

RESERVOIR CHARACTERIZATION PROJECT

#### 4D Consistent Sensor Reorientation and Horizontal Component Leakage Attenuation in Multi Component OBC Data

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- Problem Setting
- Methodology
- Operation Preliminary Results
- Next Steps

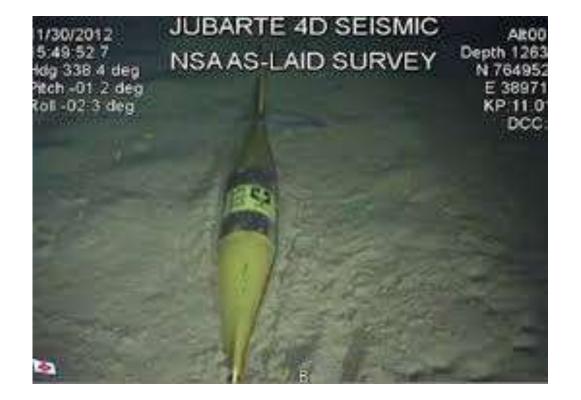
## Problem Setting – Sensor Placement



- Multi Component Acquisition: 3 Geophones (Accelerometers, 2 horizontal and one vertical) and 1 Hydrophone (Pressure Sensor)
- Sensor Movement must represent the particle motion caused by the passing wavefield – Coupling;
- Poor quality of OBC data can come from different signal responses from the two horizontal components
- Energy from different components can "leak" into others, specially the vertical component

#### Problem Setting – Sensor Placement

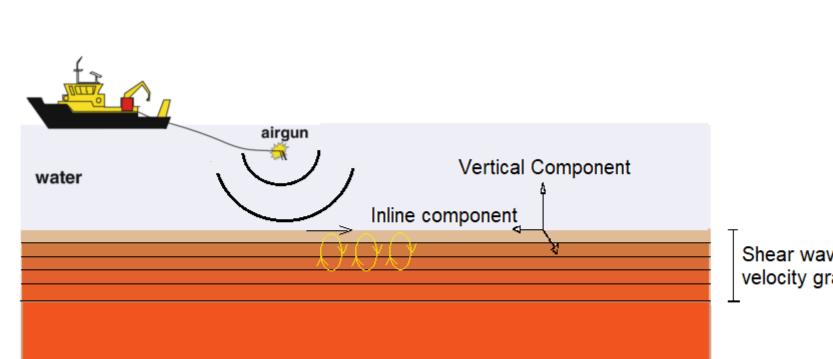




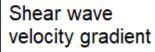
Sensors were placed at the water bottom without trenching

## **Problem Setting – Wave Propagation**





- Evanescent waves in • shallow layers (Scholte waves)
- Propagation velocity • close to the shear wave velocity
- **Elliptical Polarization** •





## Problem Setting – Characteristics of Events

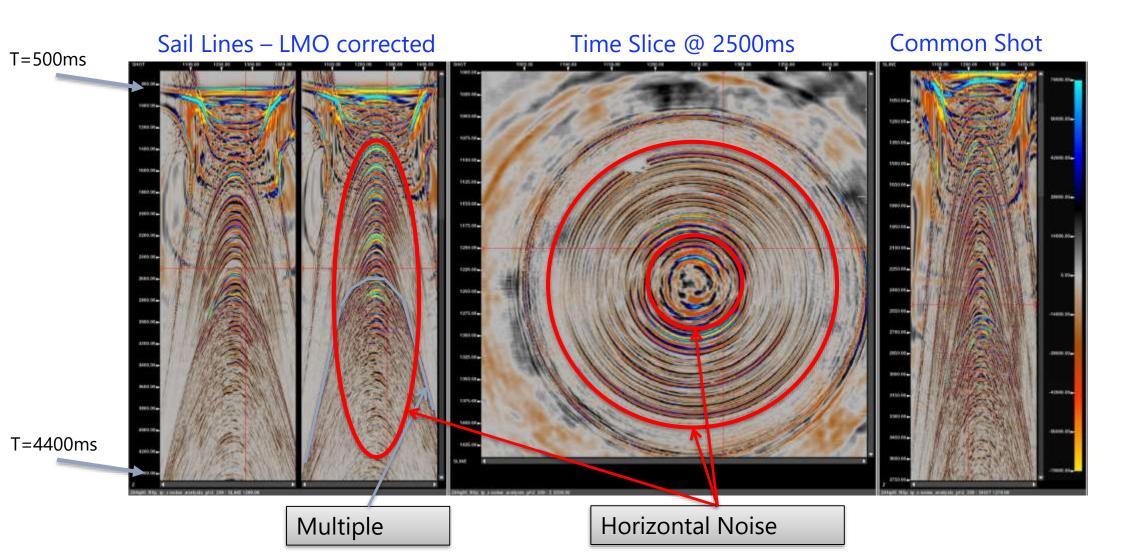
- Low frequency
- Low velocities (shear wave related)
- Moderate/high amplitude
- Varies from sensor to sensor
- Affected by type of sediment at water bottom
- Can be azimuthally dependent

