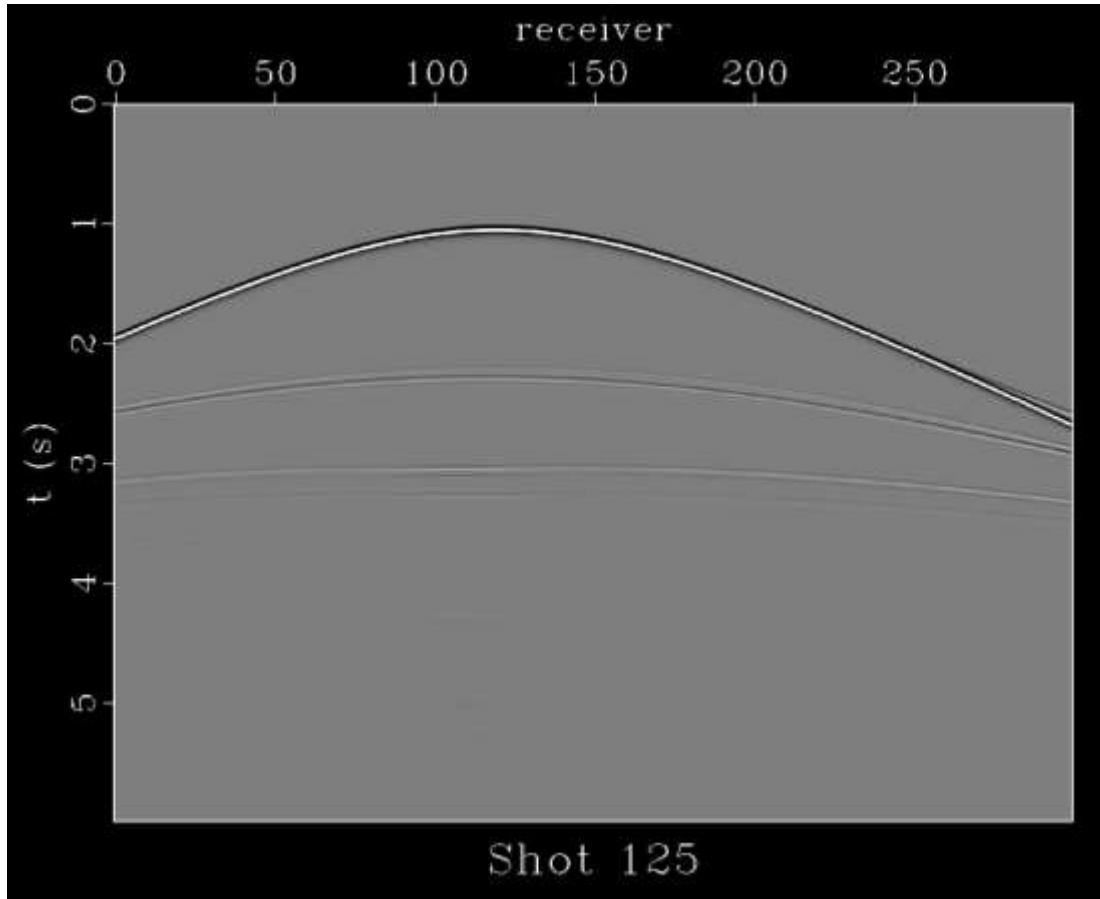


Deblending ERROR  
(with CLIPPING)

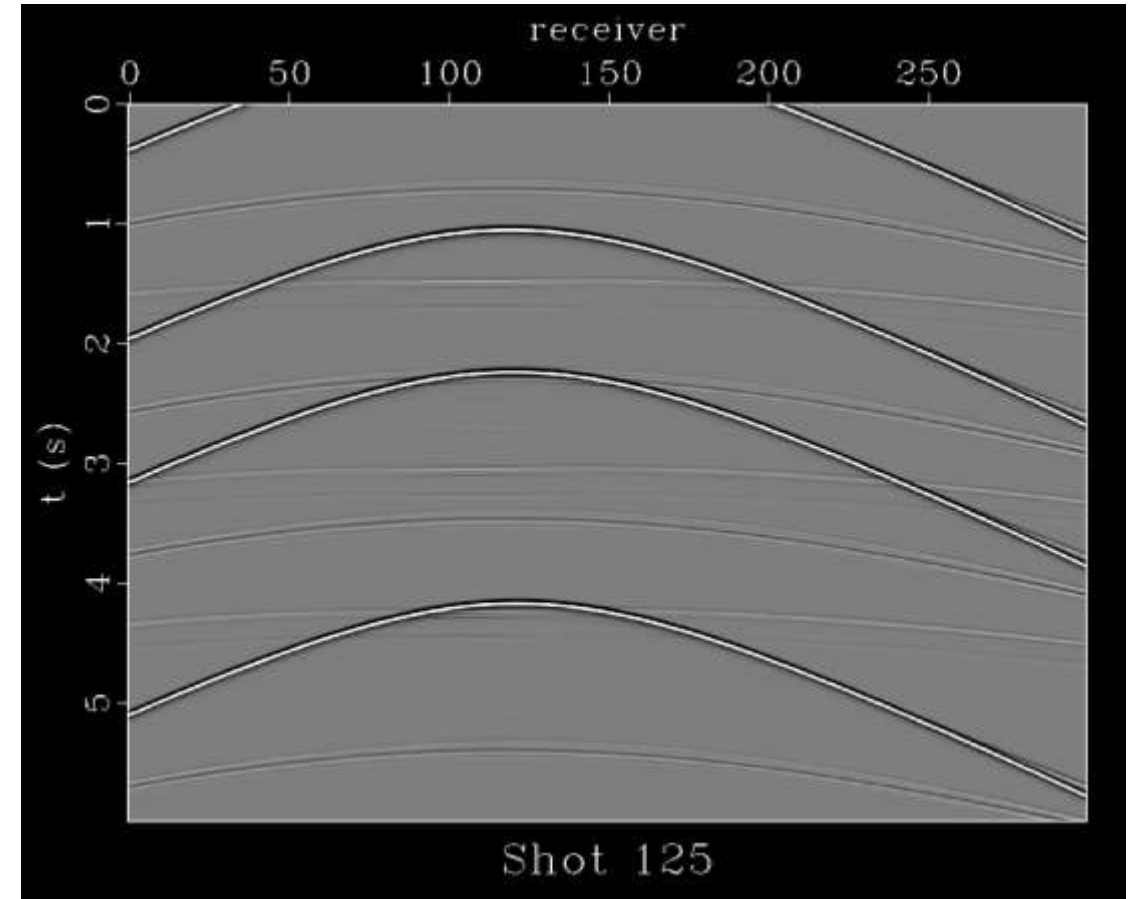
# Comparative Analysis in the Shot Domain



# Results – Synthetic data (Shot domain)

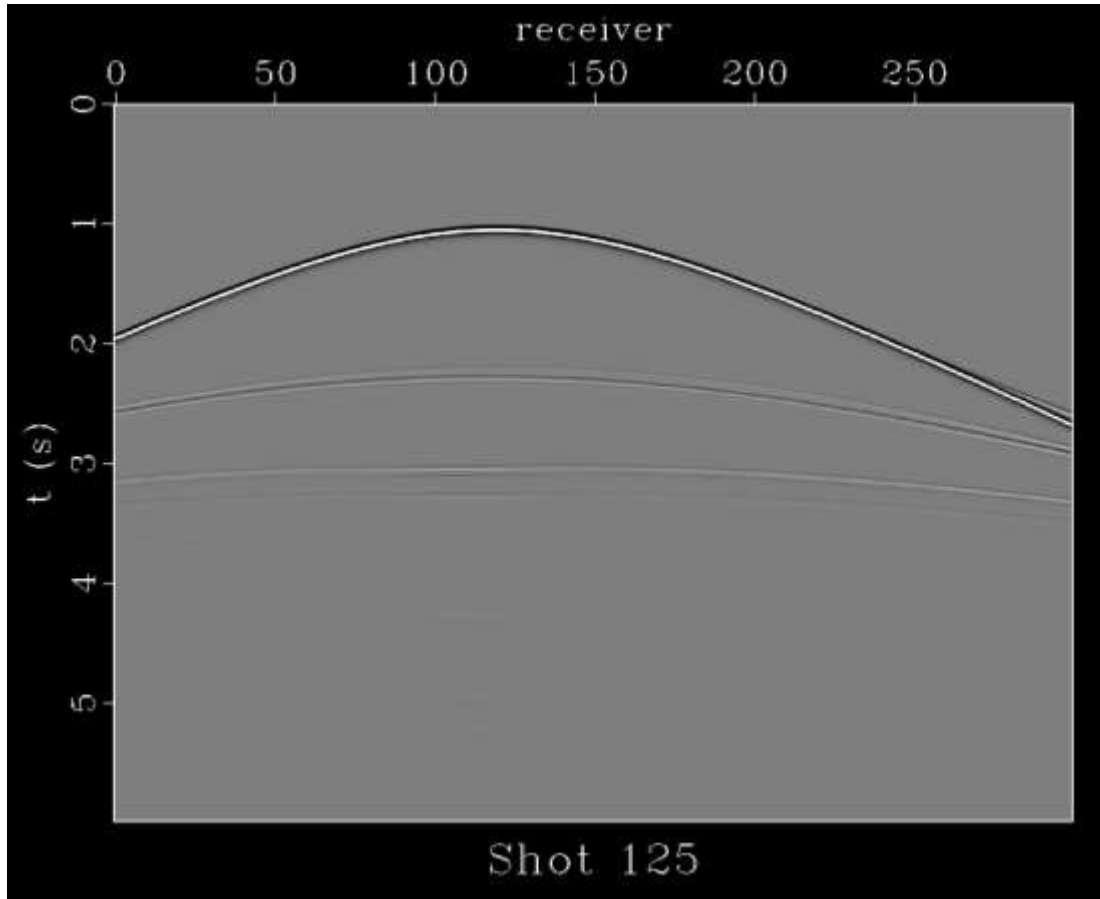


Original unblended data

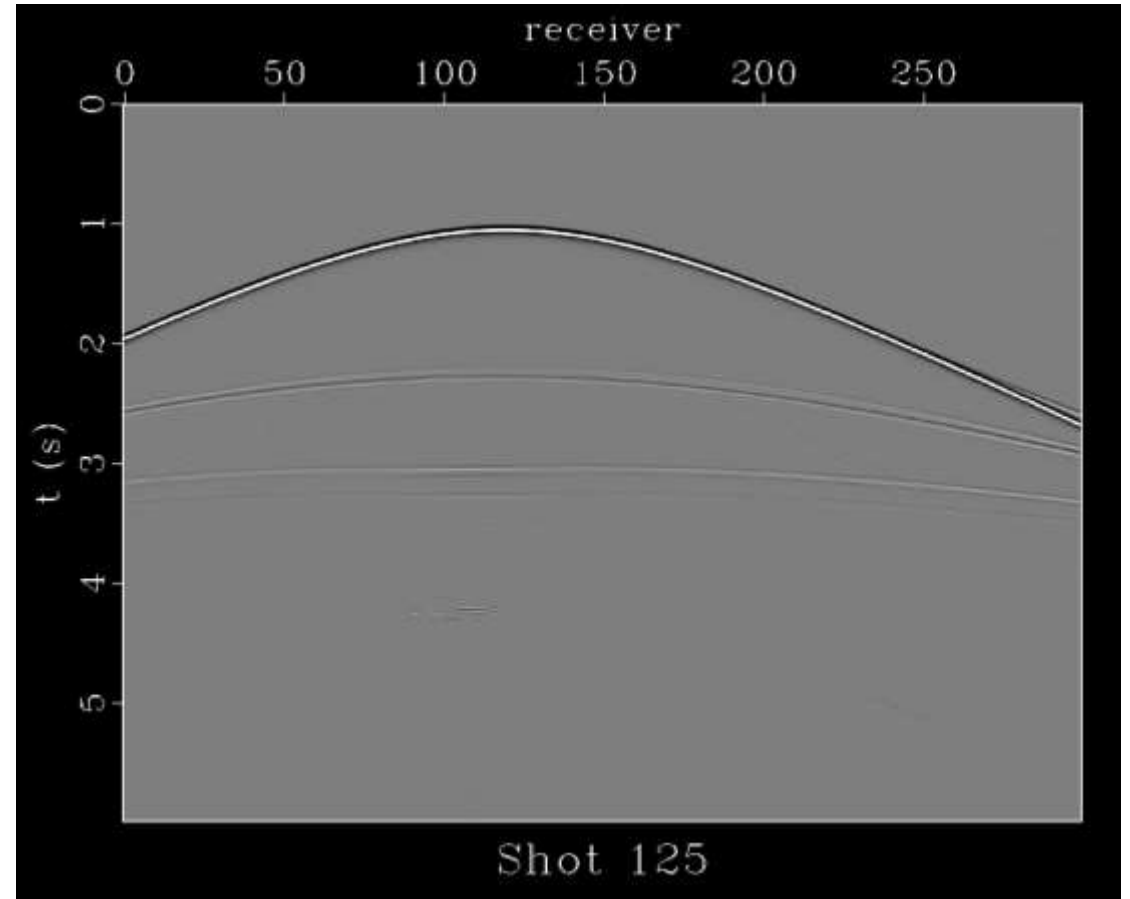


Data after LS-solution

# Results – Synthetic data (Shot domain)

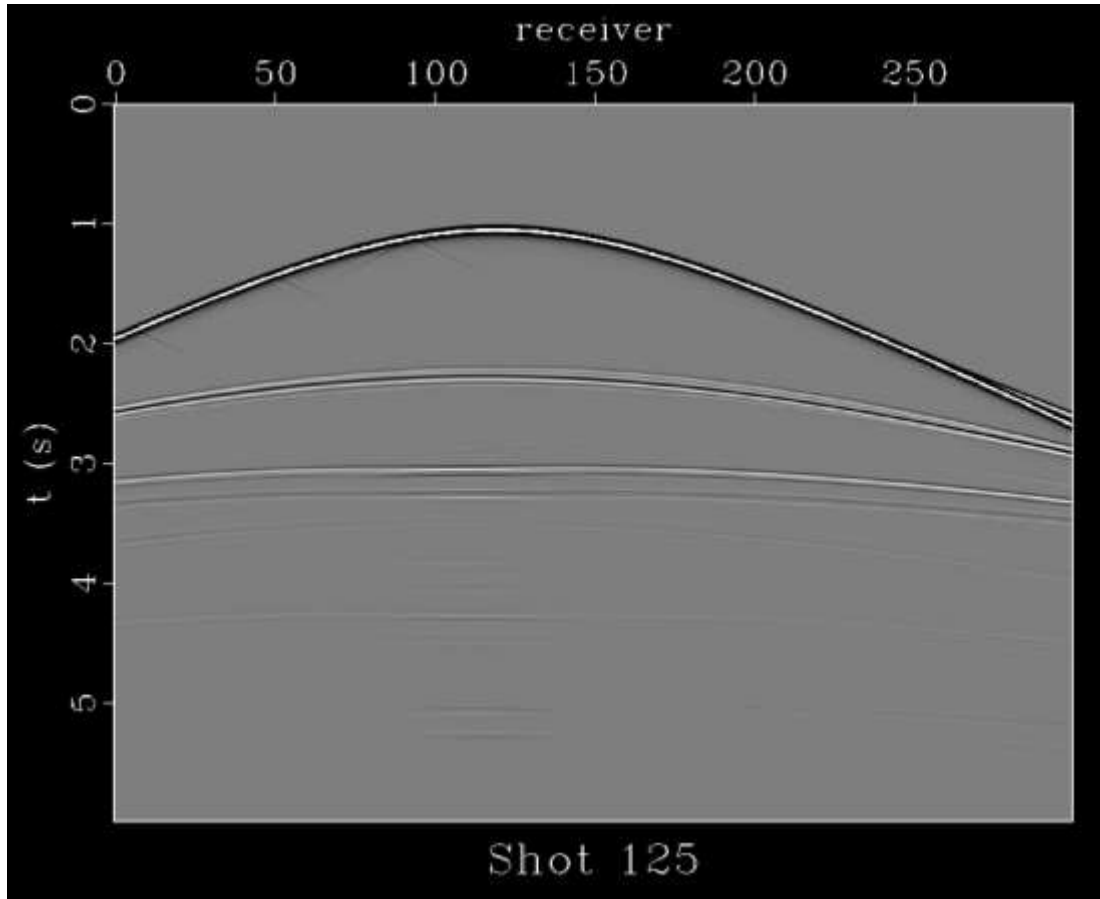


Original unblended data

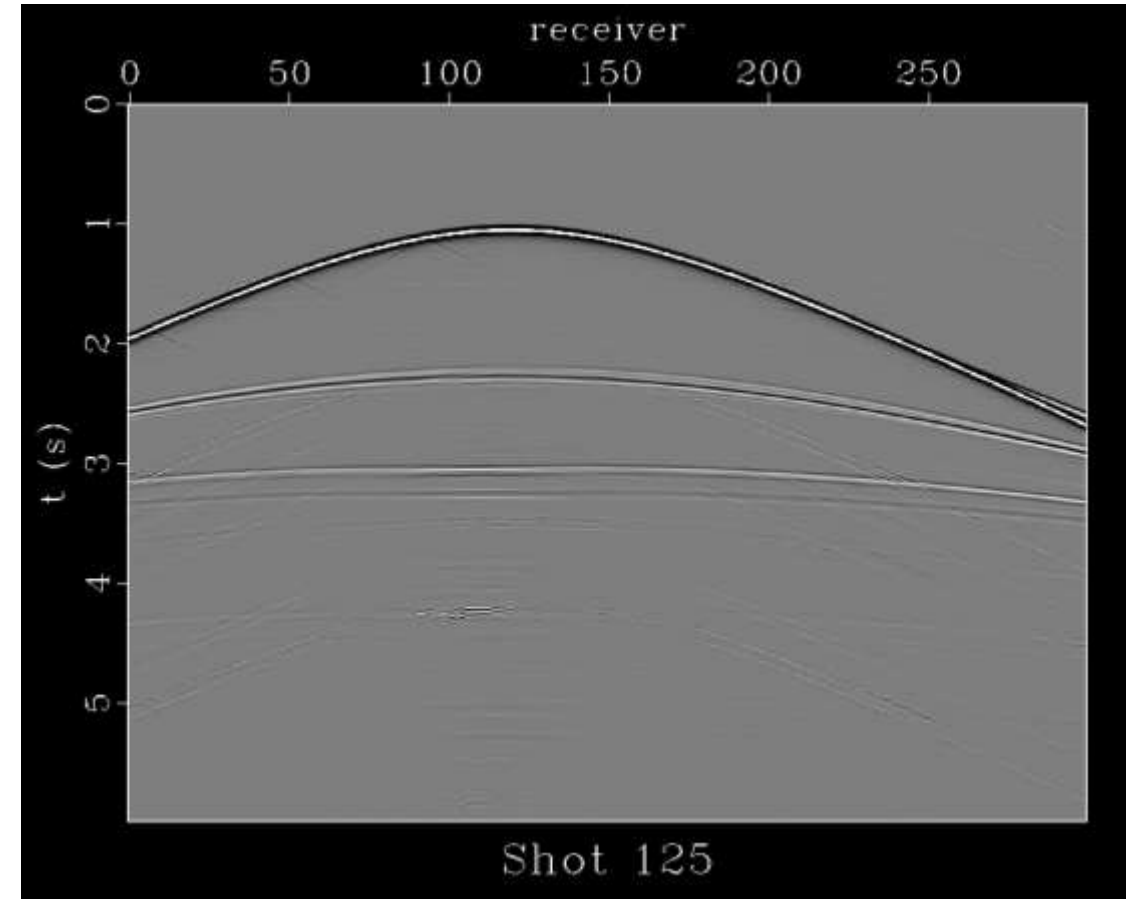


Deblended data after 30 iterations

# Results – Synthetic data (Shot domain)

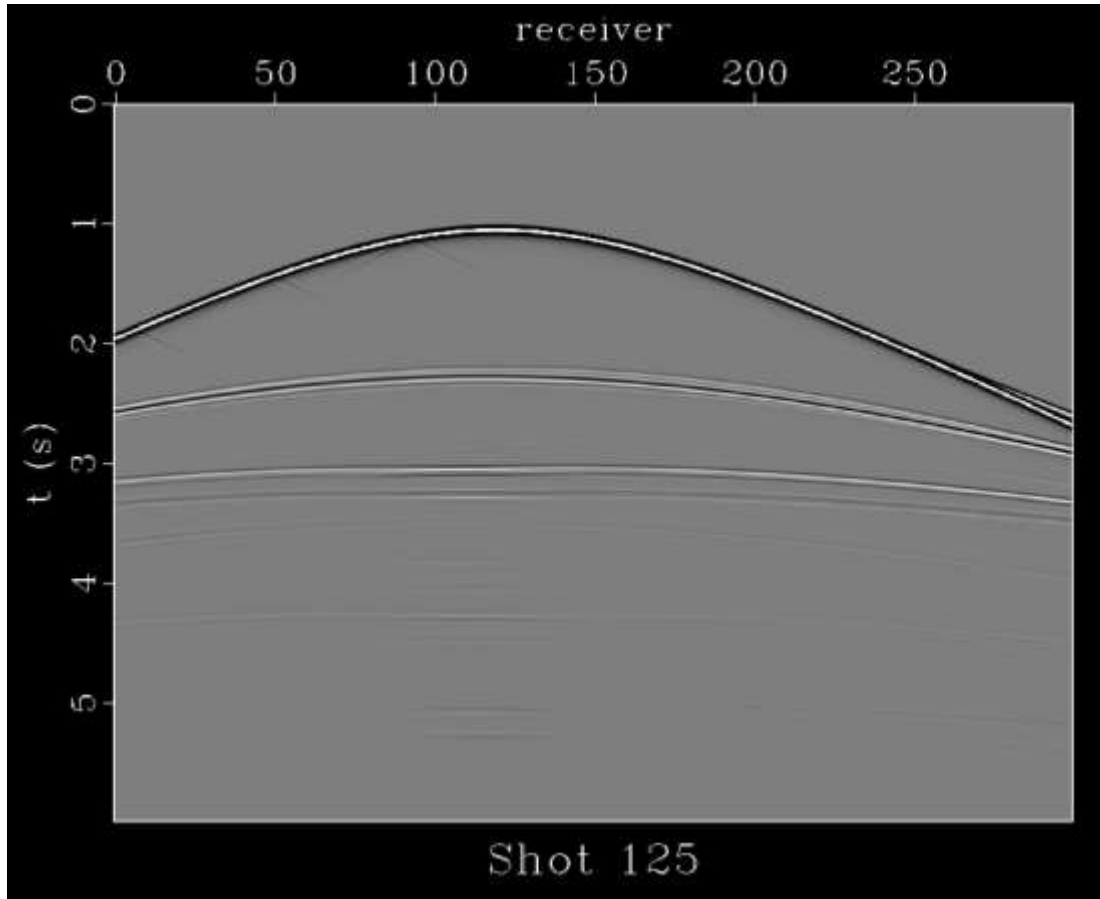


Original unblended data  
(with CLIPPING)

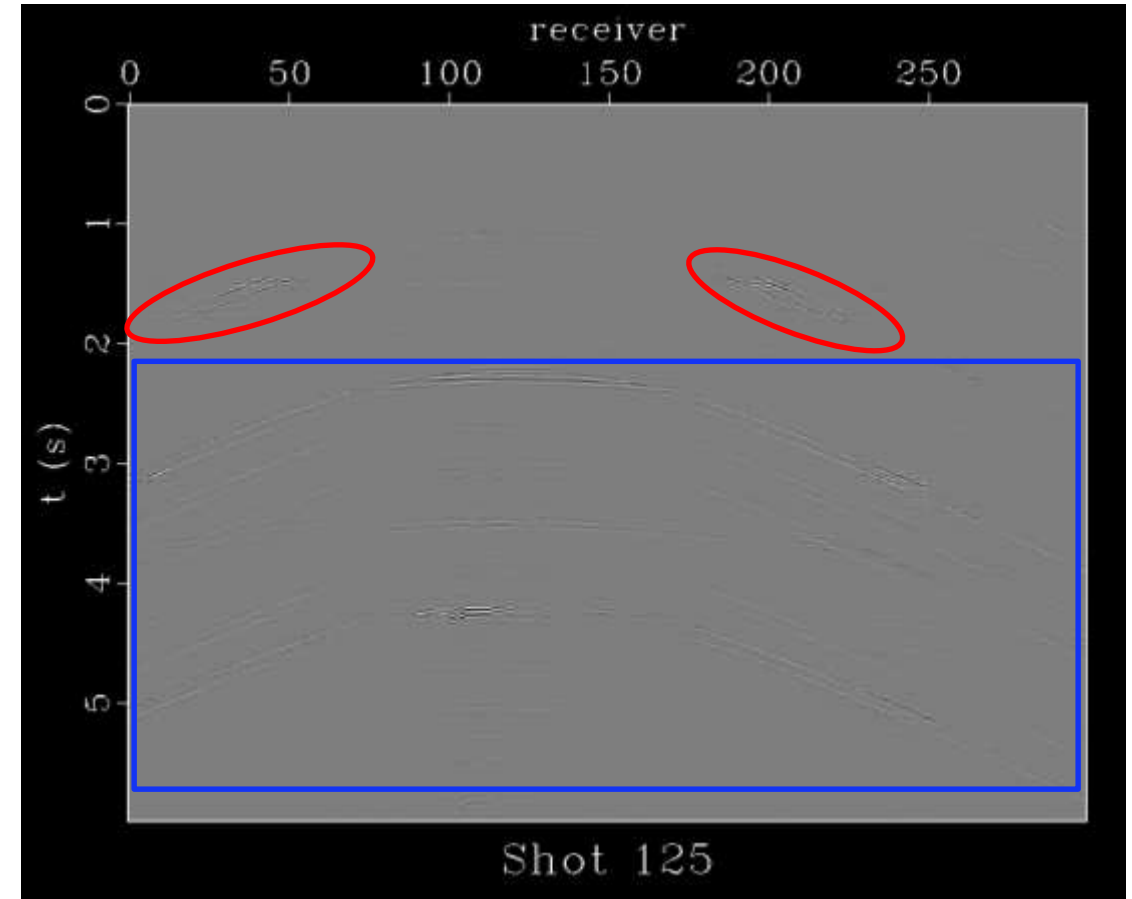


Deblended data after 30 iterations  
(with CLIPPING)

# Results – Synthetic data (Shot domain)



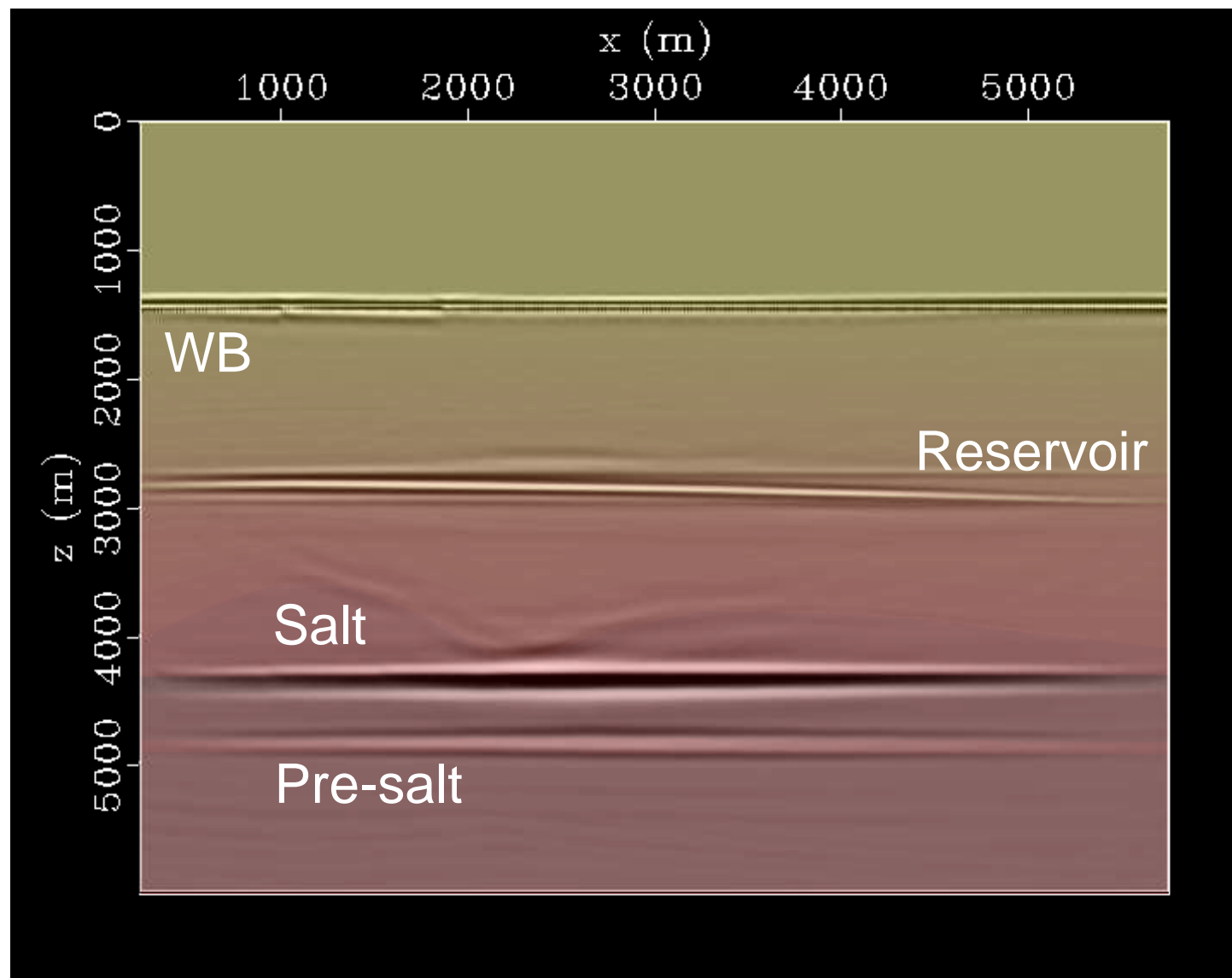
Original unblended data  
(with CLIPPING)



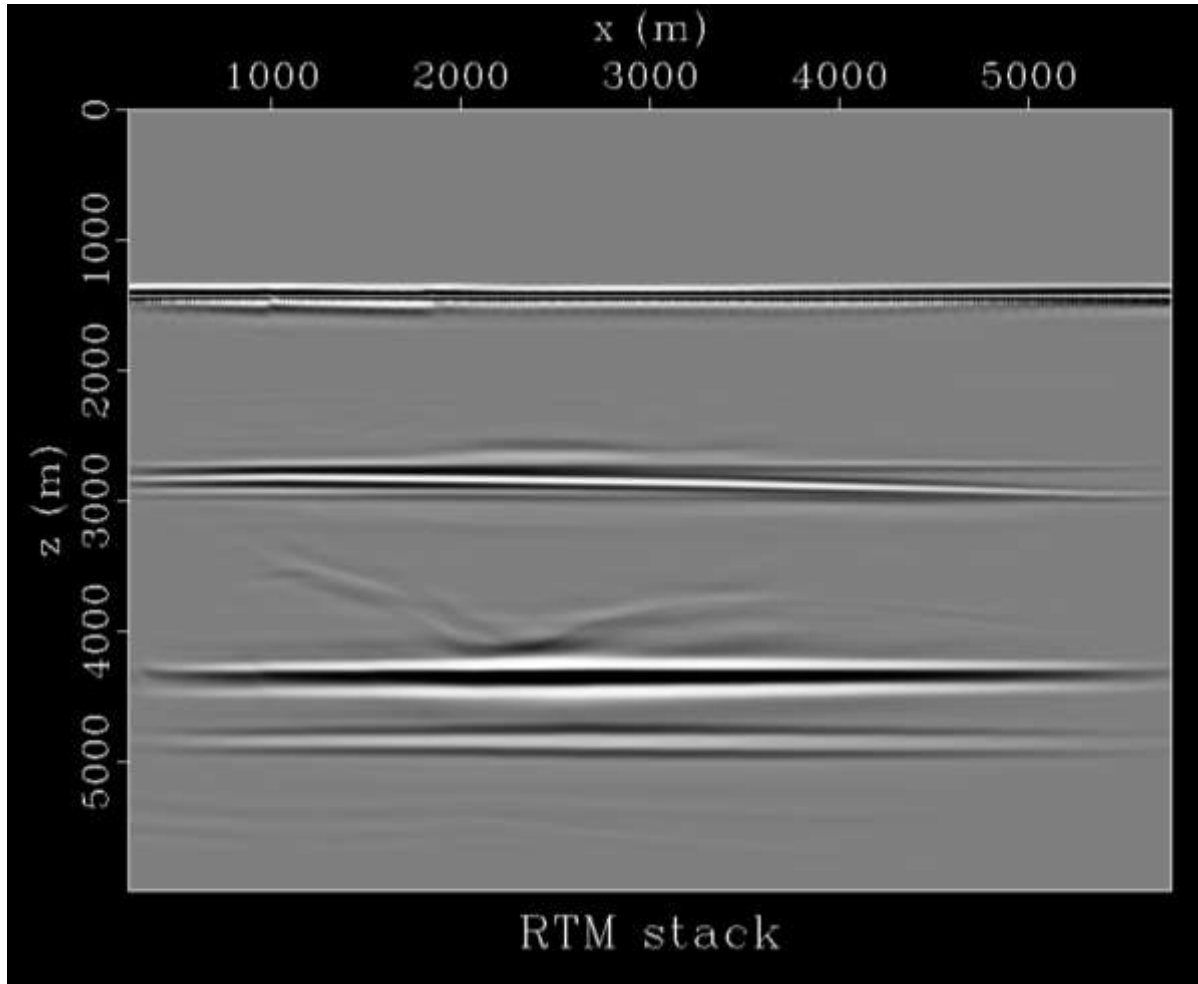
Deblending ERROR  
(with CLIPPING)