#### Problem Setting: Data Examples



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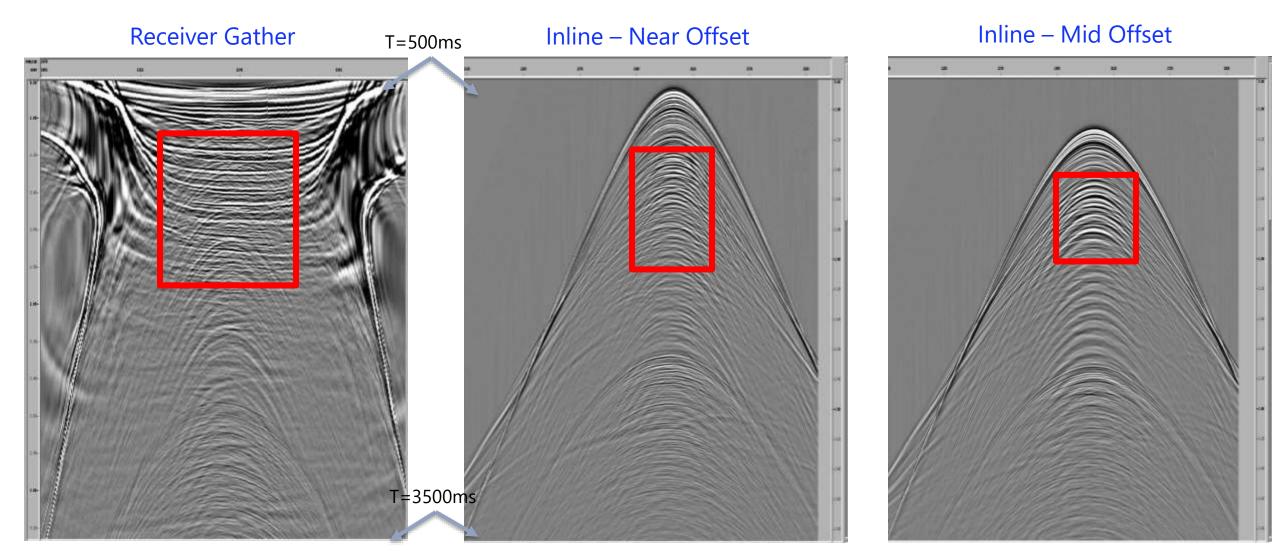
#### Vertical Component