# Comparative Analysis in the Image Domain – RTM (Quantitative analysis)

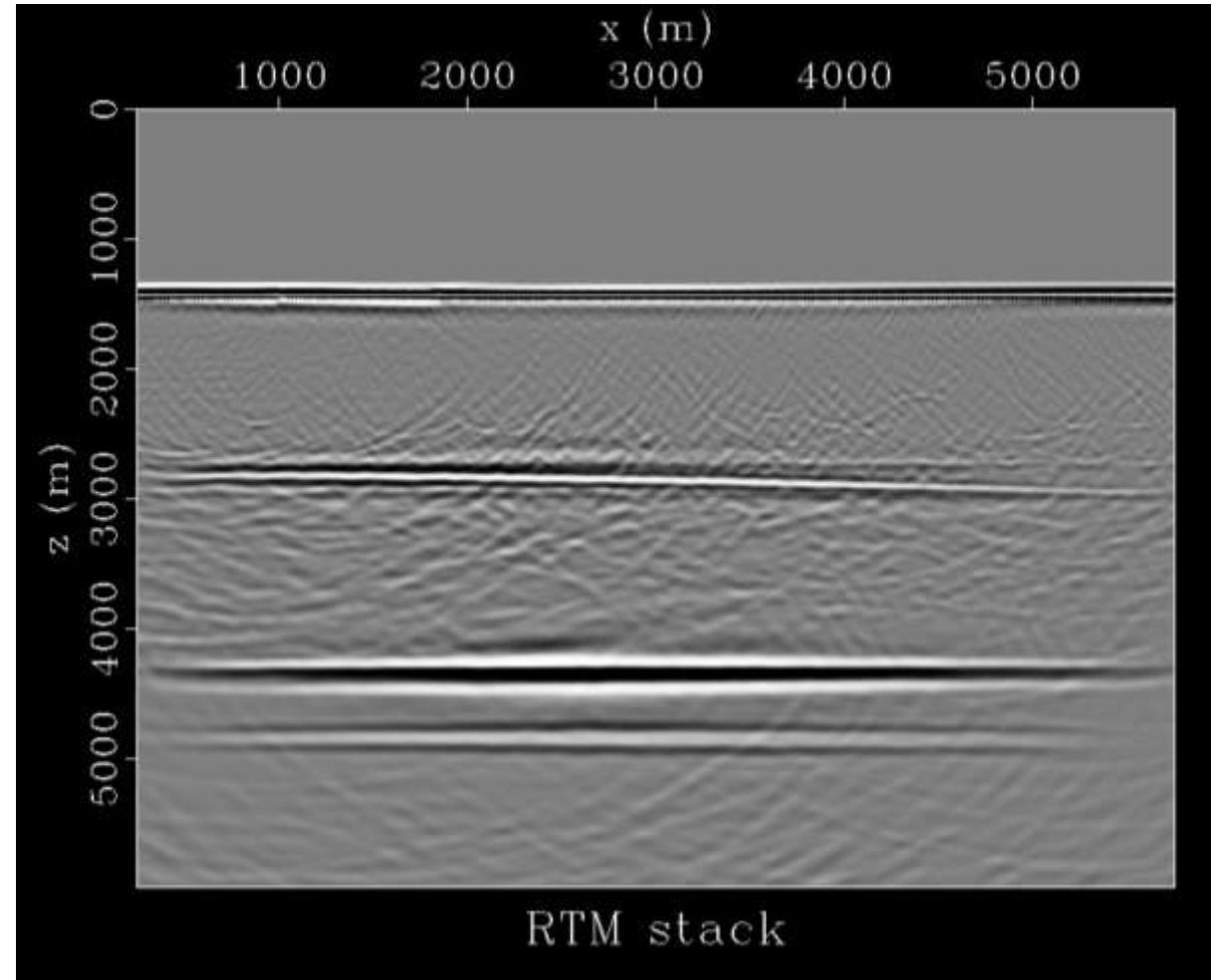
# Results – Synthetic data (RTM & Velocity overlay)



# Results – Synthetic data (RTM)

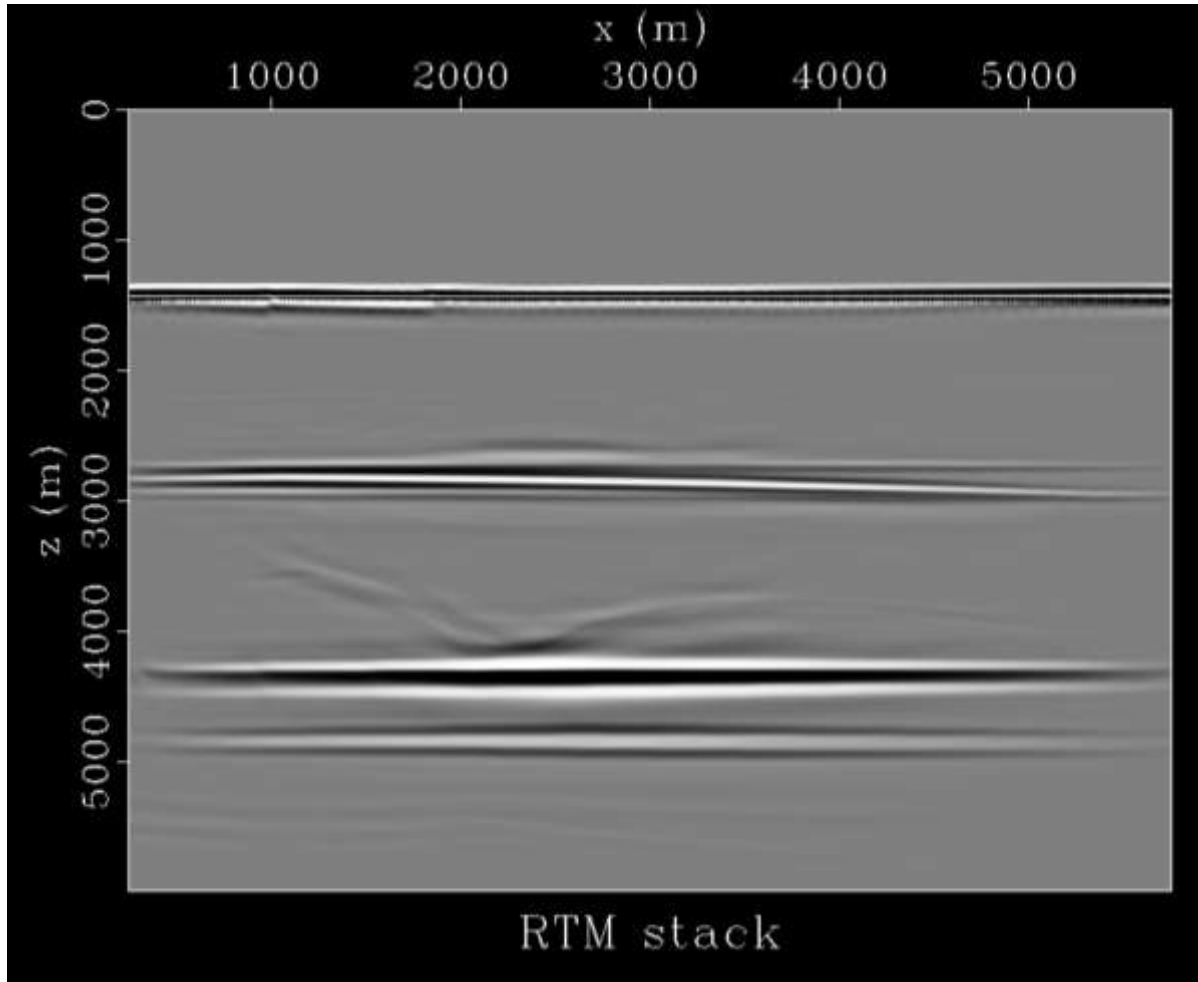


Original unblended data

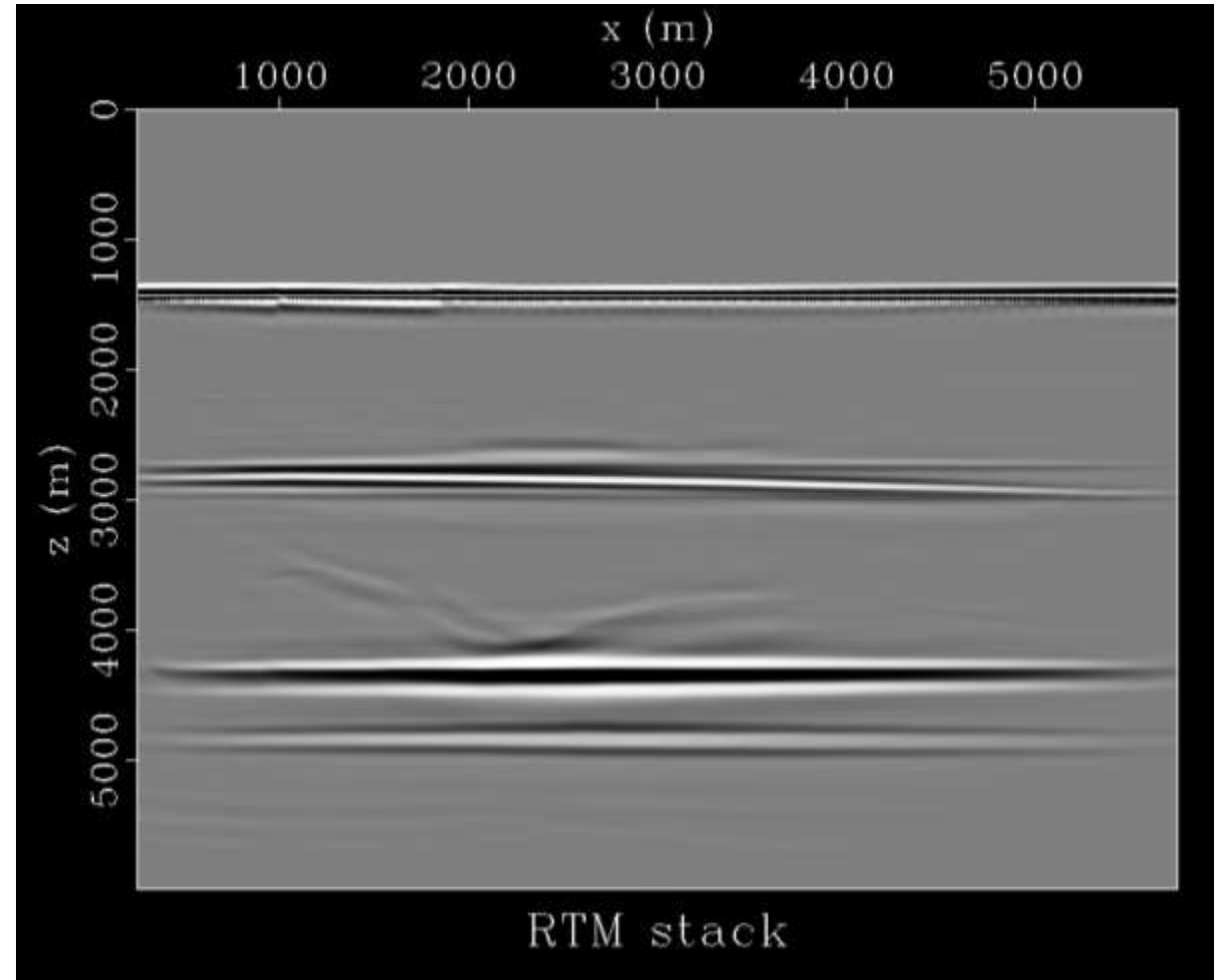


Data after LS-solution

# Results – Synthetic data (RTM)



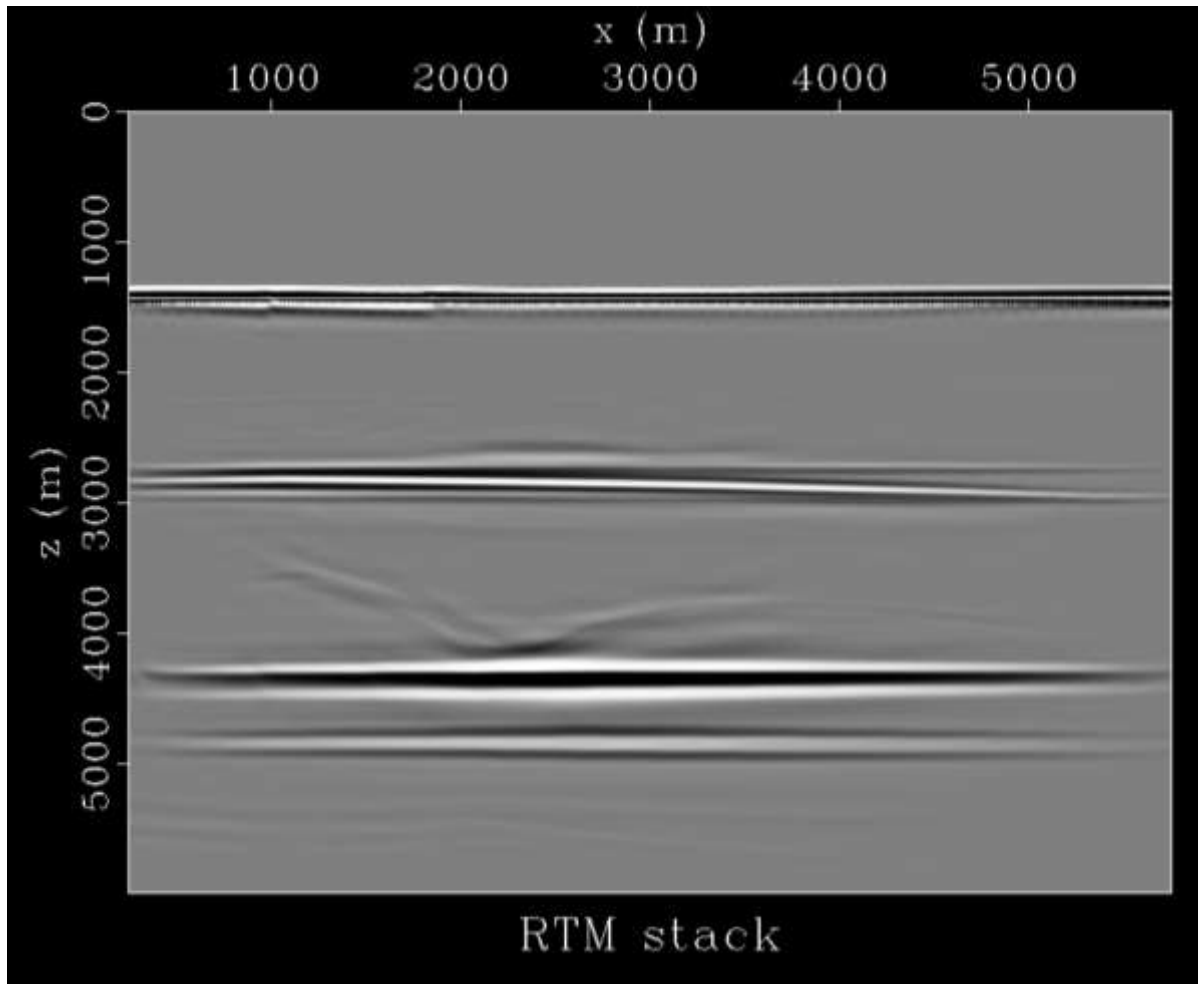
Original unblended data



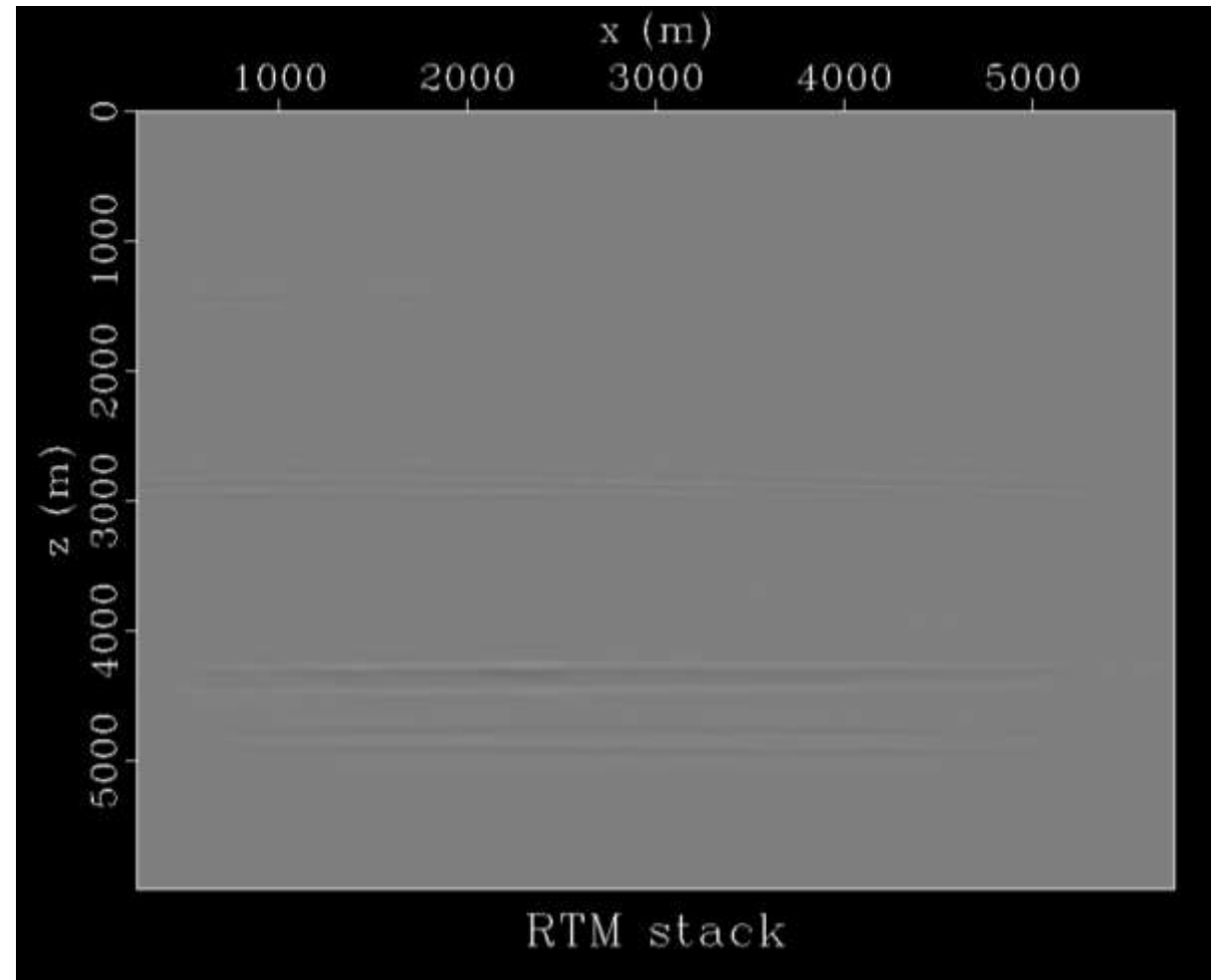
Deblended data after 30 iterations



# Results – Synthetic data (RTM)

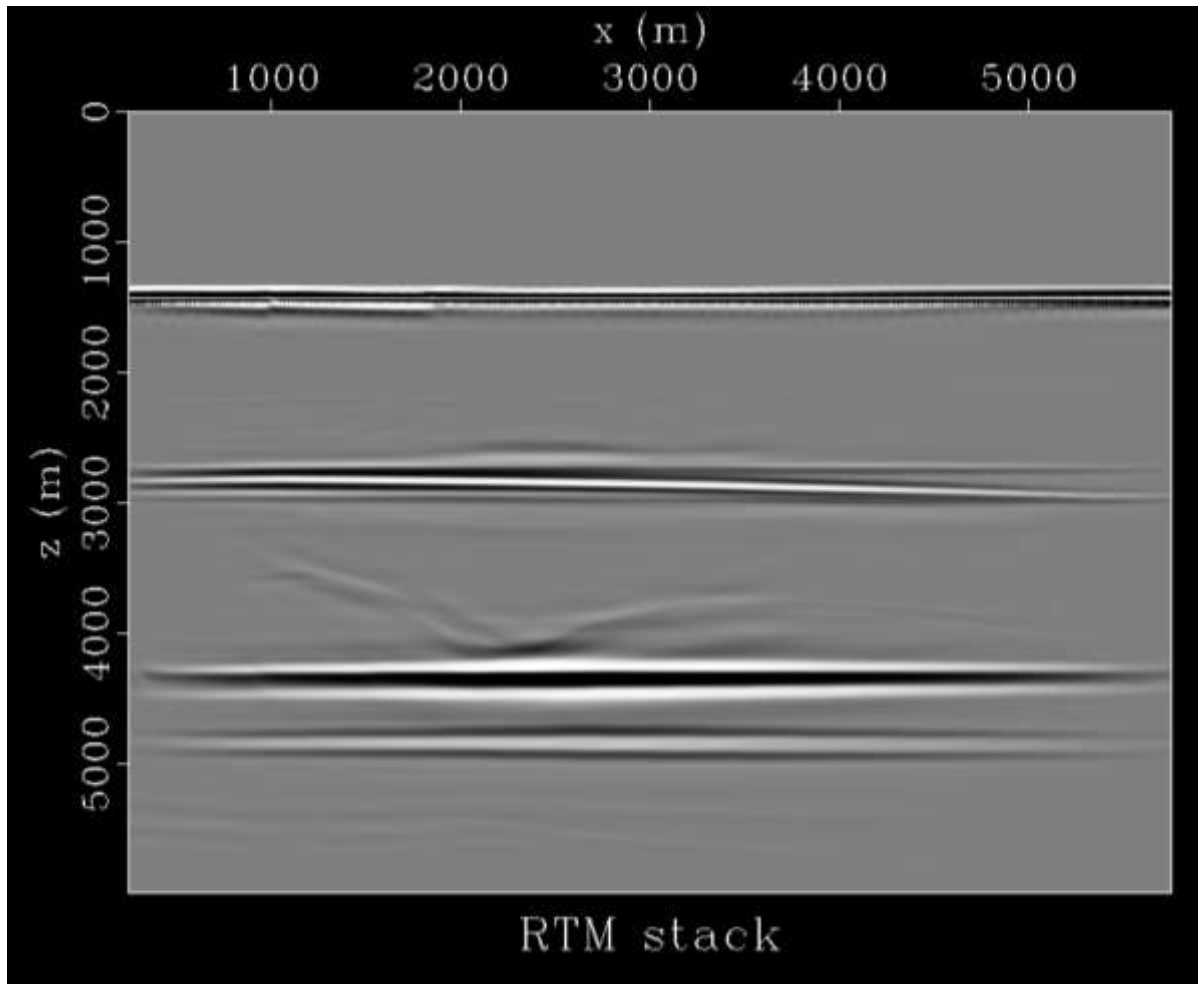


Original unblended data

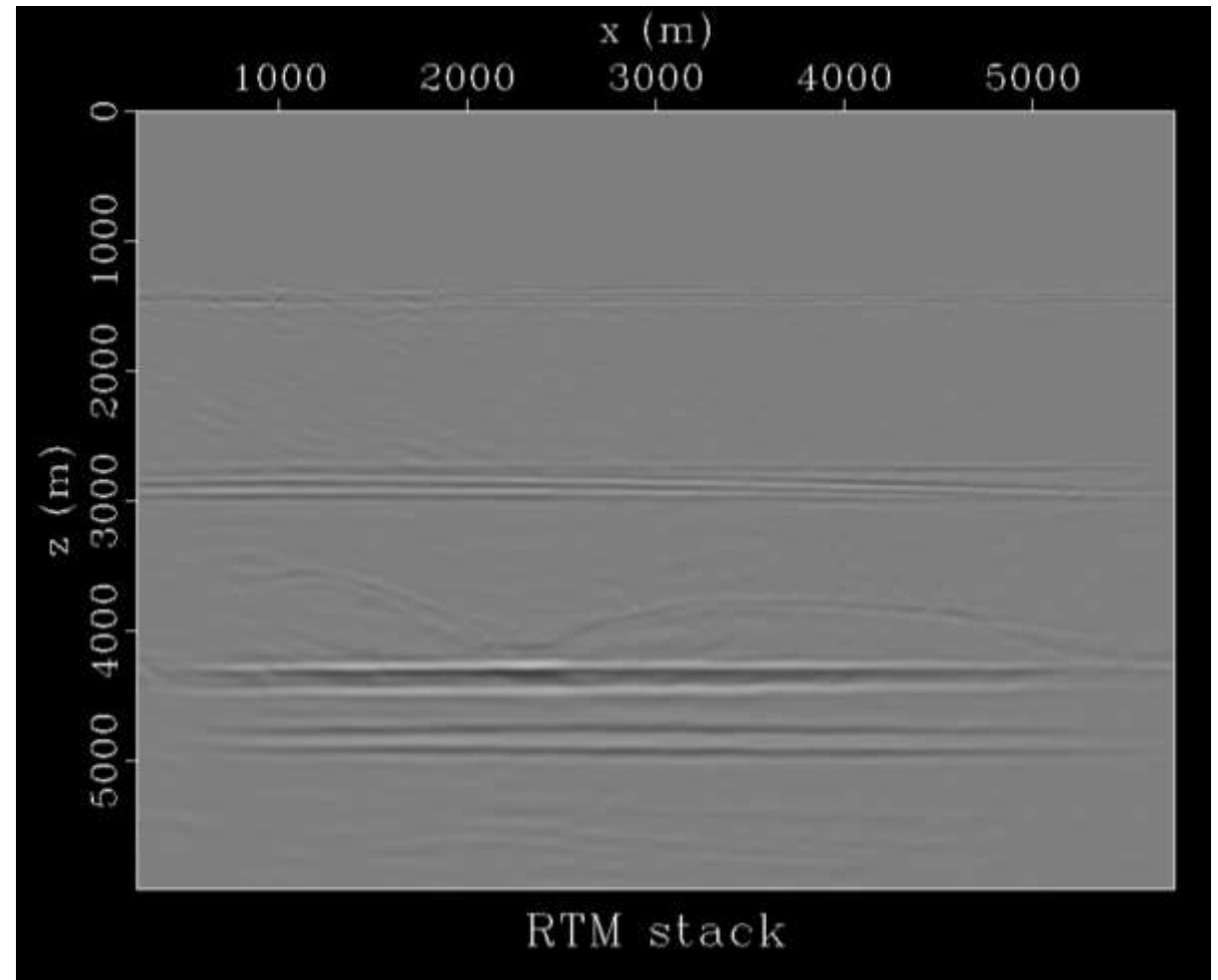


Deblending ERROR

# Results – Synthetic data (RTM)

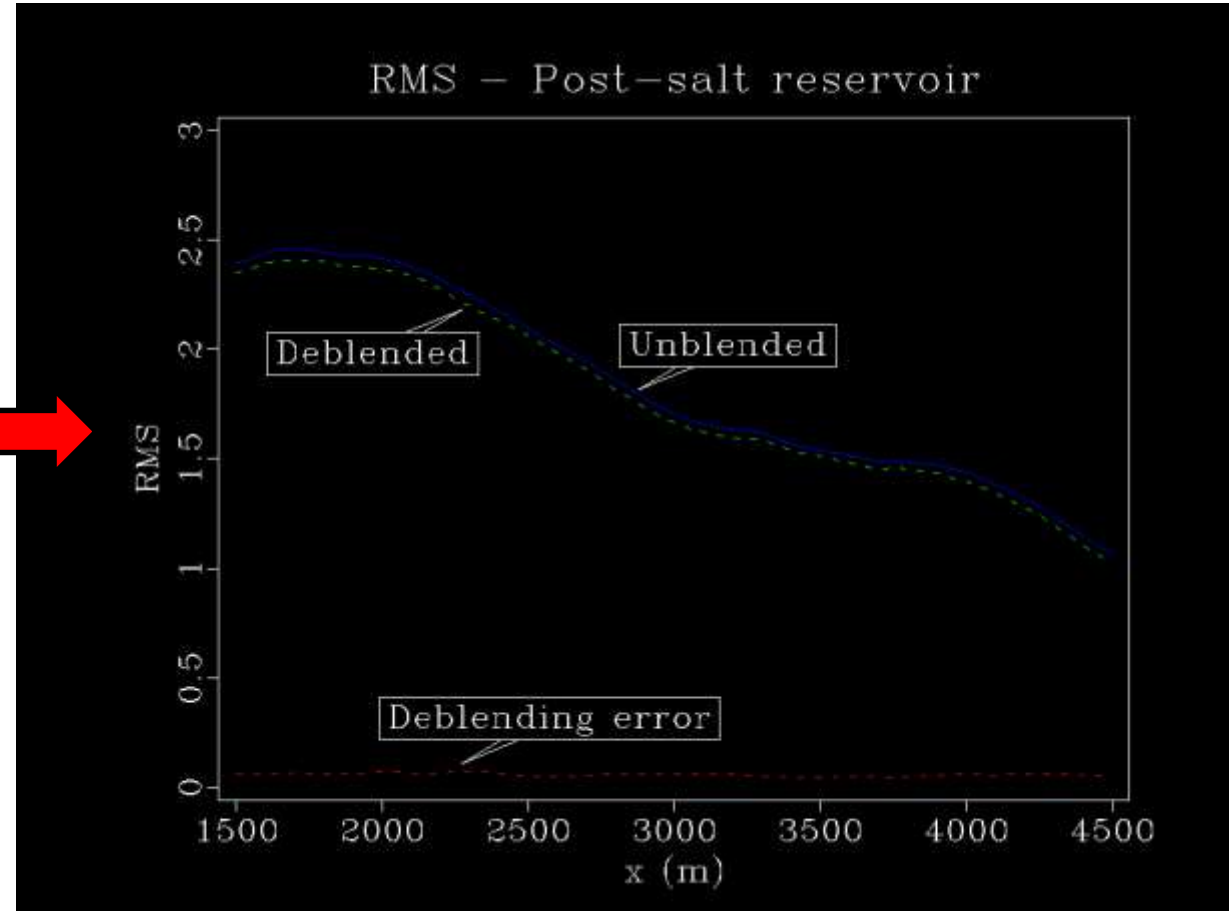
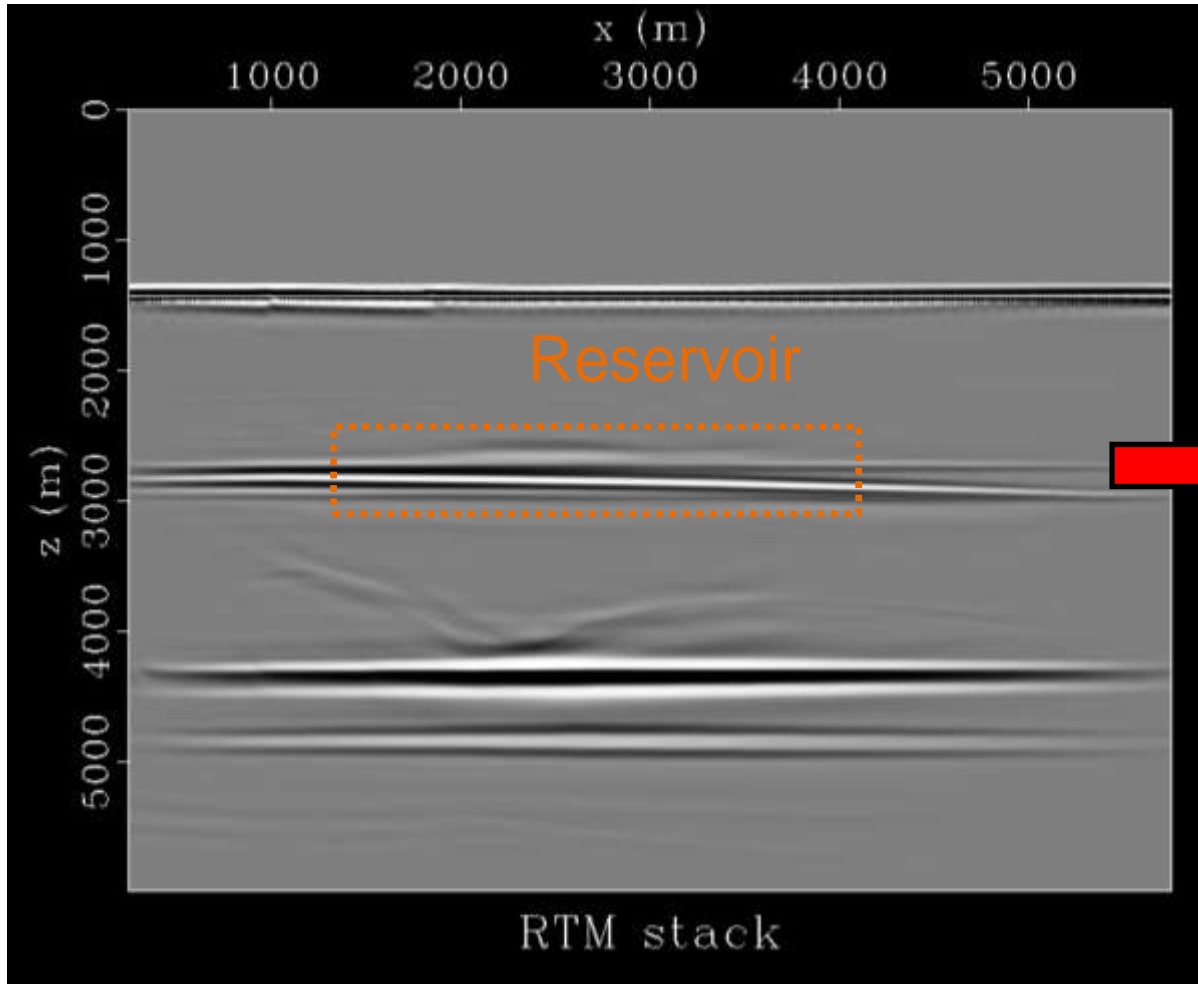