#### Vertical Component



#### Problem Setting: Data Examples

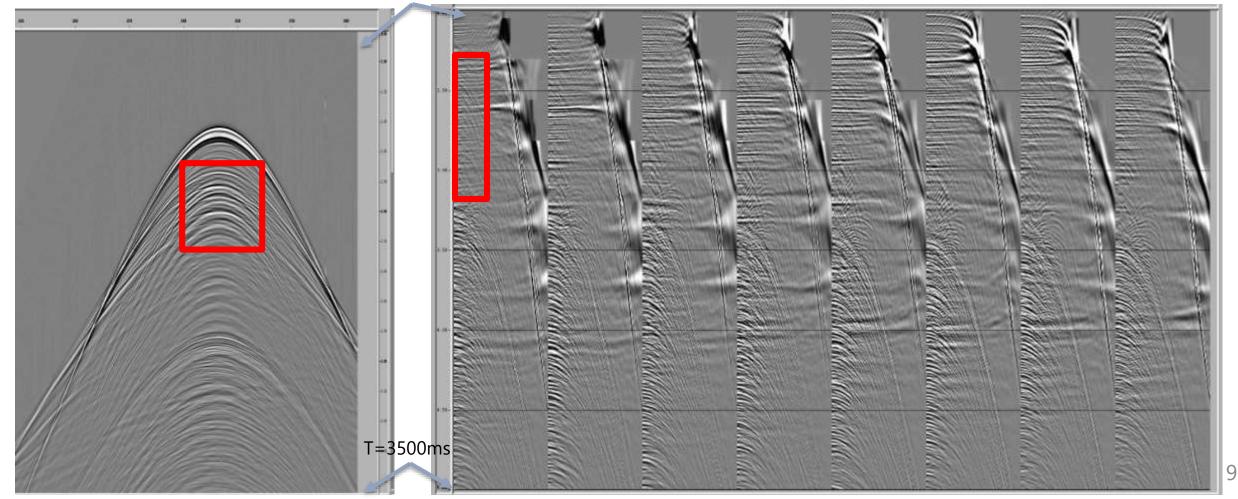


#### Vertical Component

Inline – Far Offset

T=500ms

Inline – Post Migration Gathers



### Problem Setting: Effects on 4D Signal



- Time lapse seismic relies on subtle differences in the reservoir level
- Jubarte case: changes very weak (even with 4%NRMS)
- Severy processing step has to be aimed at preserving the 4D signal
- The best 3D solution is not necessarily the best 4D result: residual noise and artifacts can contaminate the signal
- Proposal: a 4D consistent treatment horizontal waves leakage into the vertical component

## Methodology: Current Landscape



- Solutions exist for the 3D case, as seen in Landschulze (2019) and Gaiser (2007): Based on a model of detector coupling for OBC data (mass-spring-dashpot).
- Assumes Hydrophones are perfectly coupled to the fluid medium
- Assumes inline component has excellent coupling the sea floor.
- Uses a spectral balancing vector method to minimize transverse horizontal energy
- Physical Solutions: Improved sensor design can help mitigate sensor orientation problems (Byerley, 2003)

#### Methodology: Governing Equations



Recovery of Actual Ground Motion (Gaiser, 2007)

$$\begin{pmatrix} x \\ y \\ z \end{pmatrix} = \frac{1}{\det|\mathbf{G}|} \begin{pmatrix} C_y V_z - V_y C_z & 0 & 0 \\ 0 & IV_z & -IC_z \\ 0 & -IV_y & IC_y \end{pmatrix} \begin{pmatrix} x' \\ y' \\ z' \end{pmatrix}$$

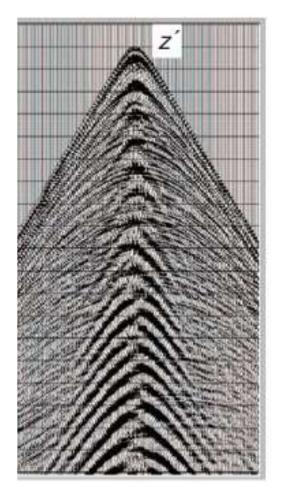
Horizontal energy attenuation in the Vertical component (Gaiser, 2007)  $\sum_{i} |z'_{i}(\omega) - c'_{z}(\omega)\tilde{y}_{i}(\omega)|^{2} = \min$ 

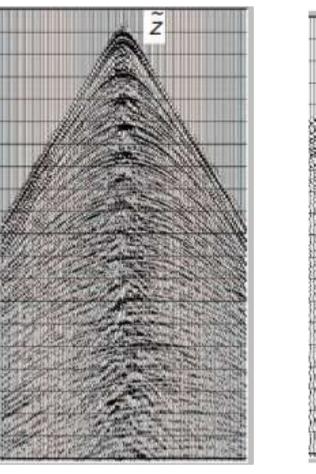
Vertical component energy calibration using hydrophone as reference (Landschulze, 2019; Pfaffenholz and Barr, 1995)

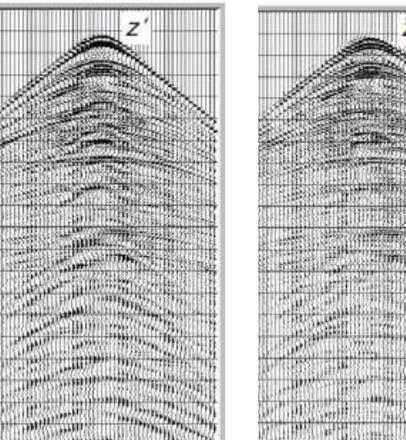
$$\frac{p(\omega)}{1+r_s\mathrm{e}^{\mathrm{i}\omega\tau}} - \frac{2}{1-r_s^2\mathrm{e}^{\mathrm{i}\omega2\tau}} - \frac{z(\omega)}{1-r_s\mathrm{e}^{\mathrm{i}\omega\tau}} = 0$$