Original unblended data



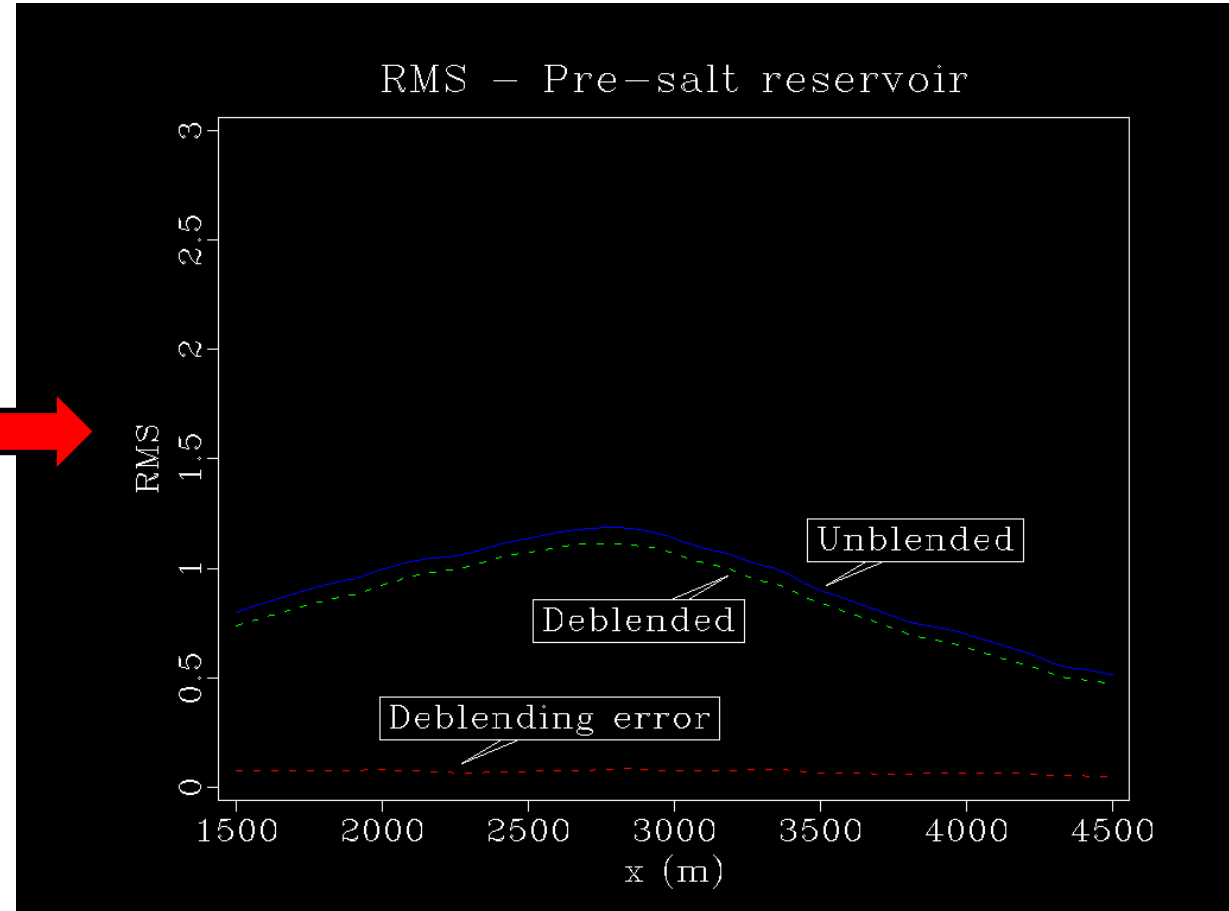
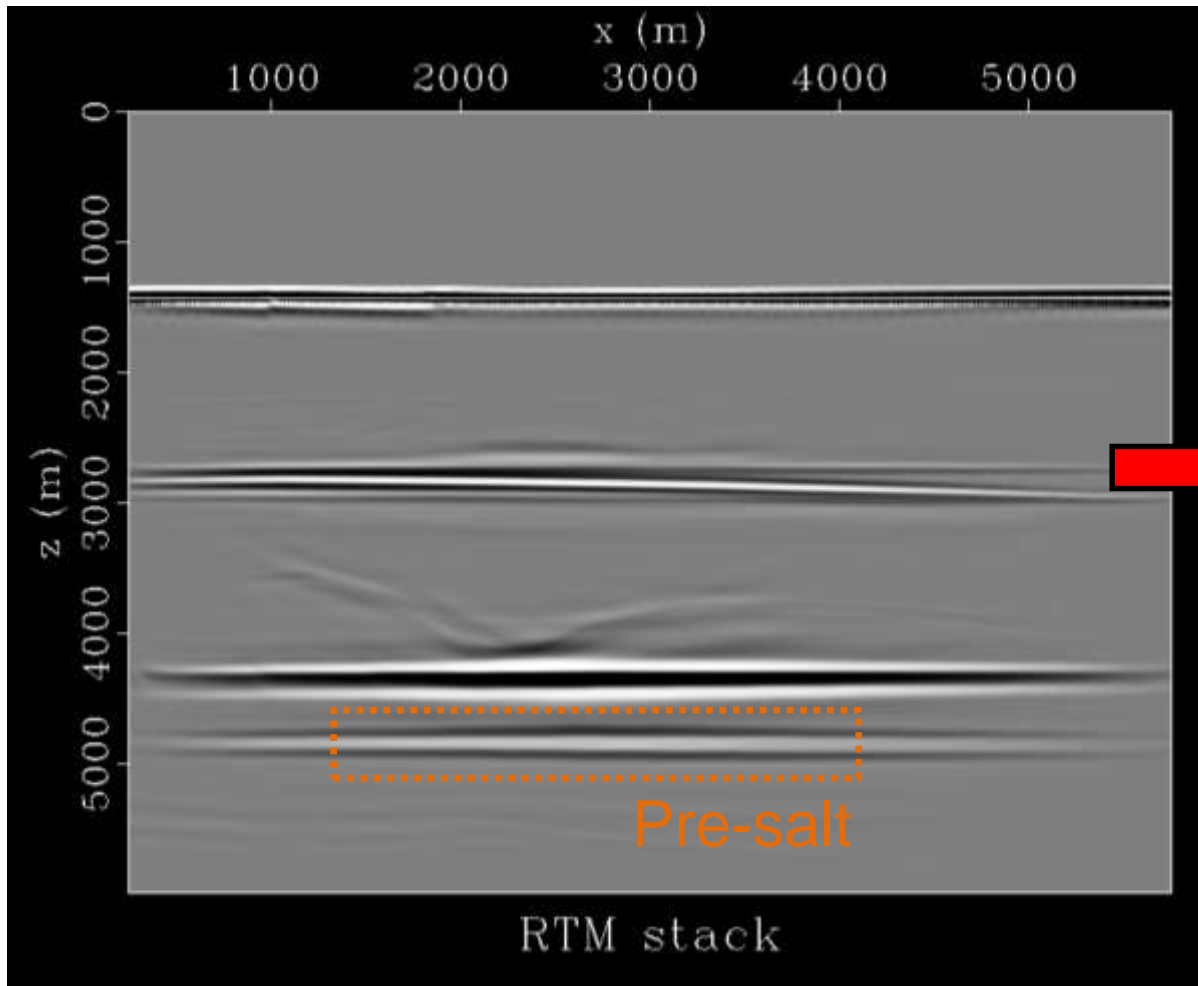
Deblending ERROR  
(with GAIN 5x)

# Results – Synthetic data – Quantitative analysis



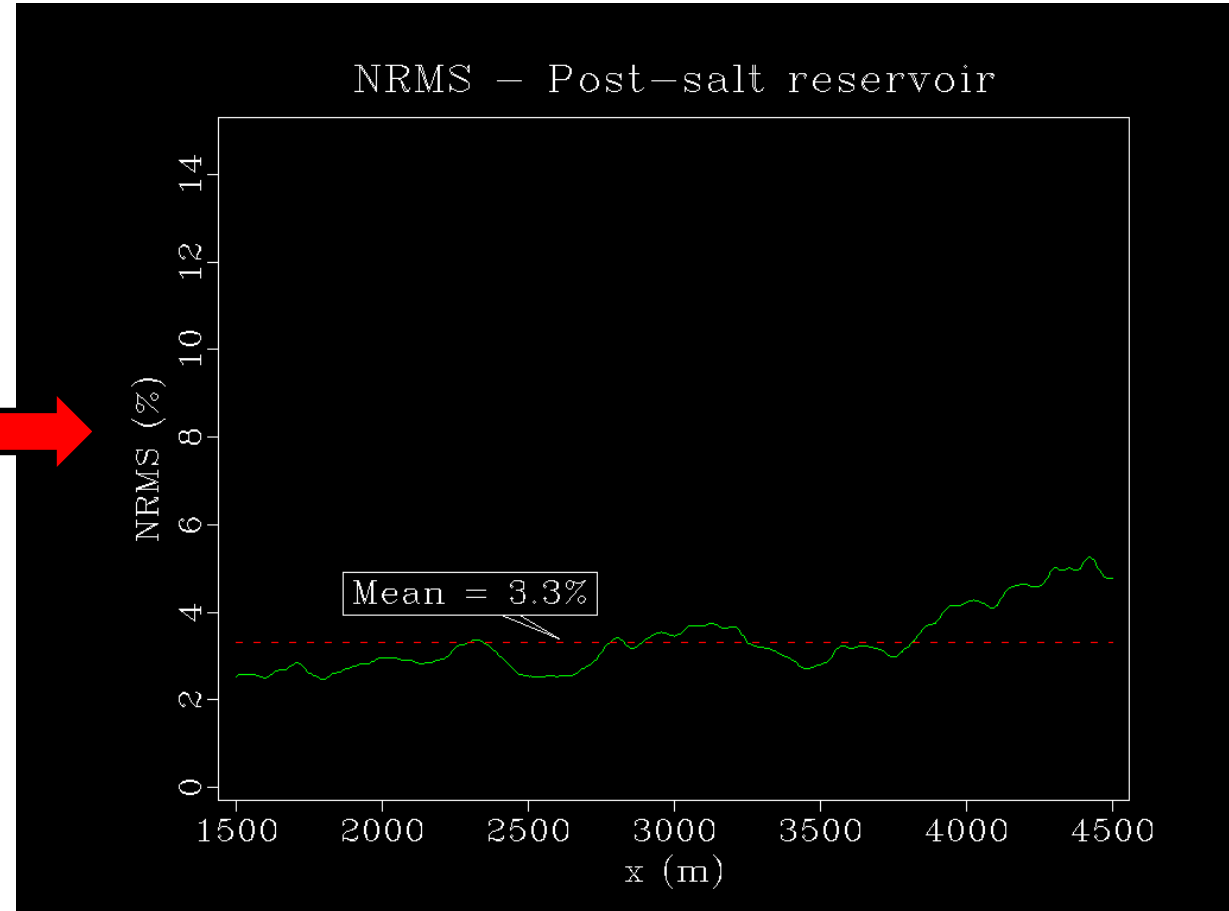
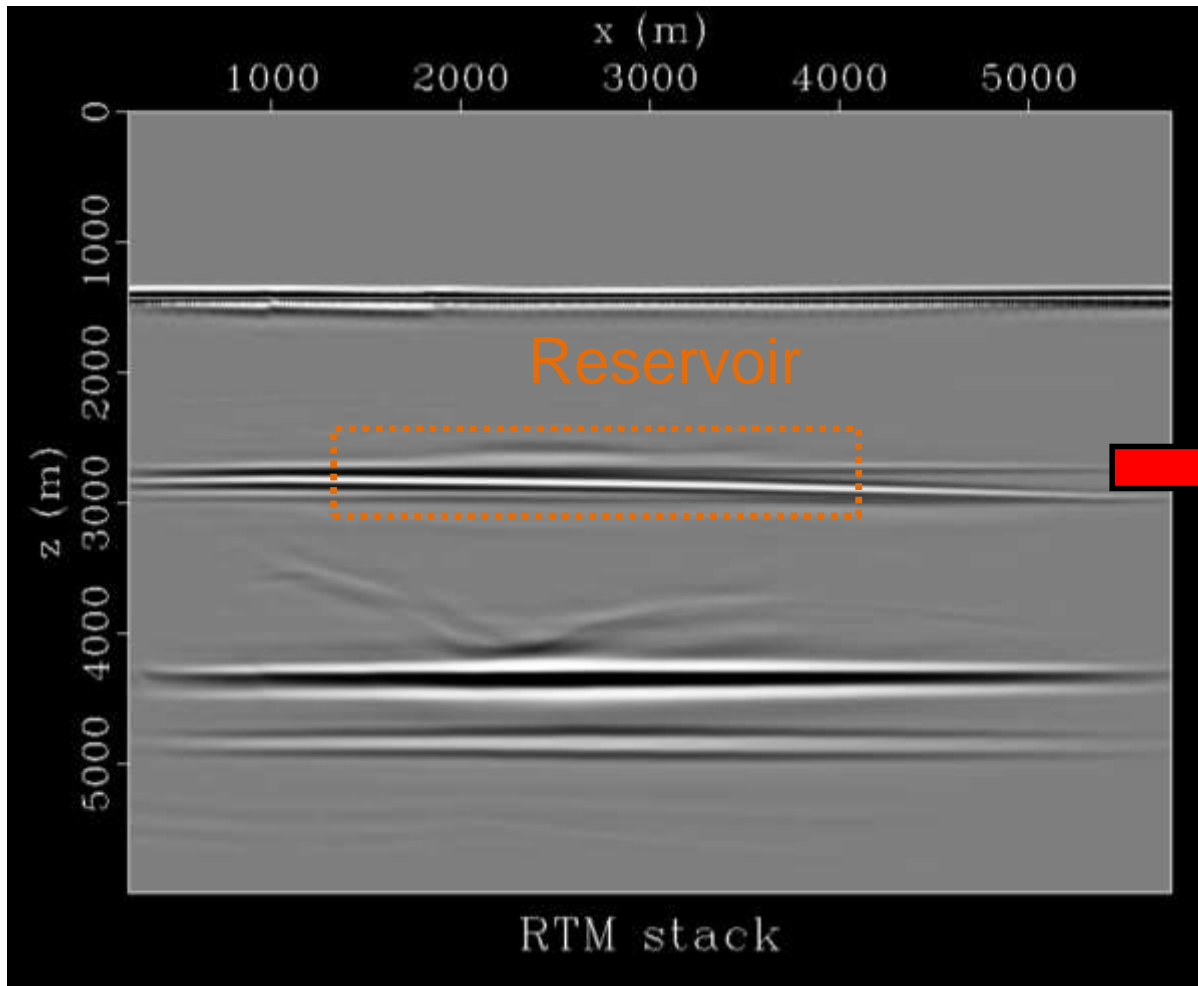
$$RMS = \frac{\sqrt{\sum_{i=1}^n x_i^2}}{n}$$

# Results – Synthetic data – Quantitative analysis



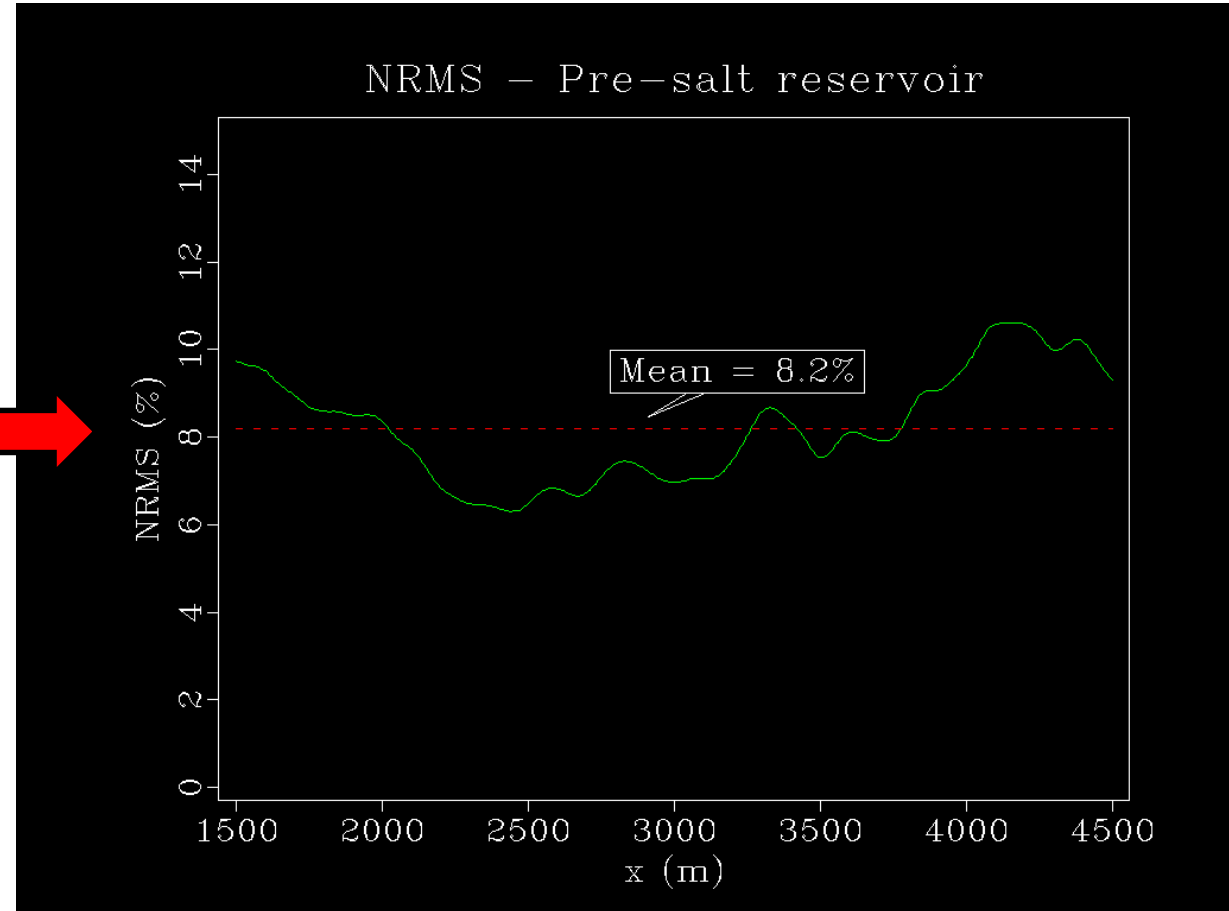
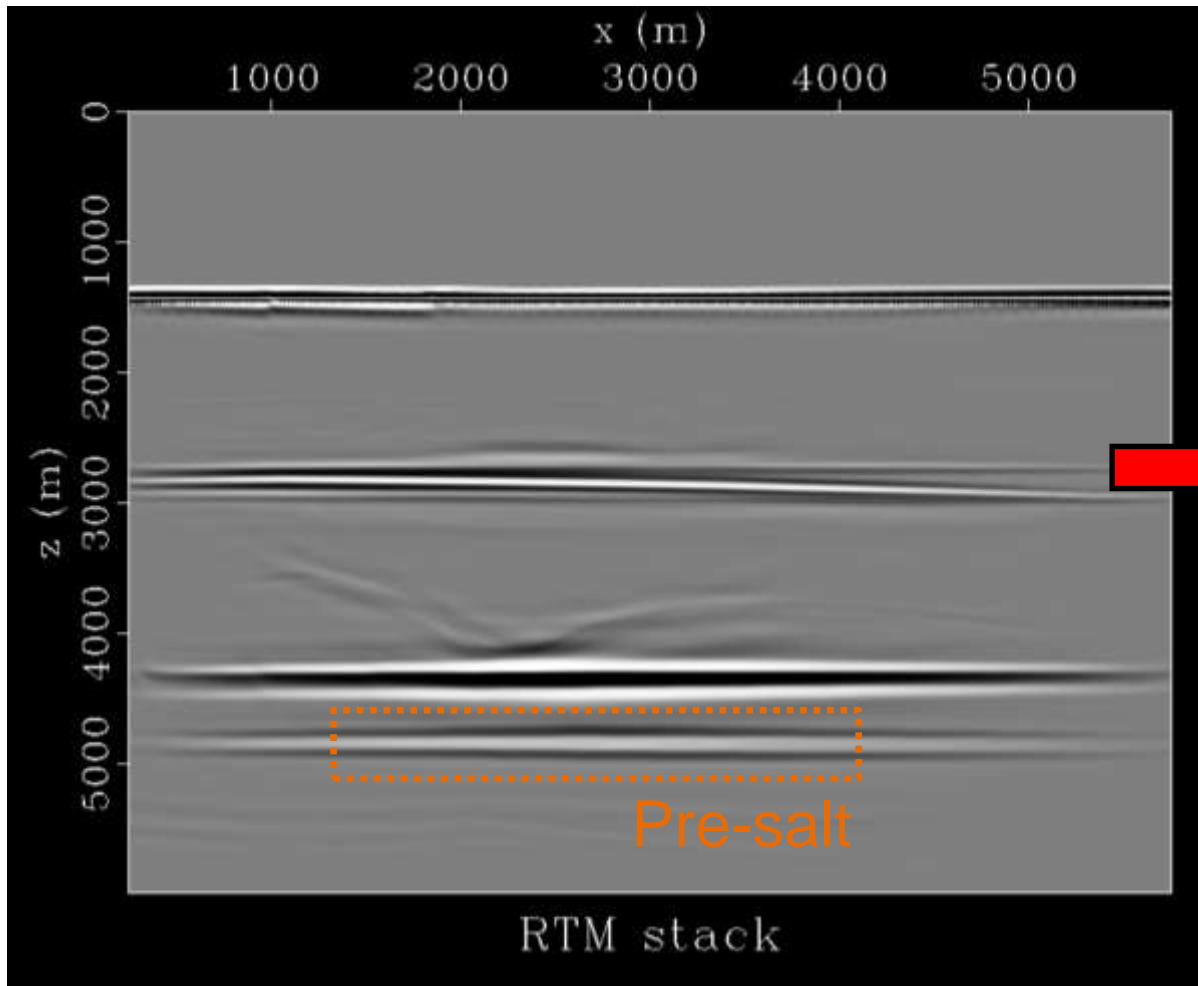
$$RMS = \frac{\sqrt{\sum_{i=1}^n x_i^2}}{n}$$