#### Methodology: Literature Examples







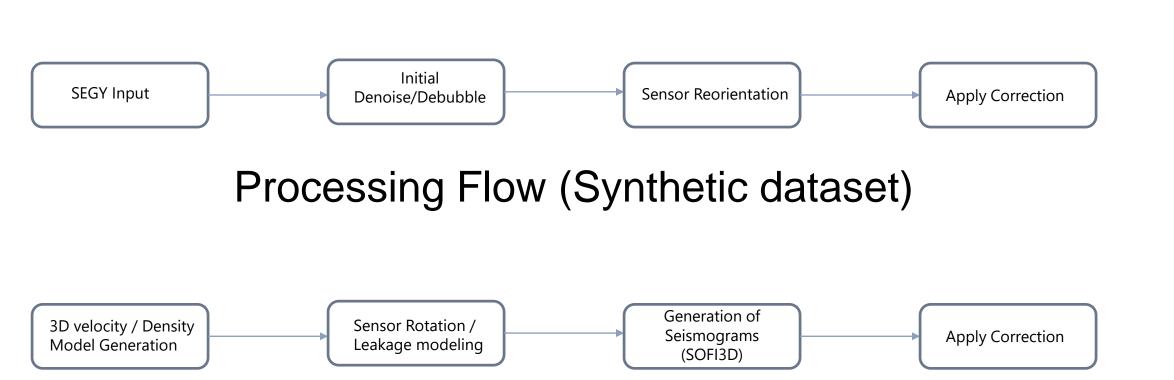


Vertical component for a common receiver gather before (left) and after (right) correction. (Gaiser, 2007).

#### Methodology: Proposed approach



- The solutions found in the literature are focused on the 3D problem
- Adopting one of the datasets as reference (Base survey), the correction can be calculated in a 4D consistent fashion, seeking to minimize the presence of residual noise and artifacts in the final 4D signal
- Solution may not be the best 3D result, however it will reduce the 4D noise, leading to a more reliable dataset and smaller NRMS values.



Processing Flow (Jubarte dataset)

# Methodology: Proposed approach



## Methodology: Applying the correction



• Step 1: Estimate rotation matrix coefficients by solving the linear system:

$$z_m(\omega) = R z_b(\omega);$$

With  $z_m$ ,  $z_b$ , recorded vertical component for monitor and base surveys, respectively.

• Step 2: Apply vector fidelity correction on the monitor dataset:

$$z_m^c = z_m - c_z(\omega)\tilde{y}(\omega)$$

• Define the minimization operator:

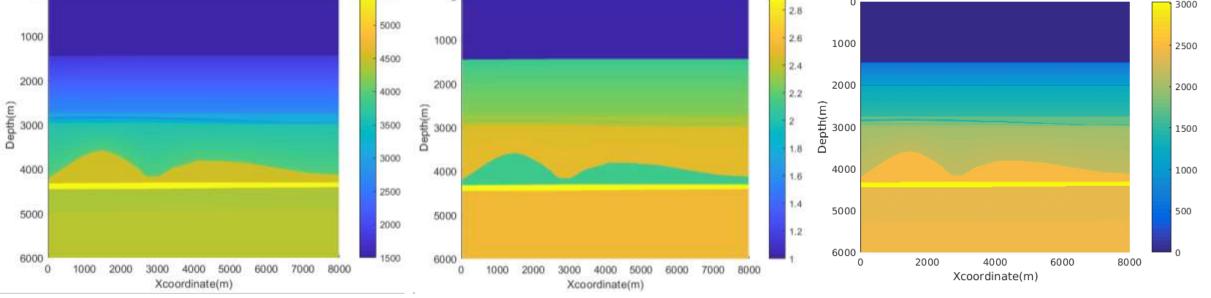
$$L(z)=z_m^c-Rz_b,$$

for which the minimizing solution is

$$\widehat{z_b^c} = (R^T R)^{-1} R^T z_m^c$$

This is the solution that minimizes the difference between the corrected base and monitor surveys.