# Results – Synthetic data – Quantitative analysis



$$NRMS = 200 \times \frac{RMS_{(Unbl-Debl)}}{RMS_{Unbl} + RMS_{Debl}}$$

# Results – Synthetic data – Quantitative analysis



$$NRMS = 200 \times \frac{RMS_{(Unbl-Debl)}}{RMS_{Unbl} + RMS_{Debl}}$$

# Outline

🔹 Objective

🔹 Theoretical background

- Blending
- Deblending

🔹 **Results**

- Synthetic data
- Field data (preliminary results)

🔹 Final remarks

🔹 Next steps

# Results – Field data – Jubarte PRM (Base survey)

## General Acquisition Parameters:

**Shot Survey Area = 11km x 11km**

**Shot grid = 25m x 25m**

**Shots per sail-line = 440**

**Receiver patch = 3km x 3km**

**Receiver grid = 300m x 50m**

**N° receivers = 712**

**Record Length = 10,240 ms**

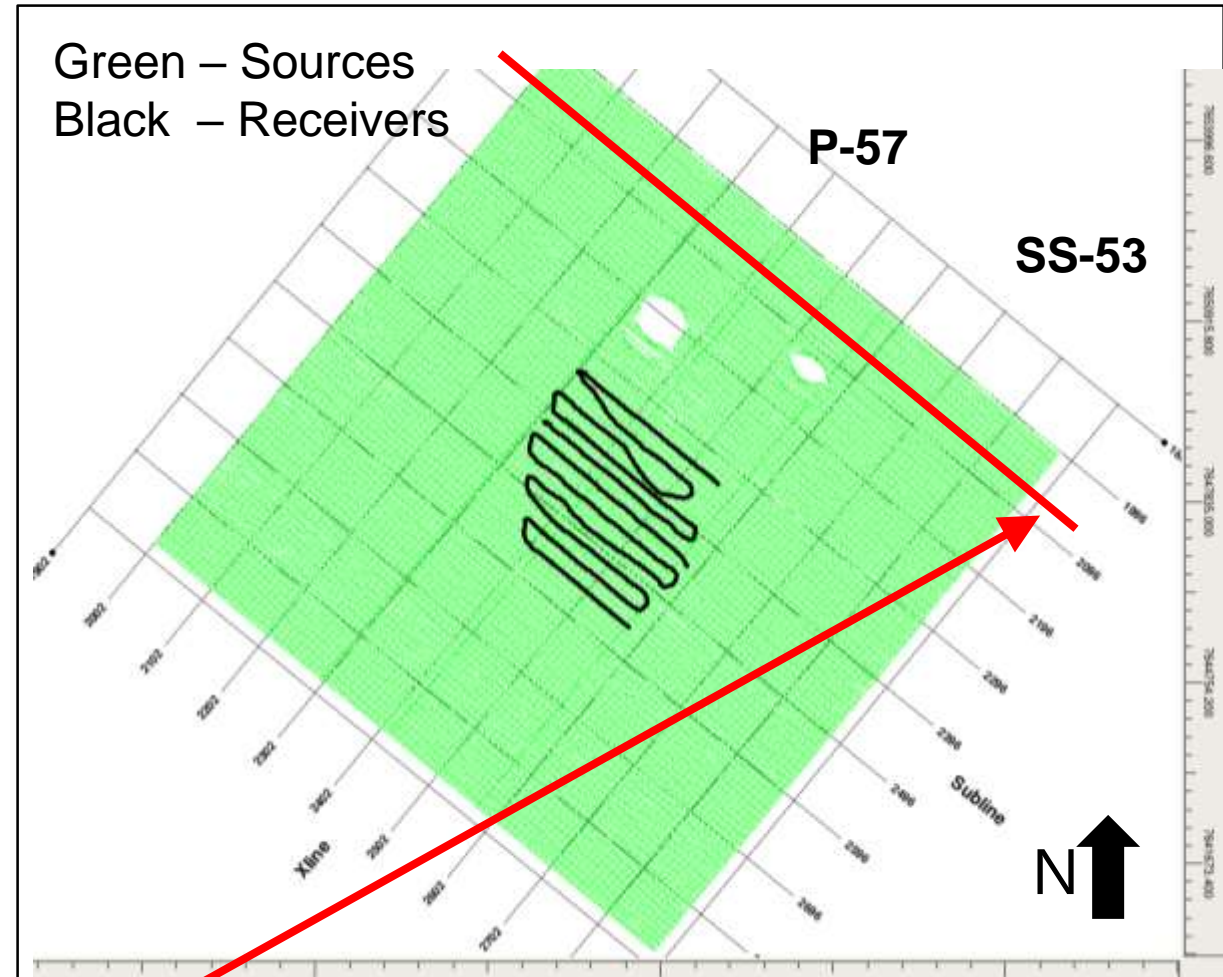
## Blending simulation:

**N° of sources/record = 4**

**Blending neighbor shots**

**Firing int. =  $2.5 \pm 0.4$  sec**

Source Position Post-Plot

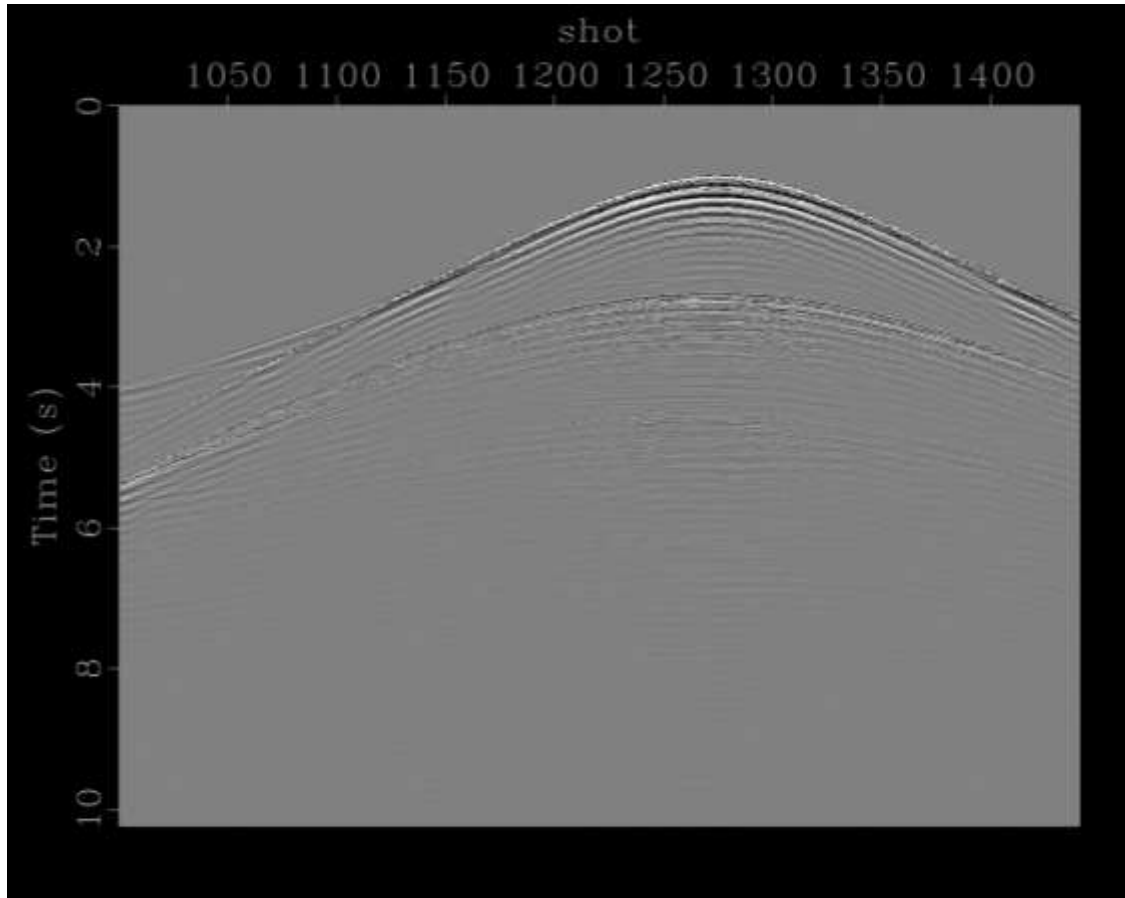


Sail-line  
used in the

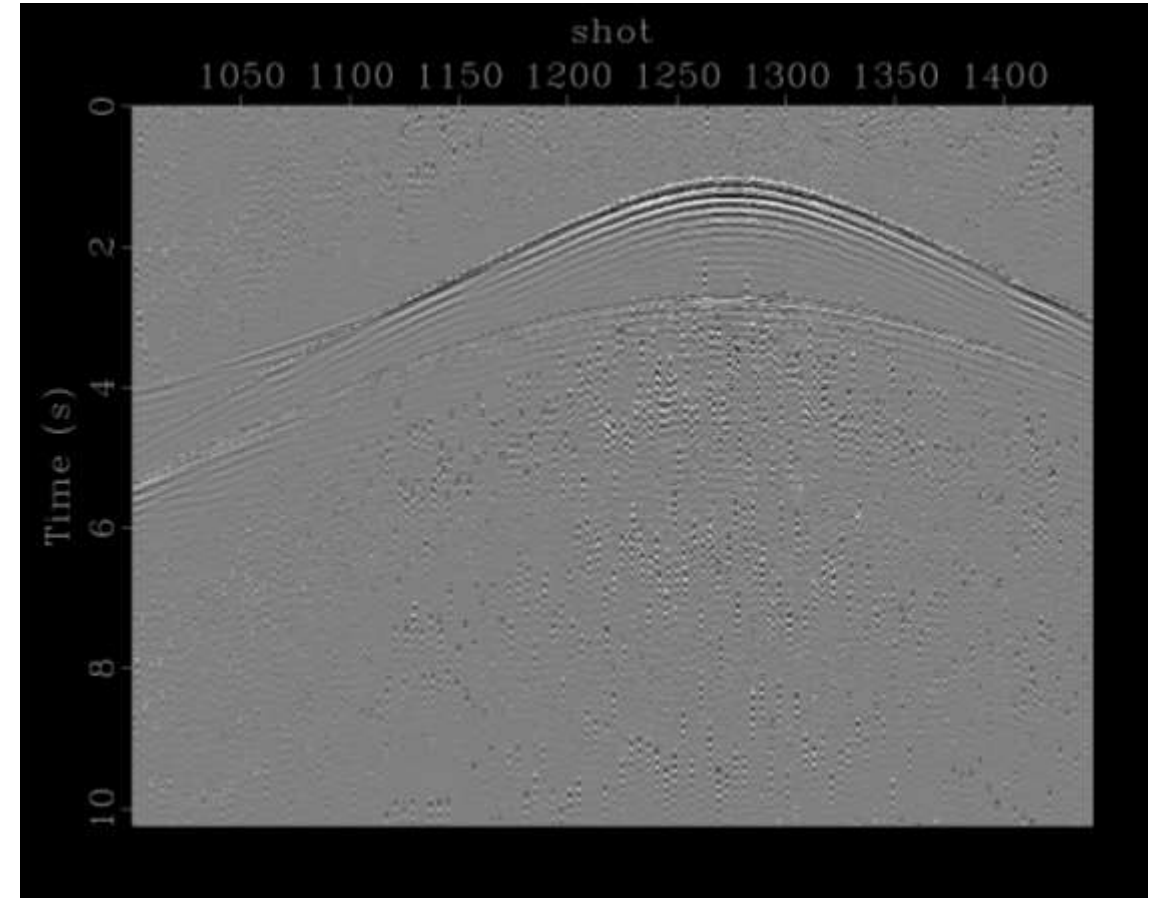


# Comparative Analysis in the Receiver Domain

# Results – Field data (Receiver domain)

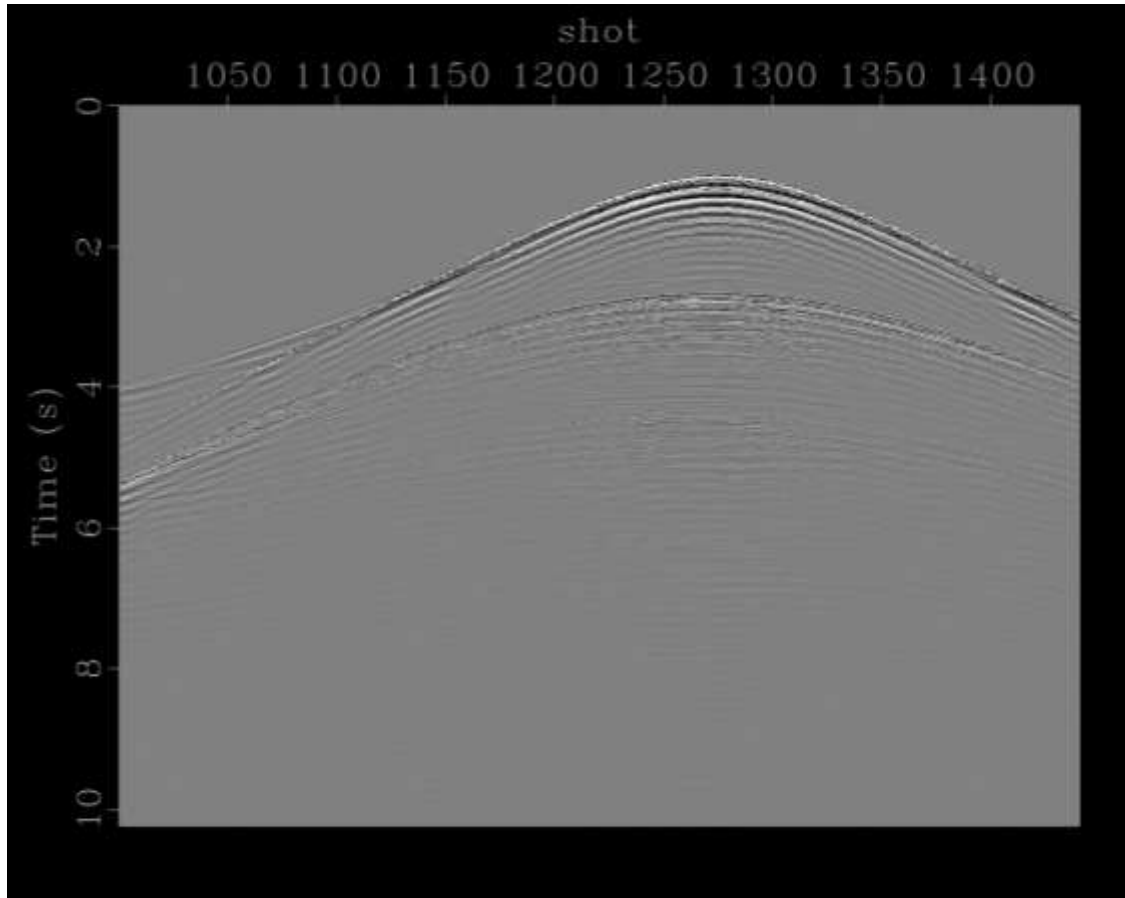


Original unblended data

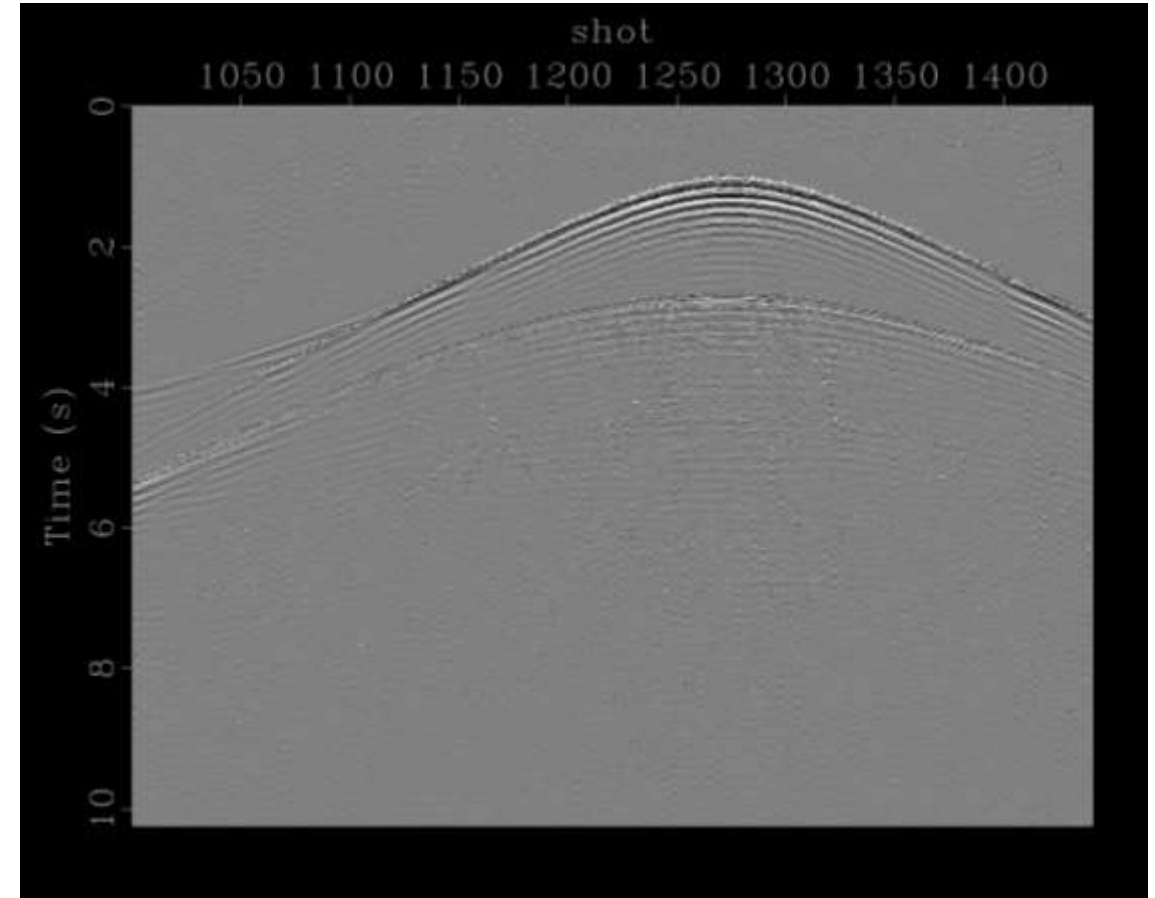


Data after LS-solution

# Results – Field data (Receiver domain)

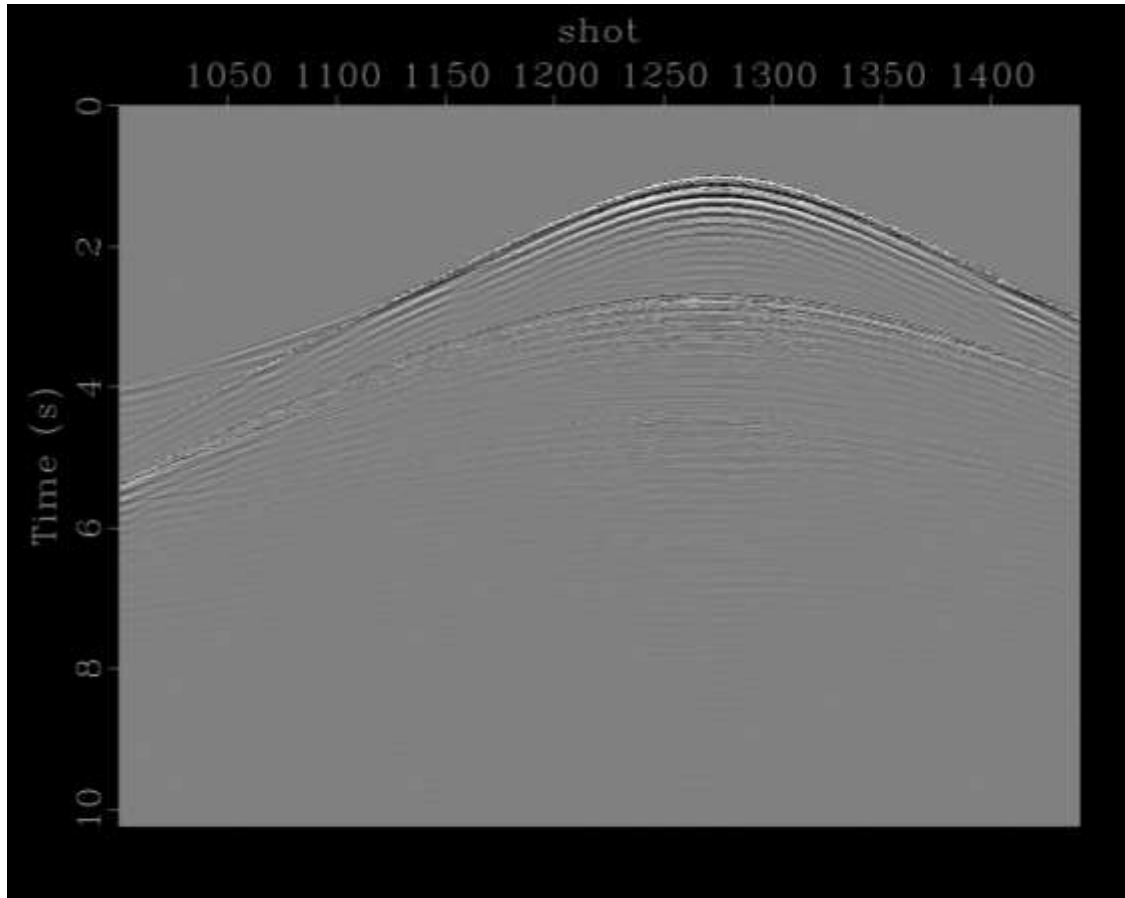


Original unblended data



Deblended data after 20 iterations

# Results – Field data (Receiver domain)



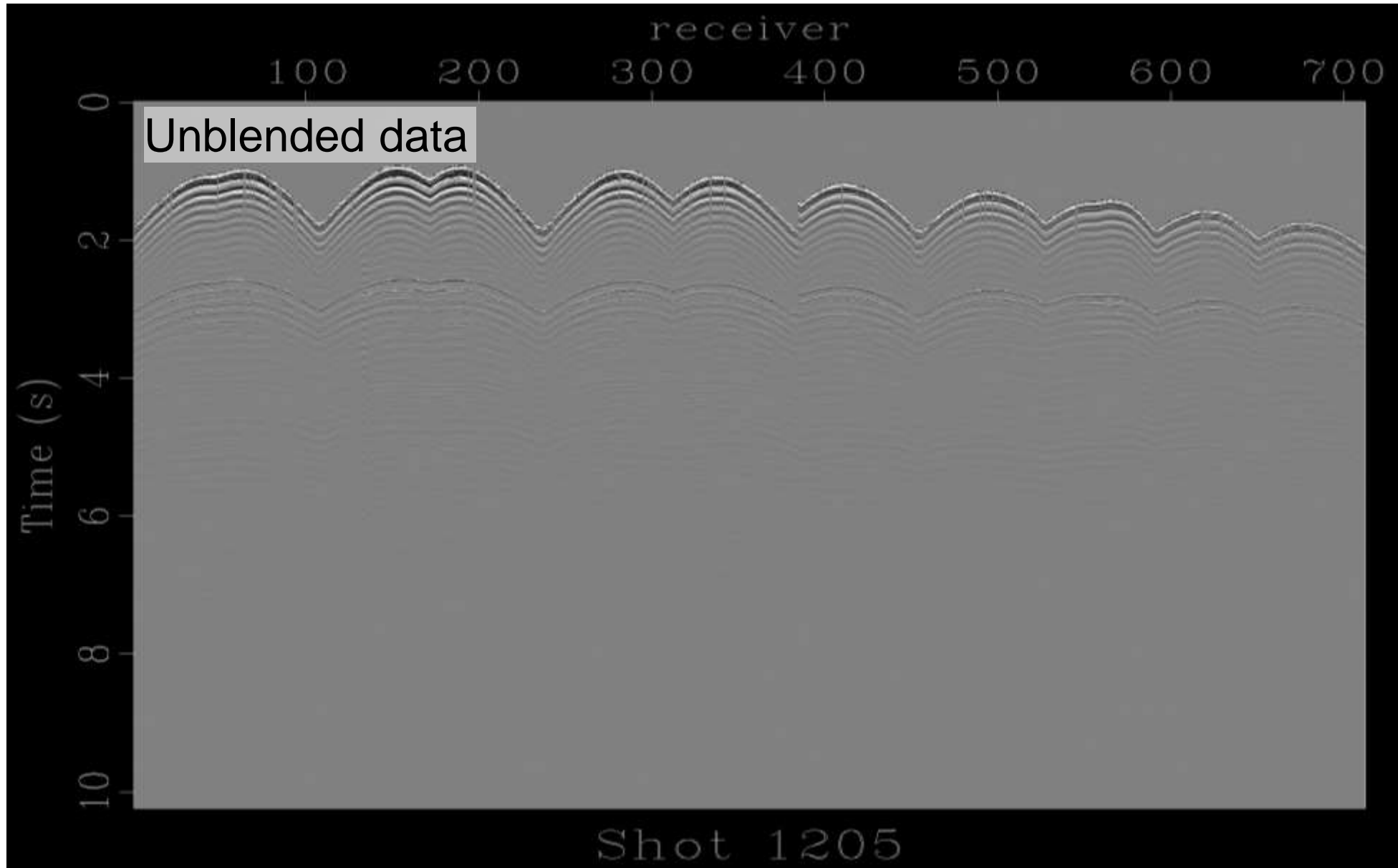
Original unblended data



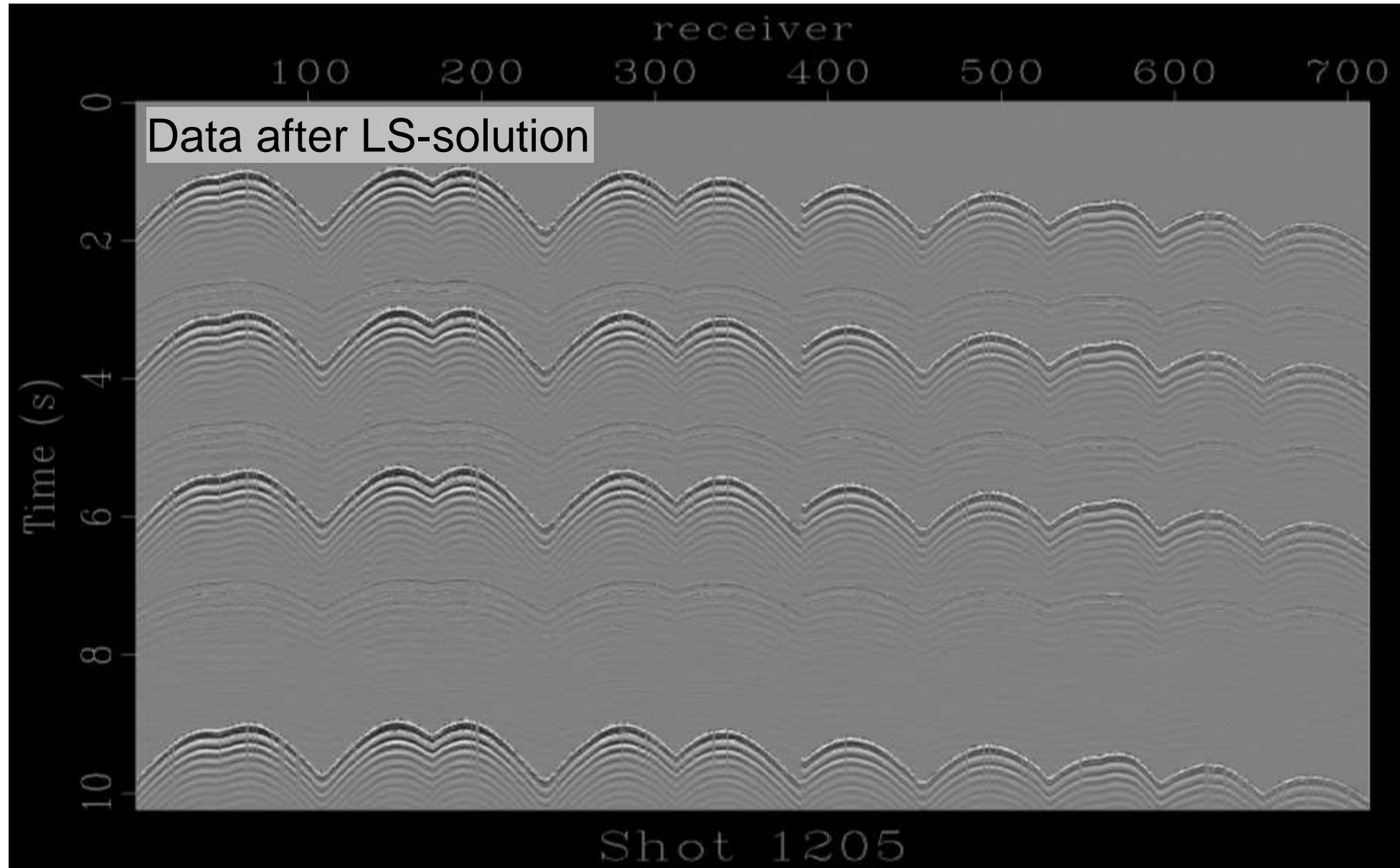
Deblending ERROR

# Comparative Analysis in the Shot Domain

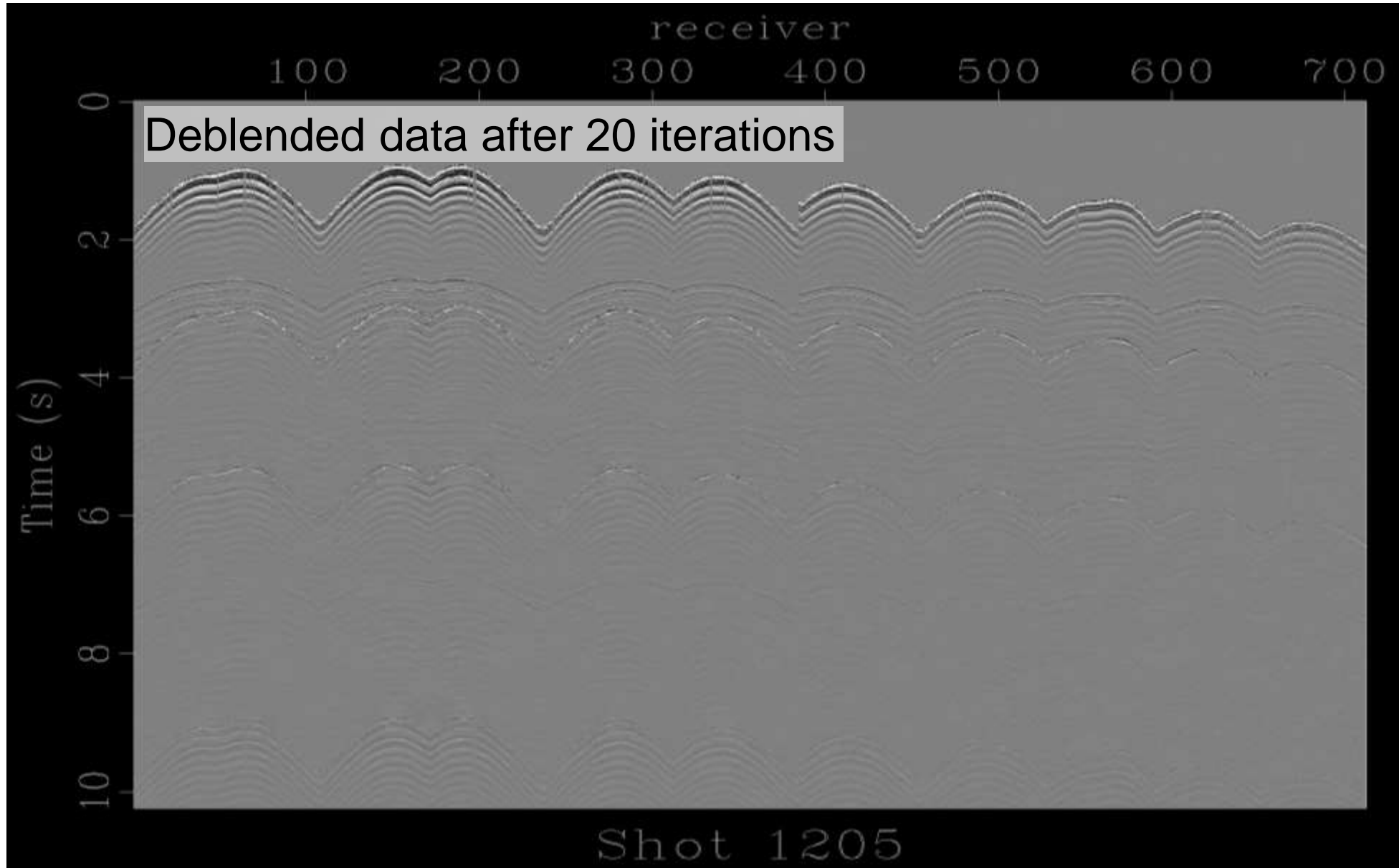
# Results – Field data (Shot domain)