# Preliminary Results: Velocity and Density Models

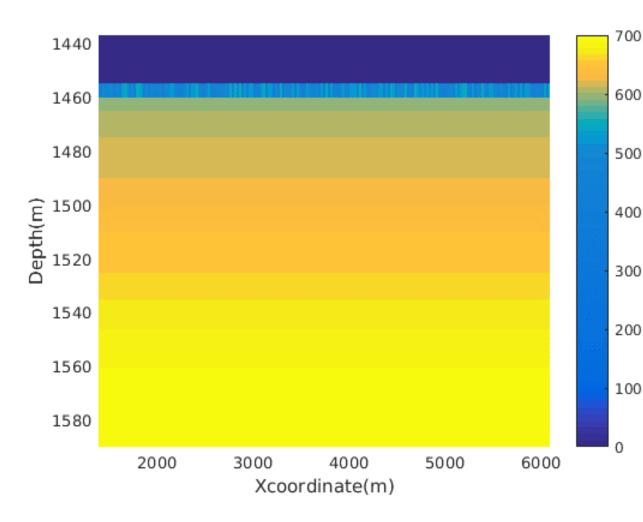


Velocity Model (P)

Density Model

Velocity Model (S)

#### Preliminary Results: Perturbation on Vs Model

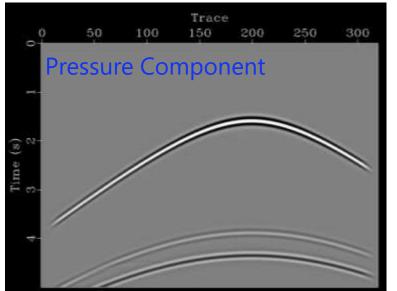


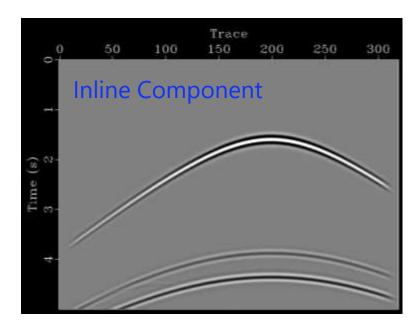
- Random modification of velocities in the water bottom (between 0 and 25%)
- Small gradient downwards

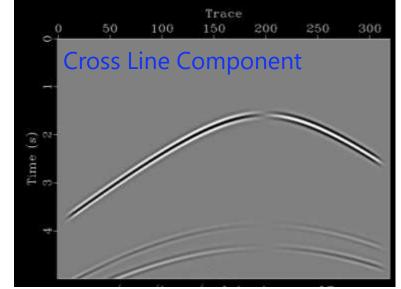
In pursuit of new ideas

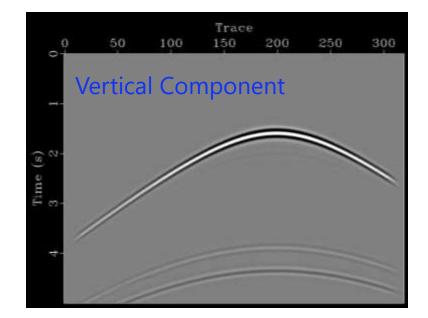
#### Preliminary Results: Synthetic data





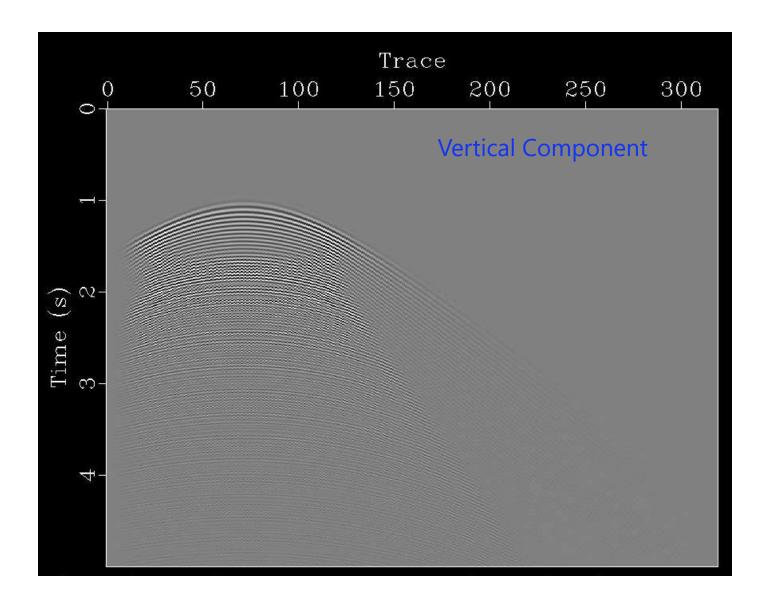






#### Preliminary Results: Modified shear wave model





#### **Next Steps**



- Simulate horizontal energy leaking on vertical component
- Implement Solution for 3D datasets
- Implement 4D consistent algorithm
- Test on synthetic dataset (proof of concept)
- Apply correction to Jubarte dataset
- Evaluate new NRMS
- Introduce anisothropy