# Results – Field data (Shot domain)

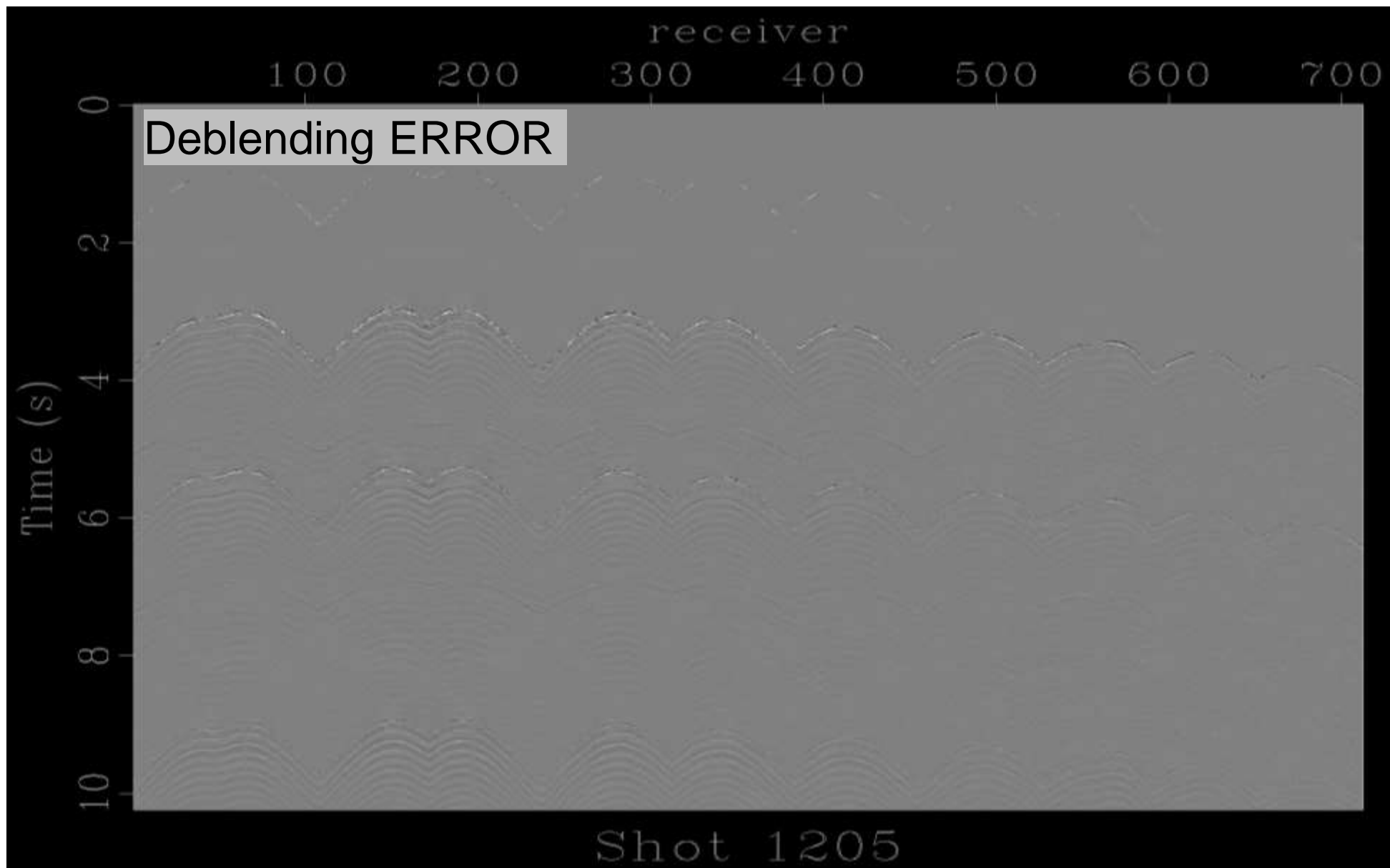


# Results – Field data (Shot domain)





# Results – Field data (Shot domain)



# Outline

 Objective

 Theoretical background

- Blending
- Deblending

 Results

- Synthetic data
- Field data

 **Final remarks**

 Next steps

## Final remarks

- Blended acquisitions are a very effective way to acquire seismic data at lower costs;
- Although mathematically simple, the iterative deblending method (with a good filtering operator) can provide satisfactory results;
- Quantitative analysis (using RMS and NRMS attributes) is essential to numerically validate deblending results.

# Outline

 Objective

 Theoretical background

- Blending
- Deblending

 Results

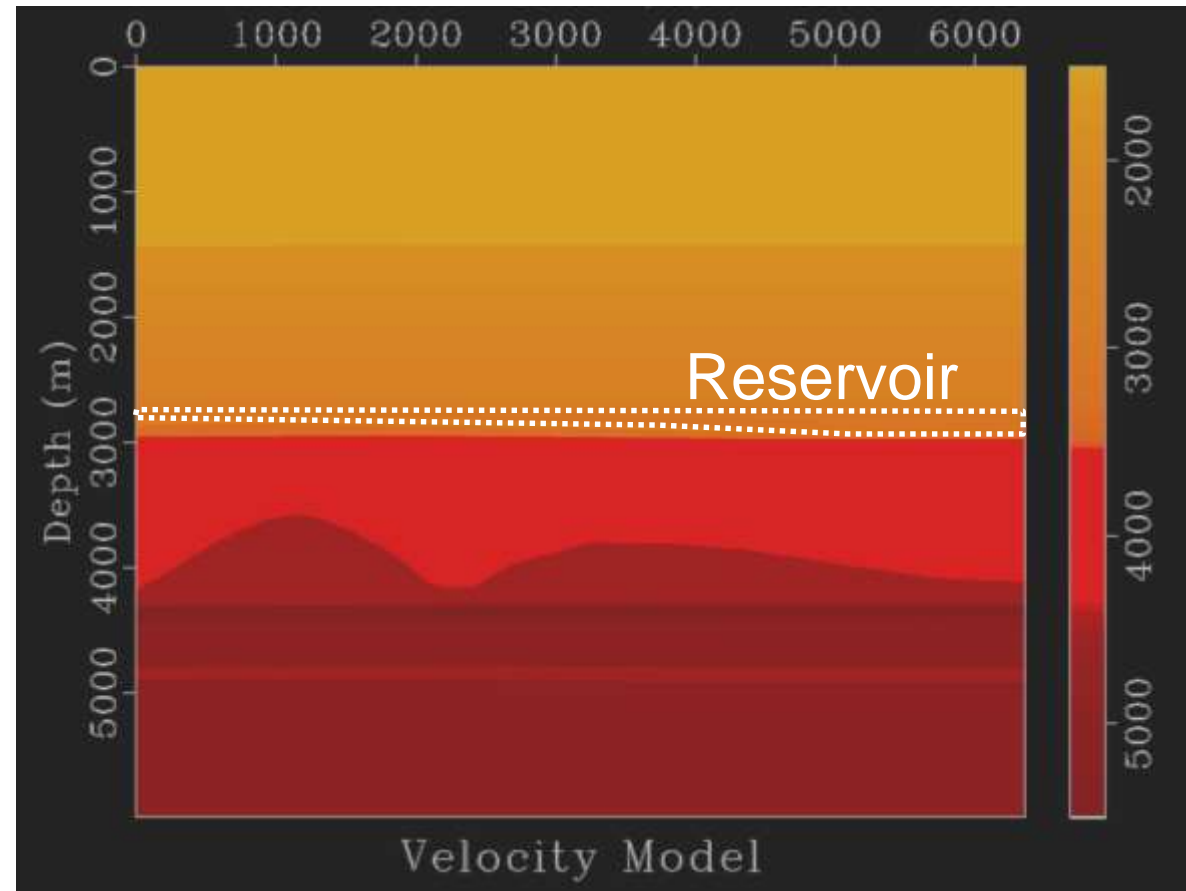
- Synthetic data
- Field data

 Final remarks

 **Next steps**

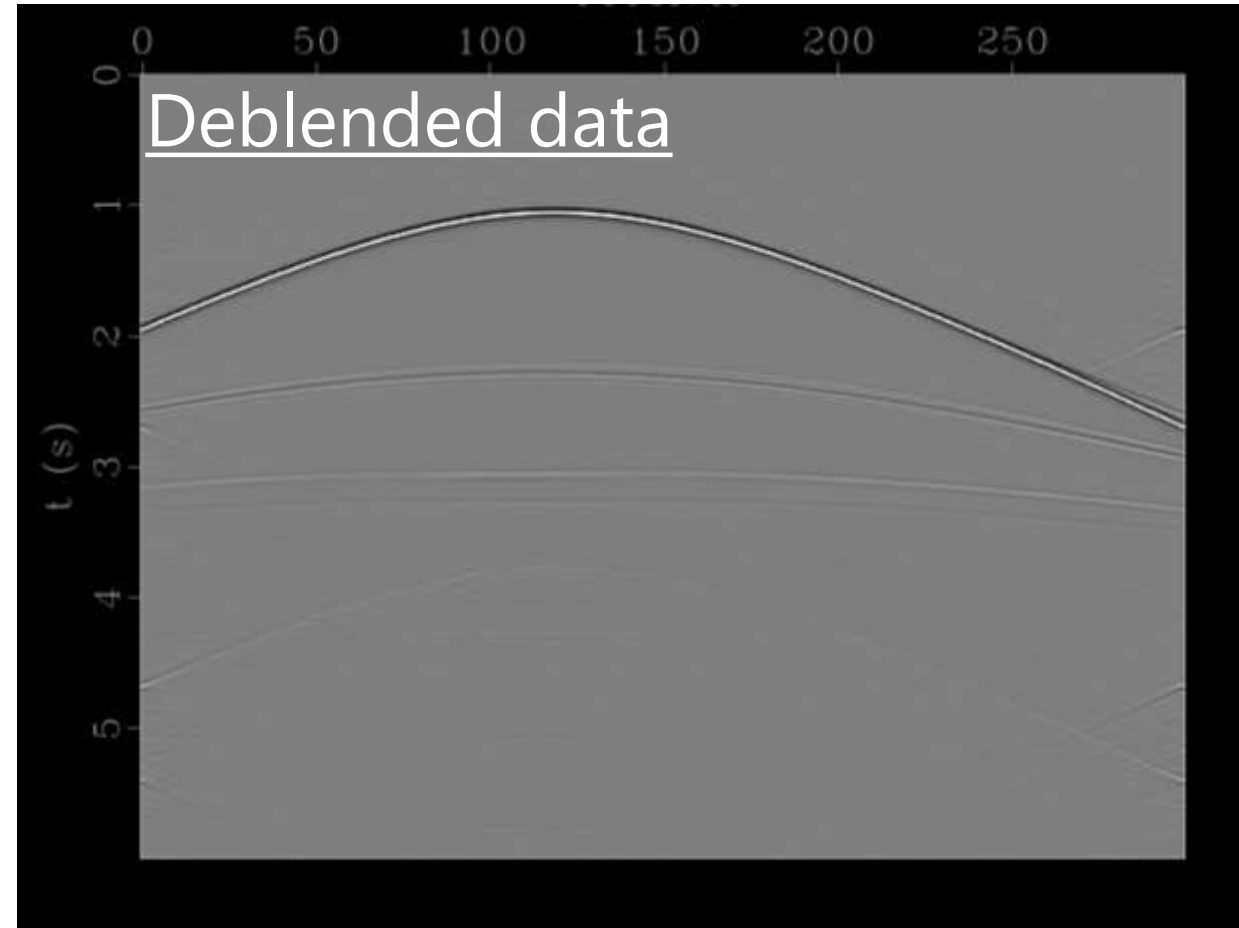
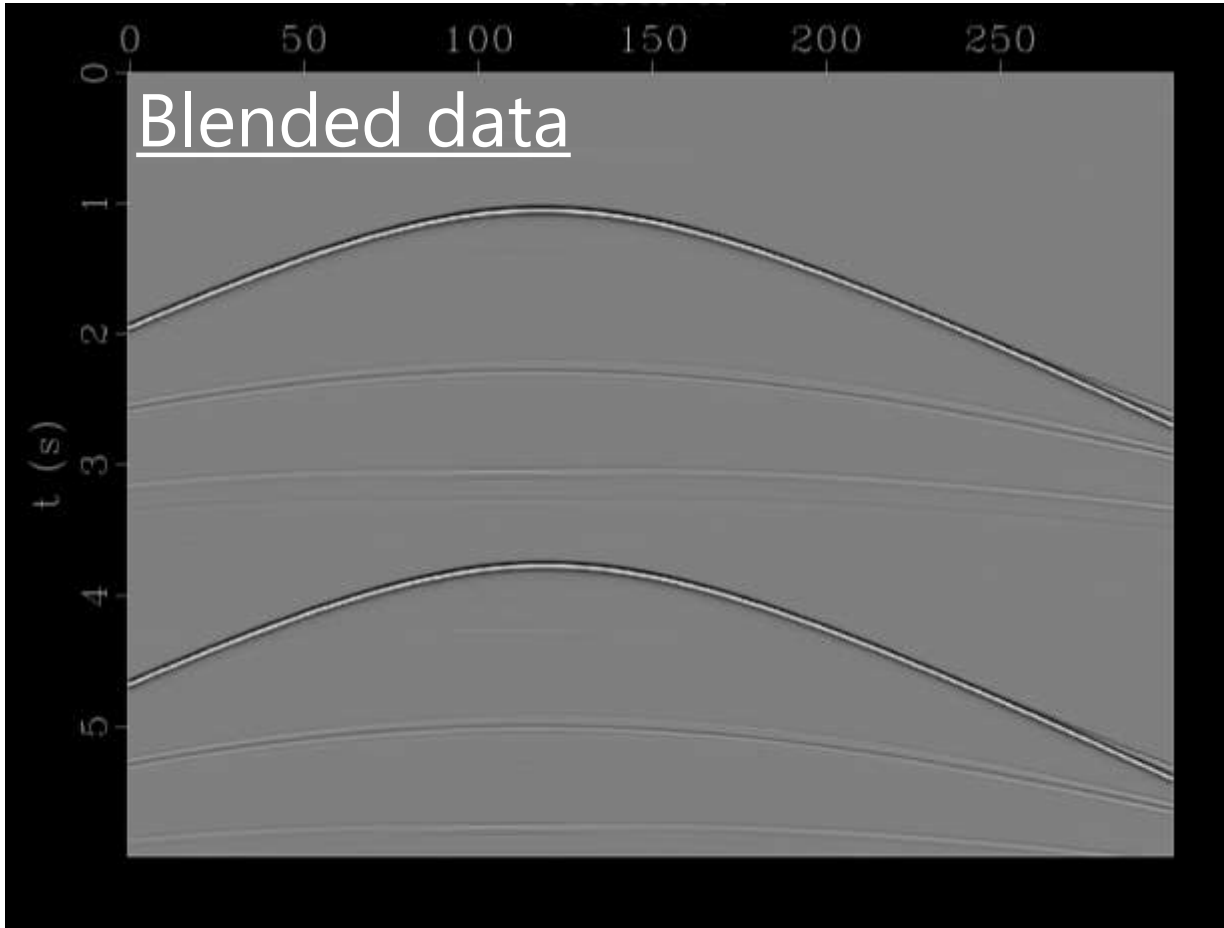
## Next steps

- Improve the iterative deblending results in field data;
- Model a new synthetic seismic data **simulating production effects** and analyze how blending and deblending procedures will affect the 4D signal;



# Next steps

- Deblending by “Compressive sensing”.





Great Western  
OIL & GAS COMPANY

